

CALCULATIONS FOR

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CALCULATIONS FOR

Design of Jusō-Ko-Bashi for Osaka Prefecture

Design of Abutment.

Data: Clear width of roadway 20.0 meters; 5.69 meter electric light way at center, 4.405 meter carriage way on both sides and 2.75 meter side walks on both ends.
Span length 25.234 meters between end bearings.

Assumed Loadings

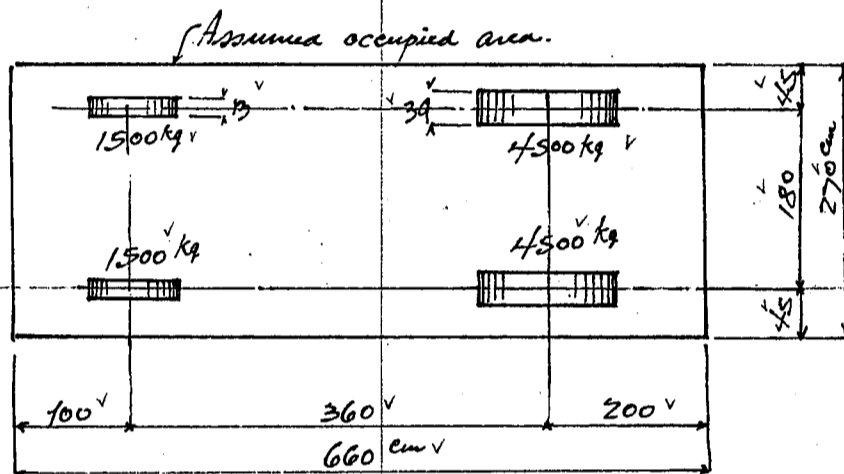
Uniform live load on roadway $w = \frac{120,000}{170+l} \approx 600$ kg per sq. meter.

Uniform live load on sidewalk $w = \frac{100,000}{170+l} \approx 500$

where $l =$ span length in meters.
 $w =$ uniform live load in kg. per square meter.

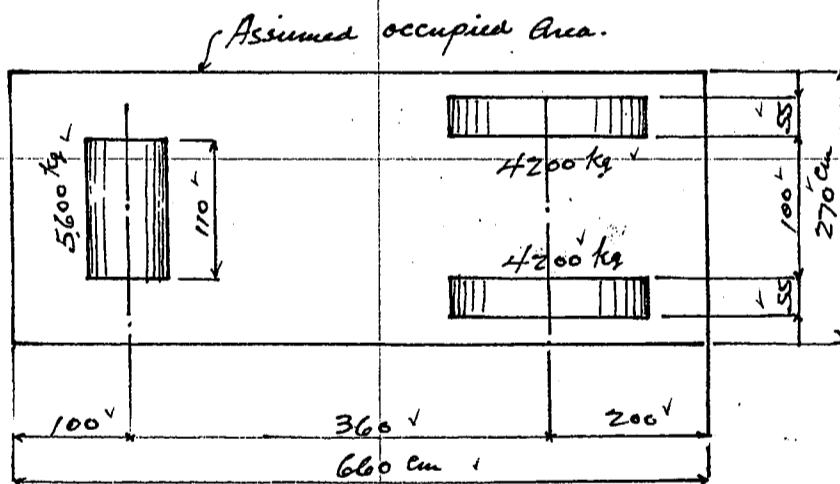
Motor truck and Roadroller Loadings.

12 ton motor truck loading



4 rows of motor traffic on roadway with occupied width of 270 cm each. Space around the assumed occupied space of motor truck shall be filled with said uniform load.

14 ton Road Roller loading



One road roller on one span. Assumed the occupied space of road roller shall be fully loaded with uniform live load specified above.

Impact for motor truck and Electric Car loading

Coef. = $\frac{20}{60+l}$ where $l =$ loaded length in meters.
max. impact 30%.

No impact for road roller and Uniform live load.

Electric Car Loading

Kinds of Car	Axle distances					Axle load.	Total weight.
	○	○	○	○	○		
4 wheel car class (continuous) A	3m	0	2m	0	3m	7,400 kg	14,800 kg
Water sprinkler class (coupled) B	2m	0	2m	0	2m	9,000 kg	18,000 kg
Bogie Car class (continuous) C	2.2m	1.2m	4.2m	1.2m	2.2m	5,600 kg	22,400 kg
Low platform Bogie car (continuous) D	2.5m	1.5m	5.0m	1.5m	2.5m	7,000 kg	28,000 kg

Impact for electric car loading as described above.

CALCULATIONS FOR

Design of Juso-Ko-Bashi for Osaka Prefecture.

Allowable working strength.

Structural steel or Reinforcing Bars:

Tension	1,200 kg/cm ²
Extreme fibre stress	1,200 "
Shear of web, gross section	900 "
Compression member	1,000 "

$1500 (1 - 0.0055 \frac{l}{r})$ not over
where l = length of member in cm
 r = least radius of gyration in cm*

Compression flange of girder

$1200 (1 - 0.012 \frac{l}{b})$ not over
where l = unsupported length of flange in cm.
 b = width of flange in cm.

Shear on shop driven rivets (machine driven)	850 "
" " field " " and turned bolts (machine driven)	750 "
Shear on pin	900 "
Bearing on shop driven rivets	1700 "
" " field " "	1500 "
" " pin	1800 "

Roller 45d kaper lin cm. where d = dia. in cm.

Concrete 1:2:4 mixture

Direct compression	25 kg/cm ²
Fibre stress due to bending	45 "
Combined stress direct stress and bending compression member	35 "
Punching shear of concrete	9 "
Shear of plain concrete	4 "
Bearing value	45 "
Bond stress for plain bars	6 "
" " deformed bars assumed	9 "

Weight of materials assumed.

Cast iron	7250 kg per cub. meter.
steel	7850 " "
Cast steel	7860 " "
Reinforced concrete	2400 " "
plain concrete	2200 " "
Cement mortar	1700 " "
Granite	2600 " "
Sand	1700 " "
Earth	1600 " "
asphalt pavement	2100 " "
wood-block pavement	1000 " "

Considering wind or temperature stress in addition to dead, live and impact stresses the allowable working strength increased 25%. In case of considering seismic stress increase unit stress 80%.

Seismic acceleration assumed 3000 kg/sec² or say $k=0.3$

CALCULATIONS FOR

Design of Jiruo Park for Osaka Prefecture
Design of Piers for Girder span.

Piers P2 to P5 + P12 to P15
Superimposed loads on pier.
Dead load :-
Floor.

Conduit pipes and water mains 425 ✓
Handrail 90 ✓
Coping stone + slab under coping 206 ✓
Sidewalk slab including wearing course. $300 \times 2.37 = 710$ ✓

G1 to curb stone $38 \times 3750 \times 2400 = 342$ ✓
Roadway slab, pavement etc. $530 \times 4.405 = 2335$ ✓
Extra concrete at G2 137 ✓
Electric car track concrete slab. $1550 \times 24 = 372$ ✓
" " Construction $\frac{815}{1187.2845} = 3380$ ✓

Miscellaneous concrete etc say $\frac{25}{7650 \times 2} = 15,300$ kg per lin meter.

Structural steel for Anchor span + Cantilever arms.

Stringers S1 64 ✓
" S2 52 ✓
" S3, S4 + S5 $3074 = 222$ ✓

Cross Beams.
under electric Ry. track $2 \times 1600 = 320$ ✓
" " at panel pt. 485 ✓
cantilever bracket 400 ✓
under roadway $\frac{692}{1897 \div 4.089} = 464$ ✓
 $\frac{802 \times 2}{1604} = 1604$ ✓

Bottom Lateral Bracing 14180 ✓

bracing under sidewalk $\frac{500}{14680 \div 48.318} = 304$ ✓
main girders assumed $5 \times 1000 = 5000$ ✓
 $\frac{6908}{6908}$ Call this 6900 kg/lin m.

Structural steel for Suspended span.

Stringers and floor beams same as above. 1604 ✓
Bottom lateral bracing 5000 ✓
Bracing under sidewalk $\frac{500}{5500 \div 17.108} = 321$ ✓
main girders $5 \times 635 = 3175$ ✓

Summary of Dead load on pier
Anchor span with cantilever arms.

Floor complete 15,300 ✓
Structural steel 6,900 ✓
 $\frac{22,200}{22,200}$ kg/lin m.

Suspended span

Floor complete 15,300 ✓
Structural steel 5,100 ✓
 $\frac{20,400}{20,400}$ kg/lin m.

5,100 kg/lin m.

CALCULATIONS FOR

Design of Juiso Bashi for Osaka Prefecture.

Live load:-

Uniform load on roadway $w = \frac{120000}{170+l}$ Loaded length l taken at 32.712^m on safe side
 $= \frac{120000}{170+32.712} = 592$ use 600 kg/m^2

Uniform load on sidewalk $= \frac{100000}{170+32.712} = 494$ use 500

Electric car truck loading, class D. $28000 \div 13 = 2155$

Impact coef. $= \frac{20}{60+32.712} = 21.6\%$ $\frac{465}{2620}$ Call this $2700 \text{ kg per lin meter for double tracks.}$

Summary of Live Loads

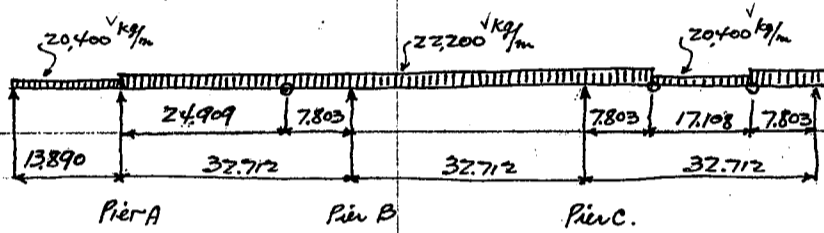
Uniform load on roadway $= 600 \times 4.405 \times 2 = 5290$

Sidewalk $= 500 \times 2.75 \times 2 = 2750$

Electric car loading $2700 \times 2 = 5400$

$13440 \text{ kg per lin meter.}$

Dead Load on Piers



Simple spans.

$20400 \times 13.89 \div 2 = 141700 \text{ kg}$

$22200 \times 24.909 \div 2 = 276500 \text{ kg}$

$20400 \times 17.108 \div 2 = 174500 \text{ kg}$

Load on pier A 141700
 276500
 418200 kg

Load on B. + C. unbalance from cantilever arm

276500
 174500
 451000

Reaction due to unbalance moment. $102000 \times 7.803 \div 32.712 = \pm 24400 \text{ kg}$

balanced load. $22200 \times 32.712 \div 2 = 363000$

$22200 \times 7.803 = 173300$
 174500

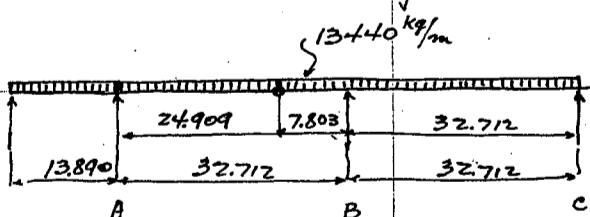
710800

Load on pier B $= 735200 \text{ kg}$

Load on pier C $= 686400 \text{ kg}$

Live Load on Piers.

Piers A + B



Load on Pier A.

$13440 \times 13.89 \div 2 = 93300 \text{ kg}$

$13440 \times 24.909 \div 2 = 167500$

$260800 \text{ kg call this } 261000 \text{ kg}$

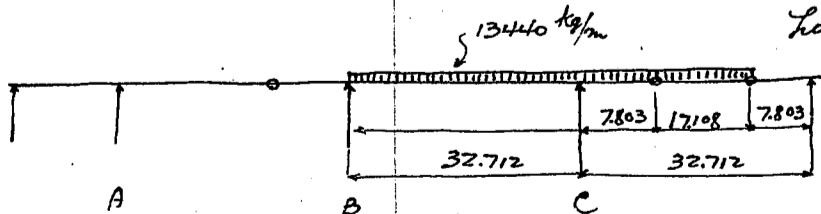
Load on Pier B

$167500 \times 40.515 = 6790000$

$13440 \times 40.515 \div 2 = 11830000$

$18620000 \div 32.712 = 569000 \text{ kg}$

Pier C.



Load on Pier C.

$93300 \times 40.515 = 3780000$

$13440 \times 40.515 \div 2 = 11830000$

$15610000 \div 32.712 = 477000 \text{ kg}$

Summary of Dead Load + Live Load on Piers.

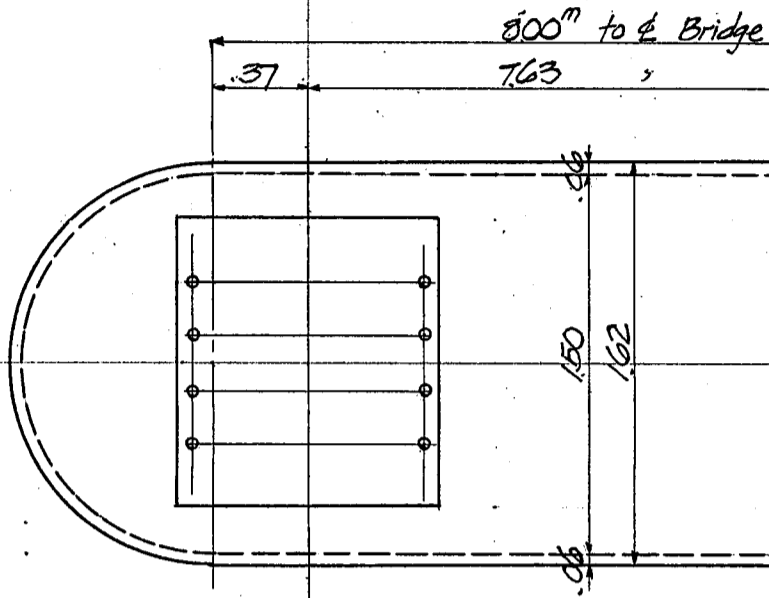
	Pier A	Pier B	Pier C.
Dead Load.	418200	735200	686400
w.t. of Shoes say	11800	9800	9600
	430000	745000	696000
Live Load	261000	569000	477000
	691000 kg	1314000 kg	1173000 kg

Note.

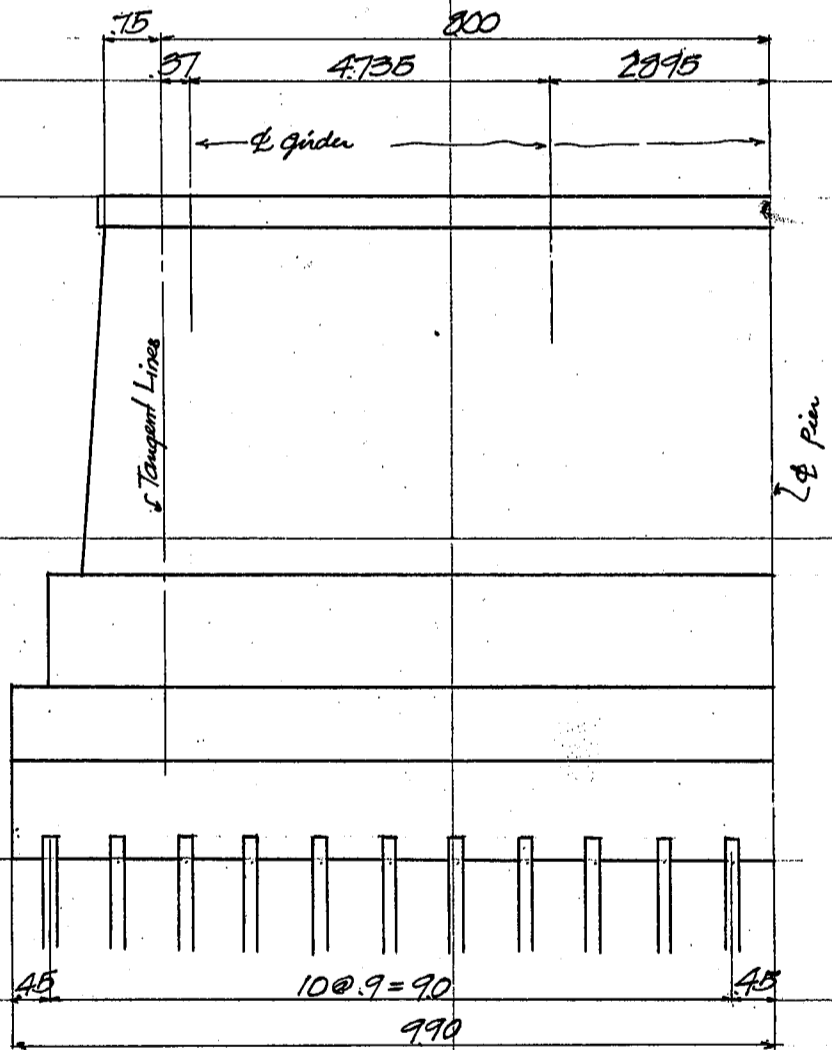
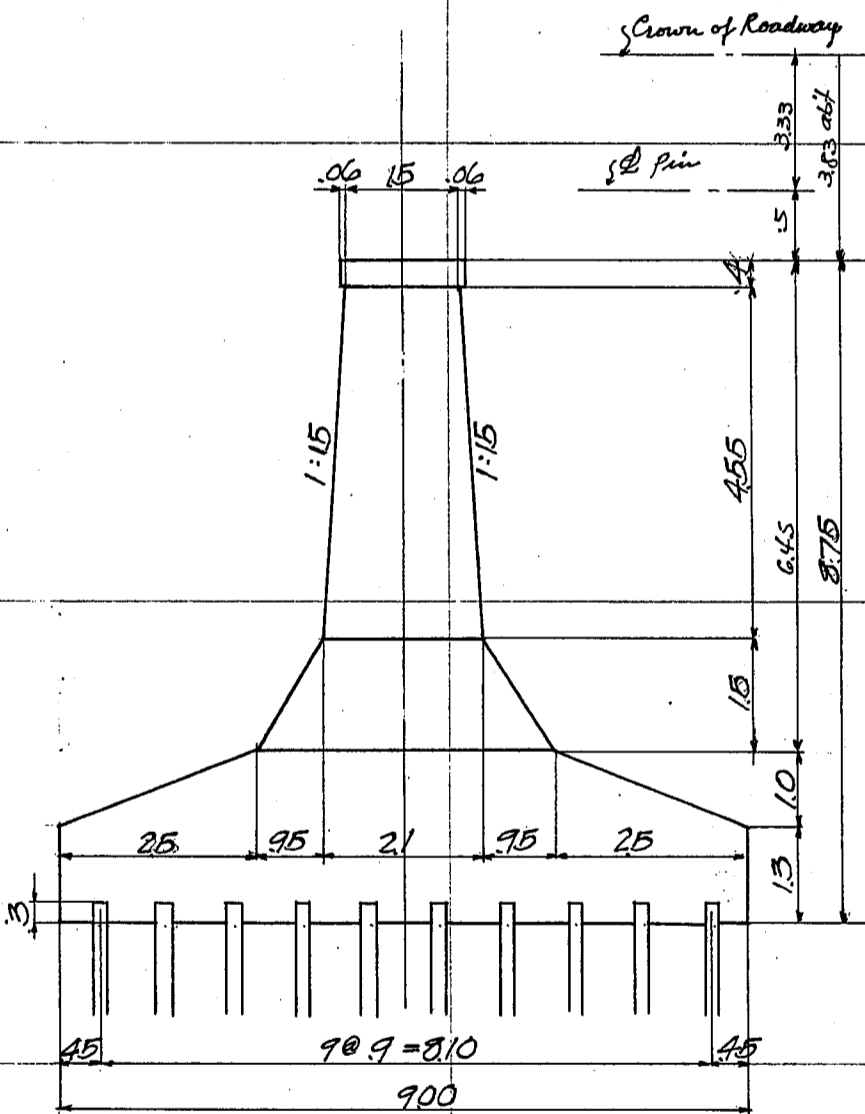
Pier A ---- P1 + P16
Pier B ---- P2, P5, P12 + P15
Pier C ---- P3, P4, P13 + P14
use same details for Pier B and Pier C.

CALCULATIONS FOR

Design of Juso Bashi for Osaka Prefecture
Design of pier & C Piers P2 to P5 and P2 to P5



Detail of Top of Pier.
Scale 1:30.



Sketch of Girder Pier.
Scale 1:100.

CALCULATIONS FOR

Design of Jinnō Basins for Osaka Prefecture.

Volume and weight of concrete 1:2:4 mixture

Coping	$1.62 \times 0.4 \times 16.0 \text{ m} = 10.37 \text{ m}^3$	$\times 4.75 \text{ m} = 49.20 \text{ m}^3$	
"	$1.62 \times 0.4 \text{ m} = 0.83 \text{ m}^3$	$\times 4.75 \text{ m} = 3.94 \text{ m}^3$	
Shaft	$1.80 \times 4.55 \times 16.0 \text{ m} = 131.10 \text{ m}^3$	$\times 2.15 \text{ m} = 282.00 \text{ m}^3$	
"	$1.80 \times 4.55 \text{ m} = 11.57 \text{ m}^3$	$\times 2.03 \text{ m} = 23.48 \text{ m}^3$	
	153.87 m^3	$\times 2.33 \text{ m} = 358.62 \text{ m}^3$	weight $153.87 \times 2400 = 369,000 \text{ kg}$
	$153.87 \times 1.5 \text{ m} = 231.00 \text{ m}^3$		
Base	$3.05 \times 1.5 \times 19 \text{ m} = 86.85 \text{ m}^3$	$\times 0.705 \text{ m} = 61.20 \text{ m}^3$	
	240.72 m^3	$\times 2.70 \text{ m} = 650.82 \text{ m}^3$	weight $240.72 \times 2400 = 578,000 \text{ kg}$

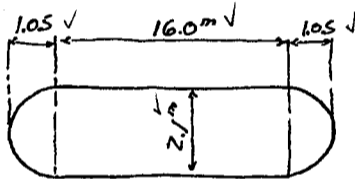
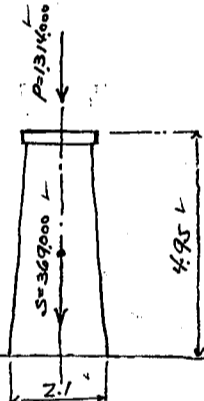
Base	$6.50 \times 1.0 \times 19.8 \text{ m} = 128.70 \text{ m}^3$	$\times 1.726 \text{ m} = 222.00 \text{ m}^3$	
"	$1.30 \times 9.0 \times 19.8 \text{ m} = 231.50 \text{ m}^3$	$\times 0.65 \text{ m} = 150.50 \text{ m}^3$	
	360.20 m^3	$\times 1.03 \text{ m} = 372.50 \text{ m}^3$	weight $360.20 \times 2400 = 864,000 \text{ kg}$
Total concrete for one pier	600.92 m^3		Total wt of one pier = $1,442,000 \text{ kg}$

Superimposed Load on pier

Dead Load	$745,000 \text{ kg}$	Seismic force = $745,000 \times 0.3 = 223,500 \text{ kg}$
Live Load	$569,000 \text{ kg}$	
	$1,314,000 \text{ kg}$	

Stability of Shaft.

Case 1. Stability at Normal State.



Bottom area.

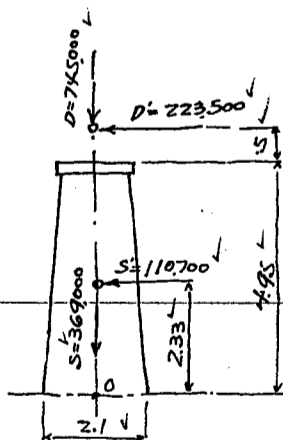
$2.1 \times 16.0 = 33.60 \text{ m}^2$
 $2.1^2 = 4.41 \text{ m}^2$
 37.06 m^2

Loads on shaft.

Superimposed Dead + Live Load = $1,314,000 \text{ kg}$
 weight of shaft = $369,000 \text{ kg}$
 $1,683,000 \text{ kg}$

Unit compression on concrete = $\frac{1,683,000}{37.06 \times 10,000} = 4.54 \text{ kg/cm}^2$ OK

Case 2. Stability during Earthquake. $\kappa = 0.3$ assumed.



Taking moment about center of bottom area. 0.

Loads. Horizontal forces Vertical forces Lever arm moment.

D	$745,000 \text{ kg}$	$\times 0 \text{ m} = 0 \text{ kg-m}$
D'	$223,500 \text{ kg}$	$\times 5.45 \text{ m} = 1,218,000 \text{ kg-m}$
S	$369,000 \text{ kg}$	$\times 0 \text{ m} = 0 \text{ kg-m}$
S'	$110,700 \text{ kg}$	$\times 2.33 \text{ m} = 257,500 \text{ kg-m}$
	$\Sigma H = 334,200 \text{ kg}$	$\Sigma V = 1,114,000 \text{ kg}$
		$1,325 \text{ m} = 1,475,500 \text{ kg-m}$

Bottom section.

Equivalent rectangle of same moment of inertia

Moment of inertia of circle $2.1^4 = 0.0491 \times 2.1^4 = 0.955 \text{ m}^4$

rectangle

Moment of inertia $\frac{x \cdot 2.1^3}{12} = 0.772x$

$0.772x = 0.955$

$x = \frac{0.955}{0.772} = 1.24 \text{ m}$

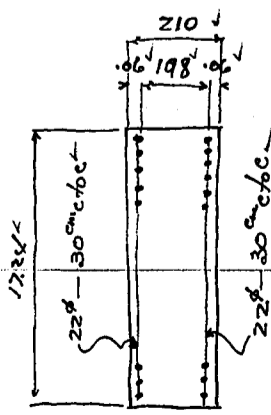
Total length of rectangle = $1.24 + 16.0 = 17.24 \text{ m}$. Area = $17.24 \times 2.1 = 36.2 \text{ m}^2$

Try reinforcement

29ϕ bars at $30 \text{ cm c/c} = 3.801 \times 3.33 \times 17.24 = 218.1 \text{ cm}^2$

$\frac{e}{h} = \frac{1.325}{2.1} = 0.63$, $\frac{d'}{h} = \frac{6}{2.1} = 0.29$, $\rho = 2\%$, $\frac{218.1 \times 2}{362,000} = 0.0012$

From the prepared diagrams of Combined Stress. (direct + bending)



CALCULATIONS FOR

Design of Jinnō Basuli for Osaka prefecture.

$k = .228$, $L = .068$

$$f_c = \frac{M}{L \cdot b \cdot h^2} = \frac{1475500 \cdot 100}{.068 \cdot 1724 \cdot 210^2} = 28.6 \text{ kg/cm}^2 \text{ ok}$$

$$f_s = n \cdot f_c \left(\frac{d}{k \cdot h} - 1 \right) = 15 \cdot 28.6 \left(\frac{204}{.228 \cdot 210} - 1 \right) = 1400 \text{ kg/cm}^2 < 1200 \cdot 1.8 = 2160 \text{ ok}$$

$$\text{unit shear} = \frac{334200}{1724 \cdot \frac{2}{8} \cdot 204} = 1.09 \text{ kg/cm}^2 \text{ ok}$$

$$\text{unit bond} = \frac{334200}{6.91 \cdot 3333 \cdot 1724 \cdot \frac{2}{8} \cdot 204} = 4.72 \text{ kg/cm}^2 \text{ ok}$$

Assumed section is ample.

Section at 6.45 meters below top of pier.
Case 1. Stability at Normal State.

Bottom area. $4.0 \times 19.0 = 76.0 \text{ sq.m} = 760,000 \text{ cm}^2$

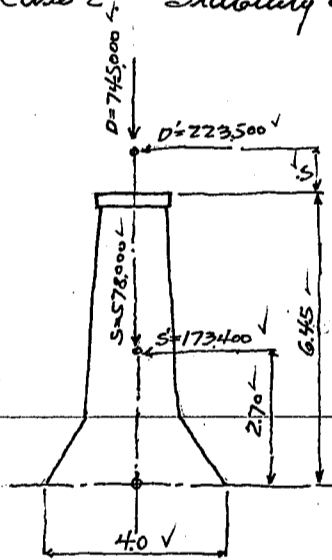
Load.

Superimposed D.L. + L.L. = 1314,000

wt. of pier above this section = $\frac{578,000}{1,892,000} \text{ kg}$

Unit compression on concrete = $\frac{1,892,000}{760,000} = 2.49 \text{ kg/cm}^2 \text{ ok}$

Case 2. Stability during Earthquake.



Loads	Hor. forces	Vert. forces	Lev. arm	Moment.
D		745,000	0	0
D'	223,500		6.45	1,553,000
S		578,000	0	0
S'	173,400		2.70	468,000
	396,900 kg	1,323,000 kg	1.53 m	2,021,000 kgm.

$e/h = 1.53/4.0 = .383$, $d'/h = 6/400 = 0.015$

Reinforcement Try 22ϕ bars at 30 cm c/c = $2.835 \cdot 3333 \cdot 19.0 = 179.5 \text{ cm}^2$

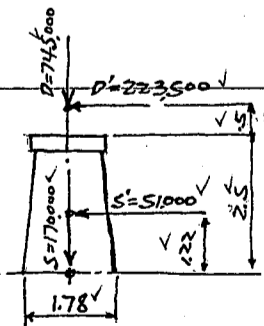
$p_o = 2p = \frac{179.5 \cdot 2}{400 \cdot 1900} = .0005$

From the prepared diagrams, $k = 0.423$, $L = .079$

$$f_c = \frac{2,021,000 \cdot 100}{.079 \cdot 1900 \cdot 400^2} = 8.42 \text{ kg/cm}^2 \text{ ok}$$

$$f_s = 15 \cdot 8.42 \left(\frac{394}{.423 \cdot 400} - 1 \right) = 168 \text{ kg/cm}^2 \text{ ok}$$

Section at 2.5 meter below top.



Concrete coping $11.20 \cdot 2.3 = 25.75$

Shaft $1.64 \cdot 2.1 = 3.44$, $5505 \cdot 1.02 = 5615$

" $1.64 \cdot 2.1 = 3.44$, $443 \cdot .99 = 439$

$70.68 \cdot 1.22 = 86.29$ weight $70.68 \cdot 2400 = 170,000 \text{ kg}$

Loads	Hor. forces	Vert. forces	Lev. arm	Moment.
D		745,000	0	0
D'	223,500		3.0	670,000
S		170,000	0	0
S'	51,000		1.22	62,200
	274,500 kg	915,000 kg	0.8 m	732,200 kgm

$e/h = 80/178 = .45$, $d'/h = 9/178 = .034$

Reinforcement Try 19ϕ bars at 30 cm c/c = $2.835 \cdot 3333 \cdot 17.0 = 161.5 \text{ cm}^2$

$p_o = 2p = \frac{2 \cdot 161.5}{178 \cdot 1700} = .0011$, $k = .363$, $L = .079$

$$f_c = \frac{732,200 \cdot 100}{.079 \cdot 1700 \cdot 178^2} = 17.2 \text{ kg/cm}^2 \text{ ok}$$

$$f_s = 15 \cdot 17.2 \left(\frac{172}{.363 \cdot 178} - 1 \right) = 428 \text{ kg/cm}^2 \text{ ok}$$

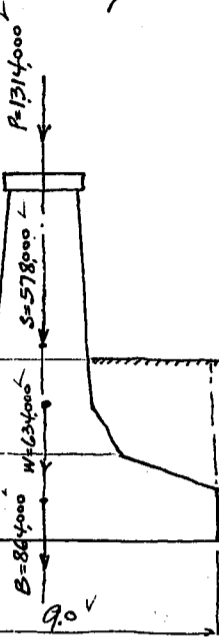
$$\text{unit shear} = \frac{274,500}{1700 \cdot \frac{2}{8} \cdot 172} = 1.07 \text{ kg/cm}^2 \text{ ok}$$

$$\text{unit bond} = \frac{274,500}{5.97 \cdot 3333 \cdot 17 \cdot \frac{2}{8} \cdot 172} = 5.4 \text{ kg/cm}^2 \text{ ok}$$

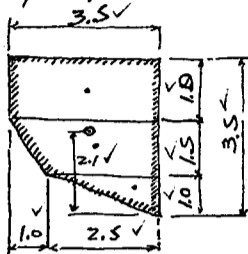
CALCULATIONS FOR

Design of Jiiso Bashi for Osaka prefecture.

Stability of Abutment as a whole.
Case 1. Stability at normal state.



weight of earth on Base.



$$\begin{aligned}
 3.5 \times 1.0 &= 3.5V \\
 3.0 \times 1.5 &= 4.5V \\
 2.5 \times 1.5 &= 1.75V \\
 \text{earth on end } & \frac{9.25 \times 19.8}{2} @ 1600 = 296,000 \text{ kg} = \frac{W}{2} \\
 3.5 \times 3.0 &= 10.50V \\
 4.5 \times 1.75 &= 8.05V \\
 1.75 \times 0.66 &= 0.83V \\
 9.25 \times 2.1 &= 19.38V \\
 \hline
 & 317,000 \text{ kg} = \frac{W}{2}
 \end{aligned}$$

max Loads.

Superimposed D.L. + L.L. = 1,314,000 V = P
wt. of Shaft = 578,000 V = S
wt. of earth on base = 634,000 V = W
wt. of Base = 864,000 V = B
3,390,000 V kg.

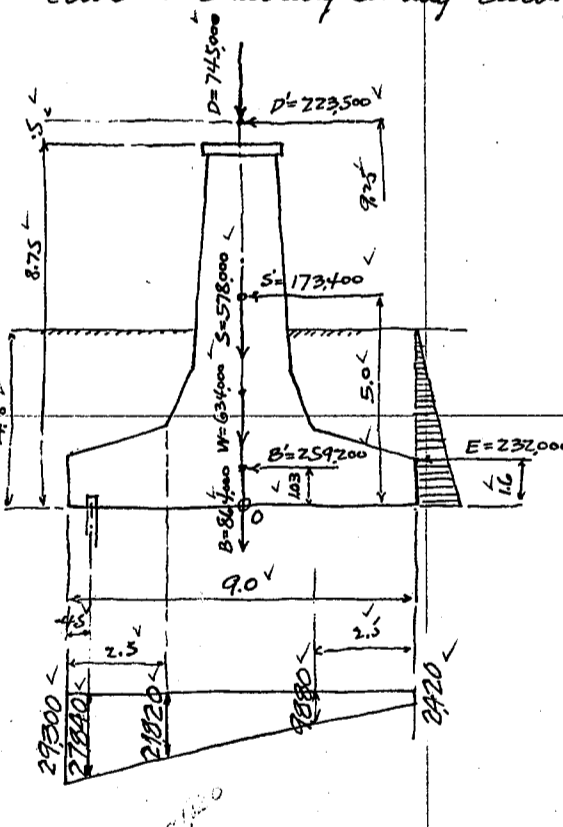
Bottom area of Base.
= 9.0 x 19.8 = 178.2 V dm

Unit bearing pressure = $\frac{3,390,000}{178.2} = 19,030 \text{ kg/m}^2$ (or 174 tons/m²)

max. load on one pile = 19.03 x 9 x 9 = 15.4 V kg tons.

Case 2. Stability during Earthquake k=0.3 assumed

Earth pressure during earthquake = $0.662 \times 1600 \times 4.8^2 = 12,200 \text{ kg/m}$
E = 12,200 x 19.0 = 232,000 kg



Taking moment about center of Base O.

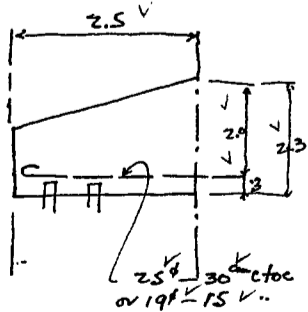
Loads	Hor. forces	Vert. forces	Lever arm	moment	
D		745,000 V	0 V	= 0 V	
D'	223,500 V		9.25 V	= 2,070,000 V	
S		578,000 V	0 V	= 0 V	
S'	173,400 V		5.00 V	= 867,000 V	
W		634,000 V	0 V	= 0 V	
B		864,000 V	0 V	= 0 V	
B'	259,200 V		1.03 V	= 267,000 V	
E	232,000 V		1.60 V	= 371,000 V	
ΣH	888,100 kg	ΣV	2,821,000 kg	1.27 m	3,575,000 kgm

Resultant force within middle third.

max. toe pressure = $\frac{2,821,000}{19.8 \times 9.0} \left(1 \pm \frac{6 \times 1.27}{9.0} \right)$
= 29,300 V kg/m² C or (268 tons/m²)
or = 2920 V C

max. load on one pile = 28,240 x 9 x 9 = 22.9 kg tons.

Design of Cantilever footing



earthquake

upward pressure

wt. of footing

wt. of earth

at end. at fixture.
29,300 21,020 V
- 3120 V 2,302,400 V
- 5,600 V - 4,000 V
20,580 12,300 V
Moment = $\frac{20,580 \times 12,300}{2} = 127,000 \text{ V kgm}$
 $\frac{127,000}{2.5} \times 1.35 = 55,400 \text{ V kgm (+1.8 = 39,800)}$

Normal state

upward pressure

19,030 19,030 V
- 3120 V - 5,520 V
- 5,600 V - 4,000 V
10,310 V 9,510 V
Moment = $\frac{10,310 \times 9,510}{2} \times 2.5 \times 1.27 = 31,450 \text{ V kgm}$ Shear = 24,800 V kg

Steel area reqd = $\frac{31,450 \times 100}{1200 \times 8 \times 200} = 15.0 \text{ cm}^2/\text{m}$

use 25 mm bars at 30 cm c/c = 16.35 V
(or 19 mm bars at 15 cm c/c = 18.9 V)

$P = \frac{16.35}{200 \times 100} = 0.0081$ $k = 14.7$ $j = 0.949$

$f_s = \frac{31,450 \times 100}{16.35 \times 8 \times 200} = 1100 \text{ kg/cm}^2$ ok

$f_c = \frac{1100 \times 14.7}{15 (1 - 14.7)} = 11.7 \text{ kg/cm}^2$ ok

Moment at normal state controls the section.

unit shear = $\frac{24,800}{100 \times 9.49 \times 200} = 1.31 \text{ kg/cm}^2$ ok

unit bond = $\frac{24,800}{7.85 \times 3.33 \times 19.49 \times 200} = 5.0 \text{ kg/cm}^2$ ok.

CALCULATIONS FOR

Design of Jiiso Bashi for Osaka prefecture.

Volume and weight of Concrete 1:2:4 mixture			
Coping	$1.62 \times 0.4 \times 16.0 = 10.37 \text{ m}^3$	$\times 5.75 = 59.6 \text{ m}^3$	
"	$1.62 \times 0.4 = 0.83 \text{ m}^3$	$\times \text{ " } = 4.8 \text{ m}^3$	
Shaft	$1.87 \times 5.55 \times 16.0 = 166.10 \text{ m}^3$	$\times 2.61 = 433.5 \text{ m}^3$	weight of shaft = $192.55 \times 2400 = 462,000 \text{ kg}$
	$1.87 \times 5.55 = 10.47 \text{ m}^3$	$\times 2.72 = 28.7 \text{ m}^3$	
Base	$4.72 \times 1.0 \times 19.8 = 93.40 \text{ m}^3$	$\times 1.71 = 159.7 \text{ m}^3$	weight of Base = $278.8 \times 2400 = 669,000 \text{ kg}$
	$7.20 \times 1.3 \times 19.8 = 185.40 \text{ m}^3$	$\times 0.65 = 120.4 \text{ m}^3$	
		$278.80 \text{ m}^3 \times 1.01 = 280.1 \text{ m}^3$	

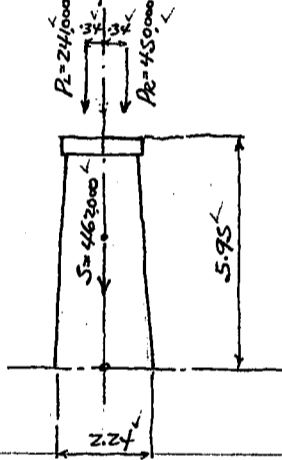
Total concrete for one pier = 471.35 cub meters.

Superimposed Loads on Pier.

Dead Load = 430,000
Live Load = 261,000
Total = 691,000 kg

Loads on Bearing Shortspan on longer span.
 $147,600 \times 5900 = 147,600$ $276,500 \times 5900 = 282,400$
Total = 430,000 kg

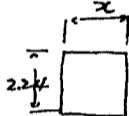
Stability of Shaft.
Case 1 Stability at normal state.



Bottom Section

Equivalent rectangle of same moment of inertia.

Moment of inertia of circle $2.24^4 \times 0.0491 = 1.235 \text{ m}^4$
Rectangle moment of inertia $\frac{x^3}{12} = 0.937x$



$0.937x = 1.235$

$x = \frac{1.235}{0.937} = 1.32$

$1.32 + 16.0 = 17.32 \text{ m}$

Area = $17.32 \times 2.24 = 38.8 \text{ m}^2$

Moment of inertia = $\frac{17.32 \times 2.24^3}{12} = 16.2 \text{ m}^4$

Loads on pier

$P_L = 241,000 \times 0.34 = 82,000$

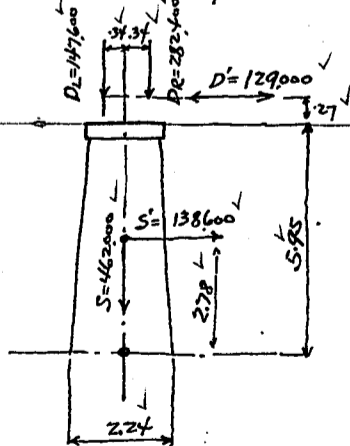
$P_R = 450,000 \times 0.34 = 153,000$

$S = \frac{462,000}{1153,000} \times 0.62 = 71,000 \text{ kgm}$

$f_c = \frac{1153,000}{38.8} \left(1 \pm \frac{6 \times 0.62}{2.24} \right) = 34,700 \text{ kg/m}^2 \text{ C} = 3.47 \text{ kg/cm}^2 \text{ OK}$

or $24800 \times C = 2.48$

Case 2 Stability during Earthquake.



Loads Hor. forces Vert. forces Lever arm Moment.

$D_L = 147,600 \times 0.34 = 50,200$

$D_R = 282,400 \times 0.34 = 96,000$

$D' = 129,000 \times 6.22 = 802,000$

$S = 462,000 \times 0 = 0$

$S' = 138,600 \times 2.78 = 385,500$

$\frac{892,000}{267,600} \times 1.38 = 1,233,300 \text{ kgm}$

$\frac{z}{h} = \frac{1.38}{2.24} = 0.616$ $\frac{d'}{h} = \frac{6}{2.24} = 0.26$

Try reinforcement 19 bars at 30 cm c/c. = $2.835 \times 3.333 \times 17.32 = 163.6 \text{ cm}^2$

$p_o = 2p = \frac{163.6 \times 2}{1732 \times 2.24} = 0.0084$ $k = 0.23$ $L = 0.61$

$f_c = \frac{1,233,300 \times 100}{0.61 \times 1732 \times 2.24} = 23.3 \text{ kg/cm}^2 \text{ OK}$

$f_s = 15 \times 23.3 \left(\frac{218}{23 \times 2.24} - 1 \right) = 1132 \text{ kg/cm}^2 \text{ OK}$

Unit Shear = $\frac{267,600}{1732 \times \frac{7}{8} \times 218} = 0.81 \text{ " OK}$

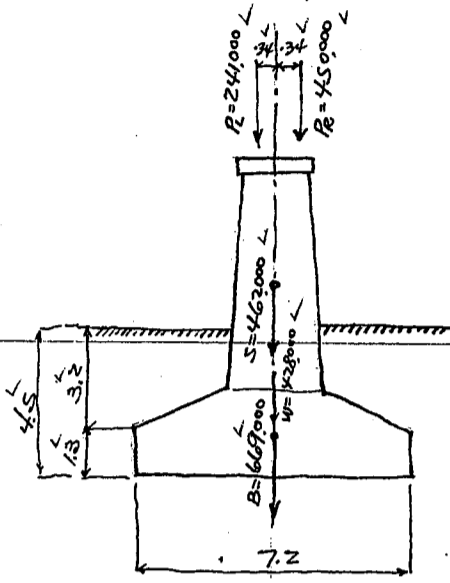
Unit bond = $\frac{267,600}{1732 \times 5.96 \times 3.333 \times \frac{7}{8} \times 218} = 7.1 \text{ " OK}$

CALCULATIONS FOR

Design of Jiiso Bashi for Osaka Prefecture.

Stability of Pier as a whole.

Case 1. Stability at Normal State.



Weight of earth on footing $\cdot 2.7 \cdot 2.5 \cdot 19.8 \cdot 2 \cdot 1600 = 214,000 \cdot 2 = 428,000 \text{ kg say } = W$

Superimp. loads $\cdot 241,000 \cdot .34 = -82,000$

" $\cdot 450,000 \cdot .34 = +153,000$

wt. of shaft $\cdot 462,000 \cdot 0 = 0$

" base $\cdot 669,000 \cdot 0 = 0$

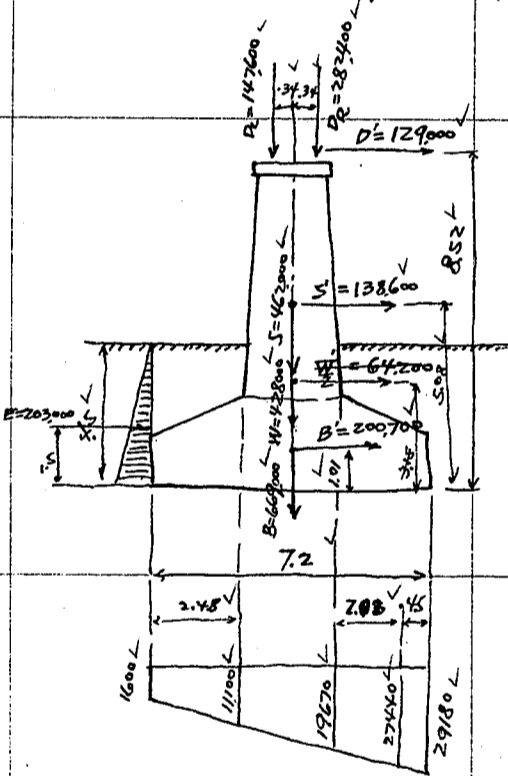
" earth on footing $\cdot 428,000 \cdot 0 = 0$

$\cdot 2250,000 \cdot .032 = 71,000 \text{ kgm.}$

max. toe pressure = $\frac{2250,000}{7.2 \cdot 19.8} \left(1 \pm \frac{6 \cdot 0.032}{7.2} \right) = 16200 \text{ kg/m}^2 \text{ (1.48 tons/ft.}^2)$

max. load on one pile = $16.2 \cdot 9 \cdot 9 = 13.1 \text{ kg tons.}$

Case 2. Stability during Earthquake.



Seismic force due to earth on footing = $\frac{428,000}{2} \cdot 0.3 = 64,200 \text{ kg (one side only).}$

Earth pressure during earthquake = $\frac{662 \cdot 1600 \cdot 4.5}{2} = 10,700 \text{ kg/lin m}$

$E = 10700 \cdot 19.0 \text{ say } = 203,000 \text{ kg}$

Moment about centre of Base

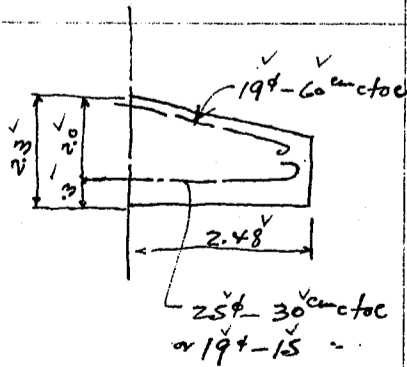
Loads	Hor. forces	Vert. forces	Lev. arm	Moment
D		147,600	$\cdot -0.34$	$= -50,700$
D'		282,400	$\cdot +0.34$	$= +96,000$
D'	129,000		$\cdot +8.52$	$= +1,099,000$
S		462,000	$\cdot 0$	$= 0$
S'	138,600		$\cdot +5.08$	$= +704,000$
W		428,000	$\cdot 0$	$= 0$
B		669,000	$\cdot 0$	$= 0$
B'	200,700		$\cdot +1.01$	$= +202,800$
E		203,000	$\cdot +1.50$	$= +304,500$
	468,300	2,192,000	$\cdot 1.075$	$= +2,356,100$

Resultant force within middle third.

max. toe pressure = $\frac{2,192,000}{7.2 \cdot 19.8} \left(1 \pm \frac{6 \cdot 1.075}{7.2} \right) = 29,180 \text{ kg/m}^2 \text{ (2.67 tons/ft.}^2)$

max. load on one pile = $27.44 \cdot 9 \cdot 9 = 22.4 \text{ kg tons}$

Design of Cantilever Footing



Earthquake

	at end	at fixed points.
upward pressure	29180	19670
wt. of footing	-3120	-5520
wt of earth	$3.2 \cdot 1600 = -5,120$	$2.2 \cdot 1600 = -3,520$
	20,940	10,630
moment	$= \frac{20,940 + 10,630}{2} \cdot 2.48 = 52,800$	$52,800 \text{ kgm/strip, Shear} = 39,150 \text{ kg/m}$

At normal state

upward pressure	16200	15400
wt of footing + earth	$-8,240$	$-9,040$
	7,960	6,360
moment	$= \frac{7,960 + 6,360}{2} \cdot 2.48 = 22,750$	$22,750 \text{ kgm/strip, Shear} = 17,750 \text{ kg/m}$

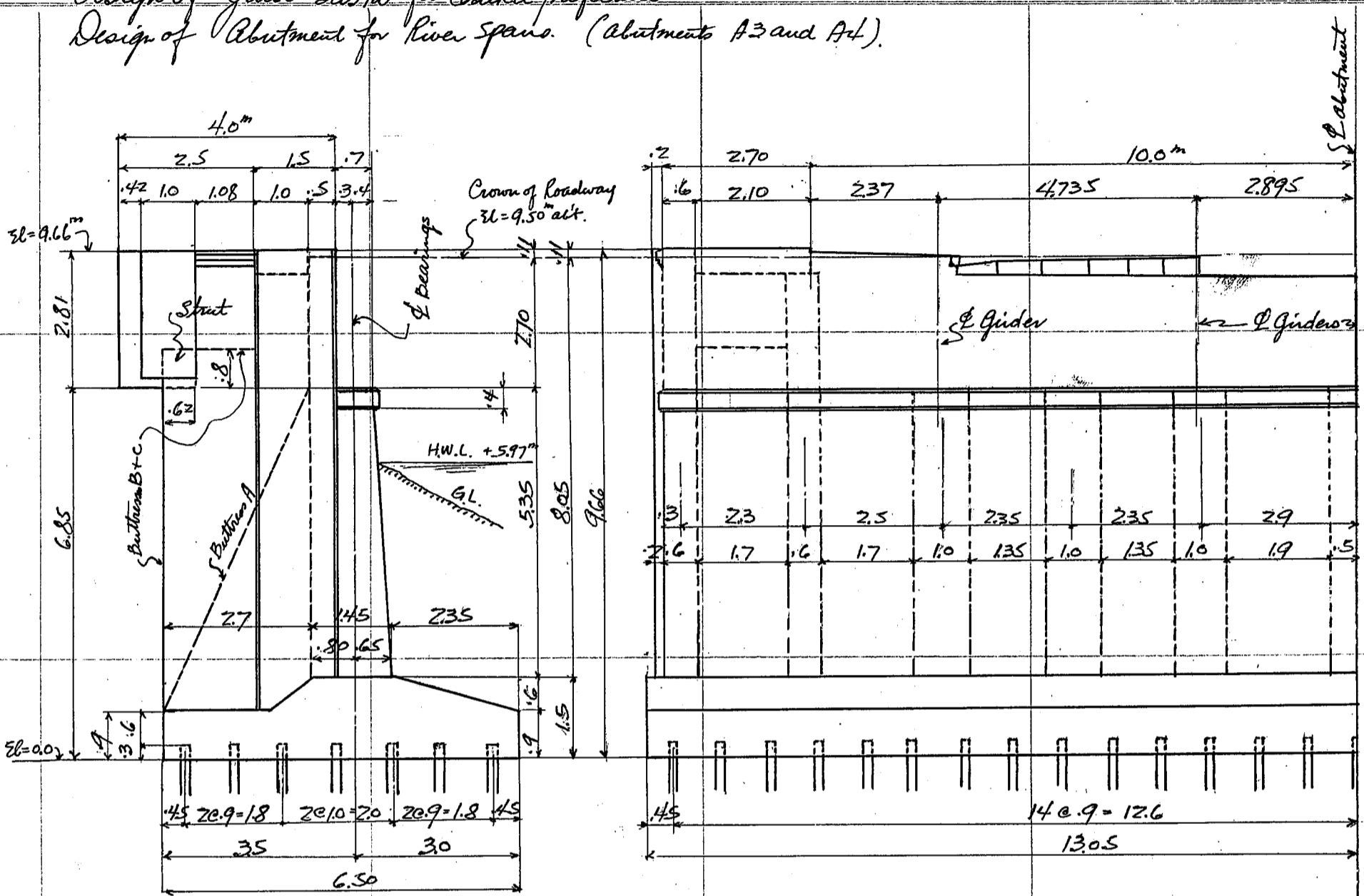
Moment + Shear during earthquake controls the section.

$52,800 \div 1.8 = 29,300 < 31,450$ for Pier B.

Use same details as for pier B + C. for Base reinforcements.

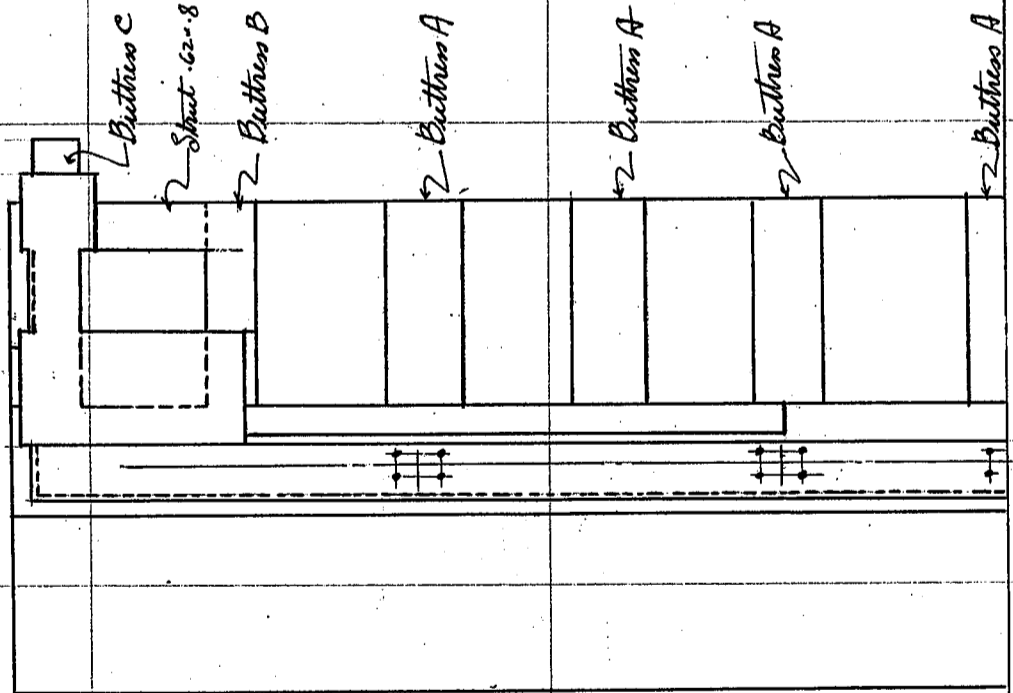
CALCULATIONS FOR

*Design of Juso Bashi for Osaka prefecture.
Design of Abutment for River spans. (Abutments A3 and A4).*

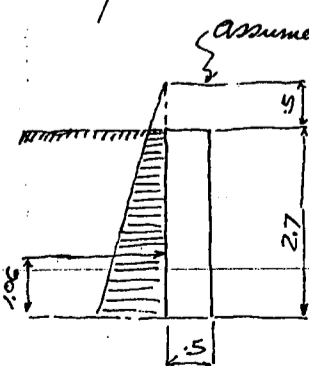


*Sketch of Abutments A3 and A4.
Scale 1:100.*

Note. Abutment A4 has cantilevers under handrails on both wings.



Parapet wall.



Assumed surcharge for L.L.

Moment and shear at normal state.

$\text{Earth pressure} = \frac{1}{3} \cdot 1600 \cdot 0.5 = 267$

$\frac{1}{3} \cdot 1600 \cdot 3.2 = 1706$

$1973 \div 2 = 1487.987 \text{ kg/m}^2 \text{ Average.}$

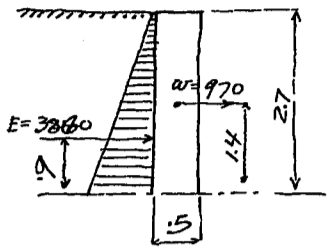
$\text{Earth pressure for one meter strip of wall} = 987 \cdot 2.7 = 2665 \text{ kg}$

$\text{moment} = 2665 \cdot 1.06 = 2830 \text{ kgm}$

$\text{Shear} = 2665 \text{ kg}$

CALCULATIONS FOR

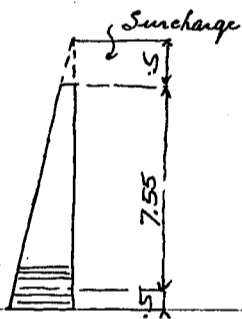
Design of Jirso-Bashi for Osaka prefecture.



Moment and shears for Earthquake seismic coeff. $k=0.3$ assumed.
 Earth pressure = $0.662 \frac{wh^2}{2} = 0.331 \cdot 1600 \cdot 27^2 = 3860 \text{ kg per lin m.}$
 wt. of wall = $1.5 \cdot 27 \cdot 2400 = 3240 \text{ kg}$
 Seismic force = $3240 \cdot 0.3 = 970 \text{ kg}$
 Moment = $3860 \cdot 9 = 3475$
 $970 \cdot 1.4 = 1358$
 4833 kgm
 Shear = $3860 + 970 = 4830 \text{ kg}$

Moment at normal state governs.
 Effective depth required = $\sqrt{\frac{2830 \cdot 100}{100 \cdot 7.18}} = 19.8 \text{ cm}$
 Use 45 cm effective depth with 5 cm insulation or 50 cm overall.
 Steel area required = $\frac{2830 \cdot 100}{1200 \cdot 7 \cdot 45} = 5.99 \text{ cm}^2 \text{ per meter strip.}$
 Use 16 mm ϕ bars at 30 cm c/c = 6.71 cm 2 on rear side
 13 " " " " = 4.43 " front
 Unit shear = $\frac{4830}{100 \cdot 7 \cdot 45} = 1.2 \text{ kg/cm}^2$ during earthquake. ok
 Unit bond = $\frac{4830}{503 \cdot 333 \cdot 7 \cdot 45} = 7.3 \text{ kg/cm}^2$ during earthquake ok.

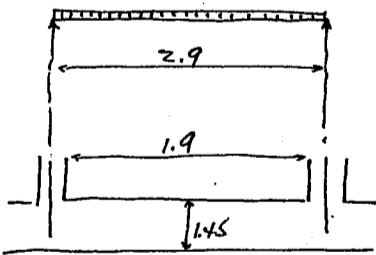
Curtain wall at center.



Span length = 2.9 m c/c of buttresses. clear span = 1.9 m.
 At normal state.
 Average earth pressure on lowest 1 meter strip.
 = $\frac{1}{3} \cdot 1600 \cdot 8.05 = 4290 \text{ kg/m}^2$
 Moment = $\frac{1}{10} \cdot 4290 \cdot 2.9^2 = 3610 \text{ kgm.}$
 Shear = $\frac{1}{2} \cdot 4290 \cdot 1.9 = 4075 \text{ kg}$

During Earthquake.

Average earth pressure on lowest 1 meter strip.
 = $\frac{1}{3} \cdot 0.662 \cdot 1600 \cdot 7.55 = 7990 \text{ kg/m}^2$
 wt. of wall = $1.45 \cdot 10 \cdot 2400 = 3480 \text{ kg}$
 Seismic force = $3480 \cdot 0.3 = 1045 \text{ kg.}$
 Total load on wall = $7990 + 1045 = 9035 \text{ kg per lin meter}$
 Moment = $\frac{1}{10} \cdot 9035 \cdot 2.9^2 = 7600 \text{ kgm.}$
 Shear = $\frac{1}{2} \cdot 9035 \cdot 1.9 = 8590 \text{ kg.}$
 Moment and shear during earthquake governs the section.
 Effective depth req'd = $\sqrt{\frac{7600 \cdot 100}{100 \cdot 7.18}} = 32.6 \text{ cm}$



Use 140 eff. depth with 5 cm insulation. total depth = 145 cm
 Steel area req'd. = $\frac{7600 \cdot 100}{1200 \cdot 1.8 \cdot 7 \cdot 140} = 2.87 \text{ cm}^2$
 unit shear = $\frac{8590}{100 \cdot 7 \cdot 140} = 0.7 \text{ kg/cm}^2$ ok.
 Use 19 mm ϕ bars at 50 cm c/c = 5.67 cm 2
 unit bond = $\frac{8590}{597 \cdot 2 \cdot 7 \cdot 140} = 5.87 \text{ kg/cm}^2$ ok.

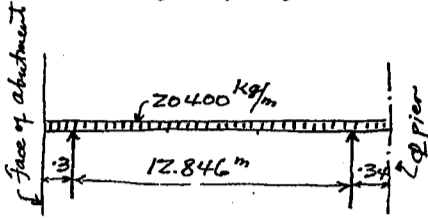
For other curtain walls, use the same details as for center curtain wall discussed above.

CALCULATIONS FOR

Design of Girus Bashi for Osaka Prefecture.

Superimposed Loads on Abutment.

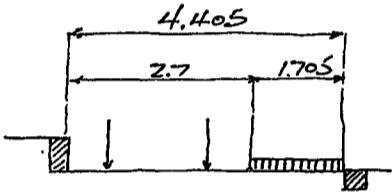
Dead Load: -



Dead load of Bridge = 20,400 kg/lin m.
D.L. on abutment = $20,400 \times 12.846 \div 2 = 131,000$ kg
outside of Bearing = $20,400 \times .3$ say = 6,100
weight of Shoes say 5 @ 700 = 3,500
140,600 kg for one abutment.
Call this 140,000 kg

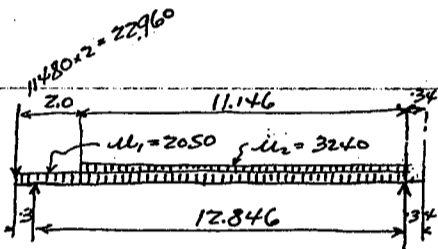
Live Load:

$\frac{1}{2} \times 12.846 = 6.423$
 $\frac{.300}{6.723} m$



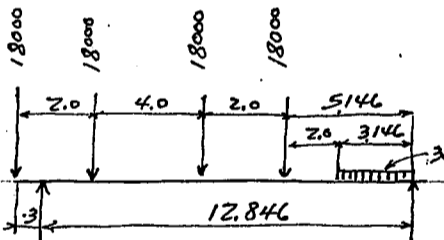
Uniform load on sidewalk. 500 kg/m²
 $500 \times 2.75 \times 2 = 2,750$ kg/lin meter.
Load on abutment = $2,750 \times 6.723 = 18,500$ kg for one abutment.

Uniform load on roadway = 600 kg/m²
motor truck wheels on roadway
Rear wheel concentration = 4,500 kg
Imp. coef. = $\frac{20}{60+12.846} = 27.5\% = \frac{1,240}{5,740} kg \times 2 = 11,480$ kg
Front wheel conc. with impact = $\frac{5,740}{3} \times 2 = 3,830$ kg



Uniform load on roadway throughout the span = $600 \times 1.705 \times 2 = 2,050$ kg/m = M_1
Uniform load on roadway on front + rear of trucks = $600 \times 2.7 \times 2 = 3,240$ = M_2

Load on abutment:
Rear wheels. $\frac{22,960 \times 13.146}{12.846} = 23,550$
Unif. load M_1 $\frac{2,050 \times 13.146^2}{2 \times 12.846} = 13,800$
Unif. load M_2 $\frac{3,240 \times 11.146^2}{2 \times 12.846} = 15,650$
53,000 kg for one abutment.



Loads on Electric Railway.
water splinters, double lines @ 2 cars.
axle load = 9,000 kg. $9,000 \times 2 = 18,000$ kg for double line.
Unif load on electric railway $600 \times 5.69 = 3,420$ kg/lin meter.
Load on abutment:
wheel loads. $\frac{18,000 (5.146 + 7.146 + 11.146 + 13.146)}{12.846} = 51,280$
Unif. load $\frac{3,420 \times 3.146^2}{2 \times 12.846} = 1,320$
52,600 kg for one abutment.

Summary for Live load on abutment

Uniform load on sidewalk = 18,500
loads on roadway = 53,000
" " electric railway = 52,600
124,100 misc. variations say 900 kg

Call this 125,000 kg

Summary of Superimposed loads on abutment.

	For one abutment	average for one girder.
Dead Load.	$140,000 \div 5 =$	28,000
Live Load.	$125,000 \div 5 =$	25,000
	<u>265,000 kg</u>	<u>53,000 kg</u>

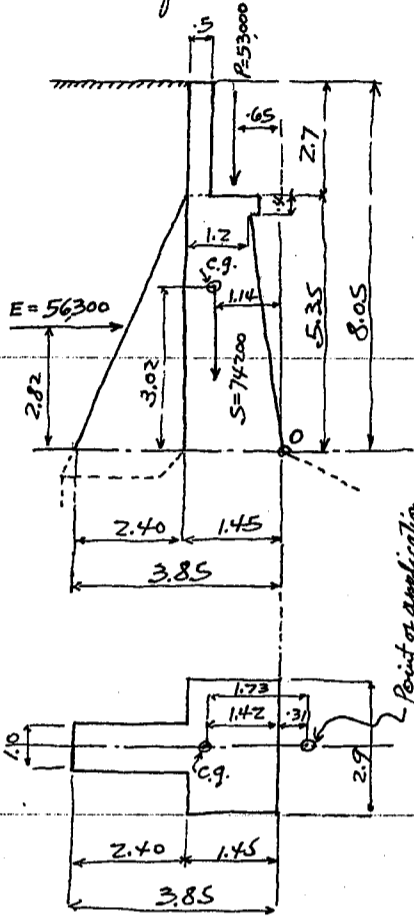
Seismic force 30% of D.L. = say 80,000 kg. say 18,400 kg

CALCULATIONS FOR

Design of Jiuse Bashi for Osaka prefecture.

Design of Counterfort walls.

Counterfort wall at center A. 2.9 meters c to c.



Weight of concrete for 2.9m width.

		hor. arm	vert. arm	
parapet wall	$.5 \times 2.7 \times 2.9 @ 2400 = 9400$	1.20	11.280	6.70 68,000
Coping	$.4 \times 1.3 \times 2.9 @ \dots = 3600$.80	2.880	5.15 18,550
Curtain wall	$1.33 \times 4.95 \times 2.9 @ \dots = 45800$	2.25	35.700	2.40 110,000
counterfort wall.	$1.2 \times 5.35 \times 1.0 @ \dots = 15400$	2.26	34.650	1.78 27,400
	30.94 m^3	$74,200 \text{ kg}$	1.14 m	$84,510$
			3.02 m	$223,950$

Center of gravity of Bottom section

Front wall. $2.9 \times 1.45 = 4.21 \times .725 = 3.05$
 Counterfort wall $2.4 \times 1.00 = 2.40 \times 2.65 = 6.36$
 $6.61 \text{ m} \times 1.42 \text{ m} = 9.41$

Earth pressure at normal state, assuming surcharge due to L.L. = 0.5m

$\frac{1}{3} \times 1600 \times 0.5 = 267$
 $\frac{1}{3} \times 1600 \times 8.55 = 4557$
 $4824 \div 2 \times 8.05 = 19,420 \text{ kg/meter strip}$

For 2.9m strip, total earth pressure $E = 19,420 \times 2.9 = 56,300 \text{ kg}$

Superimposed Dead + live load for one girder = 53,000 kg page A14

Taking moment about point O.

Loads	Horizontal force	Vertical force	Lever arm	Moment
P	\$	53,000	$\times -0.65 =$	-34,450
S		74,200	$\times -1.14 =$	-84,500
E	$\frac{56,300}{56,300 \text{ kg}}$		$\times 2.82 =$	158,750
		$127,200 \text{ kg}$	$\times 0.31 \text{ m} =$	39,800 kgm

Eccentricity $\Sigma = 0.31 + 1.42 = 1.73 \text{ m}$

Moment at bottom section = $127,200 \times 1.73 = 220,000 \text{ kgm}$

Shear at . . . = 56,300 kg

Earth pressure during earthquake $k=0.3$ Assumed.

$0.662 \frac{wh^2}{2} = 0.331 \times 1600 \times 8.05^2 = 34,300 \text{ kg per meter strip}$

for 2.9m width of wall $E = 34,300 \times 2.9 = 99,500 \text{ kg}$

Superimposed Dead load = 28,000 kg

Seismic force = $28,000 \times 0.3 = 8,400$

Taking moments about point O.

Loads	Hor. force	Vert. force	Lever arm	Moment
D		28,000	$\times -0.65 =$	-18,200
D'	8,400		$\times 5.8 =$	+48,700
S		74,200	$\times -1.14 =$	-84,600
S'	22,300		$\times 3.02 =$	+67,300
E	$\frac{99,500}{130,200 \text{ kg}}$		$\times 2.68 =$	+266,500
		$102,200 \text{ kg}$	$\times 2.74 \text{ m} =$	+279,700

Eccentricity $\Sigma = 2.74 + 1.42 = 4.16 \text{ m}$

Moment at bottom = $102,200 \times 4.16 = 425,000 \text{ kgm} > 220,000 \times 1.8$

Shear . . . = $130,200 \text{ kg} > 56,300 \times 1.8$

Moment + Shear for earthquake case controls the section.

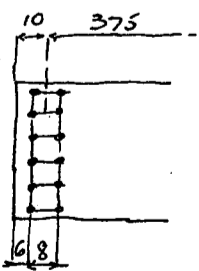
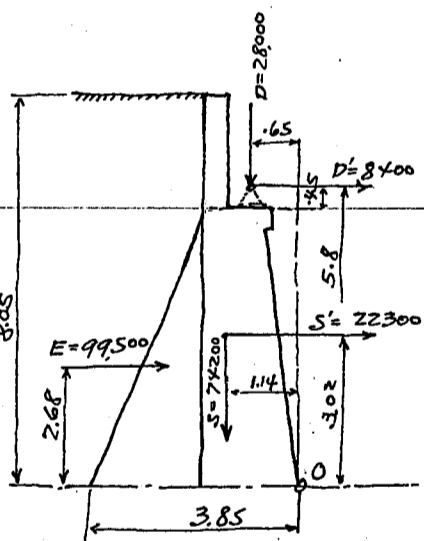
approx. steel area required = $\frac{425,000 \times 100}{1200 \times 1.8 \times \frac{7}{8} \times 375} = 60.0 \text{ cm}^2$ for moment only.

Try reinforcements. 12-25mm bars = 58.9 cm²

Steel ratio $p = \frac{58.9}{290 \times 375} = 0.00054$

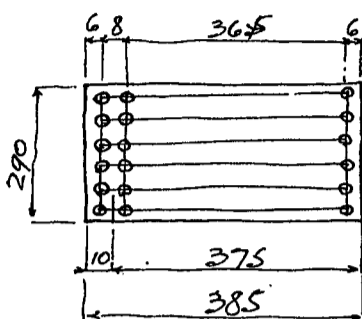
$t/d = 145/375 = 0.39$

Neutral axis in the flange. Design as a rectangular section of double reinforcements.



CALCULATIONS FOR

Design of Juiso-Bashi for Osaka prefecture.



$b = 290, d = 275, d' = 6, A_s = 12 \cdot 25^2 = 589 \text{ cm}^2, A_s' = \frac{A_s}{2} = 6 \cdot 25^2 = 295 \text{ cm}^2$
 $p = \frac{589}{290 \cdot 275} = .00054, p' = \frac{295}{290 \cdot 275} = .00027, m = 15, p + p' = .00081, \frac{d'}{d} = \frac{6}{275} = .016$
 $k = \sqrt{2n(p + p' \frac{d'}{d}) + m^2(p + p')^2} - m(p + p')$
 $= \sqrt{2 \cdot 15(.00054 + .00027 \cdot \frac{6}{275}) + 15^2(.00081)^2} - 15 \cdot .00081 = \sqrt{.0178} - .0122 = 0.121$
 $j = \frac{k^2(1 - \frac{1}{2}k) + 2p'n(k - \frac{d'}{d})(1 - \frac{d'}{d})}{k^2 + 2p'n(k - \frac{d'}{d})} = \frac{.121^2 \cdot .96 + 30 \cdot .00027 \cdot .105 \cdot .984}{.121^2 + 30 \cdot .00027 \cdot .105} = 0.96$
 $f_s = \frac{425000 \cdot 100}{58.9 \cdot .96 \cdot 275} = 2005 \text{ kg/cm}^2 < 1200 \cdot 1.8 = 2160 \text{ ok. For safe side, effect of direct compression neglected.}$

$f_c = \frac{2005 \cdot .121}{15(1 - .121)} = 18.4$ due to bending moment.
 $= \frac{102200}{66100} = 1.6$ due to direct compression.
 $20.0 \text{ kg/cm}^2 < 35 \cdot 1.8 = 63 \text{ ok.}$
 width of web = 100 cm.
 unit shear = $\frac{130200}{100 \cdot .96 \cdot 275} = 3.6 \text{ kg/cm}^2 < 4.18 \text{ ok.}$
 unit bond = $\frac{130200}{12 \cdot 785 \cdot .96 \cdot 275} = 3.8 \text{ ok.}$

Case of Seismic forces backward.

Earth pressure E'
 $E' = .331 \cdot 1600 \cdot 3^2 = 2.9$
 $= 13800 \text{ kg}$

Taking moment about point O. refer to the sketch for above case page A15.

Loads	Hor. forces	Vert. forces	Lev. arm	Moments.
D		28000	.65	18200
D'	8400		.58	48700
S		74200	1.14	84600
S'	22300		3.02	67300
E'	13800		1.00	13800
	44500 kg	102200 kg	2.28	232600 kgm

Eccentricity $e = 2.28 - 1.42 = 0.86 \text{ m}$
 Moment on bottom section = $102200 \cdot 0.86 = 87900 \text{ kgm}$
 Shear = 44500 kg
 try reinforcements 6-25 mm bars = 295 cm^2 eff. depth = $385 - 6 = 379 \text{ cm}$
 $p = \frac{295}{100 \cdot 379} = .00078, j = .95, k = .147$
 $f_s = \frac{87900 \cdot 100}{295 \cdot .95 \cdot 379} = 827 \text{ kg/cm}^2 \text{ ok. Effect of direct comp. neglected.}$
 $f_c = \frac{827 \cdot .147}{15(1 - .147)} = 9.5$ due to bending moment.
 $= \frac{102200}{66100} = 1.6$ due to direct compression.
 $11.1 \text{ kg/cm}^2 \text{ ok.}$

Shear + bond stress ok
 For all intermediate counterforts A, use same details as above.

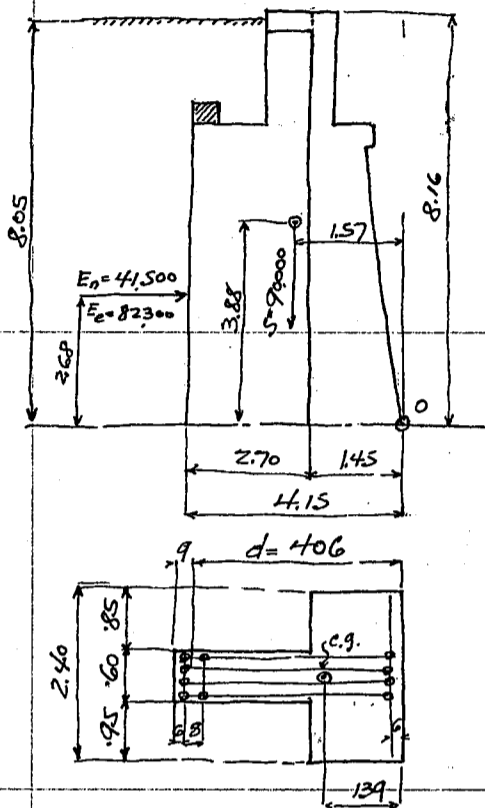
Counterfort walls B. at end. Following calculations are figured for counterfort wall under curb line.

Volume of concrete and weight of wall. (2.4 m wide).

	hor arm	vert arm					
Parapet wall	$2.4 \cdot 2.7 \cdot .5 = 3.24$	@ 2400	7780	1.20	9330	6.70	52100
Coping	$0.4 \cdot 1.3 \cdot 2.4 = 1.25$	@ "	3000	.80	2400	5.15	15450
Curtain wall	$1.33 \cdot 4.95 \cdot 2.4 = 15.80$	@ "	37900	.78	25650	2.40	91000
Counterfort wall.	$2.7 \cdot 6 \cdot 6.75 = 10.93$	@ "	26220	2.80	73400	2.68	70300
"	$1.0 \cdot 6 \cdot 2.32 = 1.39$	@ "	3340	1.95	6500	5.61	18750
Slab under pedestal	$1.5 \cdot 1.25 \cdot .5 = .94$	@ "	2260	1.70	3840	7.91	17870
Strut between walls.	$.62 \cdot .8 \cdot 1.45 = .72$	@ "	1730	3.84	6640	5.75	9940
Pedestal & say			7770	1.70	13200	9.50	73800
	34.27 m^3		90000 kg	1.57 m	140960	3.88 m	349210

CALCULATIONS FOR

Design of Giuseo Basili for Osaka-Prefecture.



Center of gravity of Bottom area.

Curtain wall $145 \cdot 240 = 34,800 \times 72.5 = 2,521,000$
 Counterfort $60 \cdot 270 = \frac{16200 \cdot 280}{51,000 \cdot 139} = 4,539,000$
 $\frac{2,521,000}{7,060,000}$

Earth pressure at normal state. Surcharge due to L.L. is very small and neglected.

$\# = \frac{1}{3} \cdot 1600 \cdot 8.05^2 = 17,300 \text{ kg/m strip.}$

$E_p = 17300 \cdot 2.4 = 41,500 \text{ kg.}$

Taking moment about O.

Weight wall $S = 90,000 \cdot 1.57 = -14,1300$

Earth pressure $E_p = 41,500 \cdot 2.68 = 111,300$

$-30,000 \text{ kg} \div 90,000 = -0.33 \text{ m}$

Eccentricity $e = 1.39 + 0.33 = 1.06 \text{ m}$

Moment at bottom section $= 90,000 \cdot 1.06 = 95,400 \text{ kgm}$

Shear $= 41,500 \text{ kg}$

Earth pressure during earthquake.

$E_e = 34,300 \cdot 2.4 = 82,300 \text{ kg}$ page A 15.

moment about O.

Weight of wall $90,000 \cdot 1.57 = -14,1300$

earth pressure $82,300 \cdot 2.68 = 220,500$

Eccentricity $e = 1.39 + .88 = 2.27 \text{ m}$ $79,200 \div 90,000 = .88$

Moment at bottom section $= 90,000 \cdot 2.27 = 204,300 \text{ kgm.}$ $79,5400 \cdot 1.8$

Shear $= 82,300 \text{ kg}$ $74,500 \cdot 1.8$

Moment and shear during earthquake governs.

Steel area required for moment $= \frac{204300 \cdot 100}{1200 \cdot 1.8 \cdot \frac{2}{3} \cdot 406} = 26.7 \text{ cm}^2$

Use 6-25 mm² bars $= 29.5 \text{ cm}^2$

Steel ratio $= \frac{29.5}{240 \cdot 406} = .00030 = p$. $p' = 0.00015$ $p+p' = .00045$. $\frac{d'}{d} = \frac{60}{406} = .147$

$t/d = 145/406 = 0.36$

neutral axis in the flange. Design as a rectangular section.

$k = \sqrt{30(.0003 + .00015 \cdot .0147) + .00675^2} - .00675 = .089$

$j = \frac{.00792 \cdot .9703 + .0045 \cdot .0743 \cdot .9853}{.00792 + .0045 \cdot .0743} = \frac{.00801}{.00826} = 0.970$

$f_s = \frac{204300 \cdot 100}{29.5 \cdot .97 \cdot 406} = 1550 \text{ kg/cm}^2 < 1200 \cdot 1.8 = 2160 \text{ ok.}$ Effect of direct comp. negltd.

$f_c = \frac{1760 \cdot .089}{15(1-.089)} = 11.5$ due to bending moment

$= \frac{90000}{51,000} = 1.8$ due to direct compression
 $13.3 \text{ kg/cm}^2 \text{ ok.}$

Unit Shear $= \frac{82300}{60 \cdot .97 \cdot 406} = 3.5 \text{ kg/cm}^2 \text{ ok.}$

Unit bond $= \frac{82300}{785 \cdot 6 \cdot .97 \cdot 406} = 4.4 \text{ " ok.}$

Case of seismic force backward. moment about O.

Earth pressure E_e
 $= .331 \cdot 1600 \cdot 3^2 \cdot 2.4$
 $= 11,500 \text{ kg}$

wt. of wall $90,000 \cdot 1.57 = -14,1300$

Earth pressure $11,500 \cdot 1.0 = -11,500$
 $-152,800 \div 90,000 = -1.7 \text{ m}$

Ecc. $e = 1.39 - 1.7 = -0.31$ $m = 90,000 \cdot .31 = 27,900 \text{ kgm.}$ Shear $= 11,500 \text{ kg}$

Steel req'd (approx) $= \frac{27900 \cdot 100}{1200 \cdot 1.8 \cdot \frac{2}{3} \cdot 406} = 3.6 \text{ cm}^2$

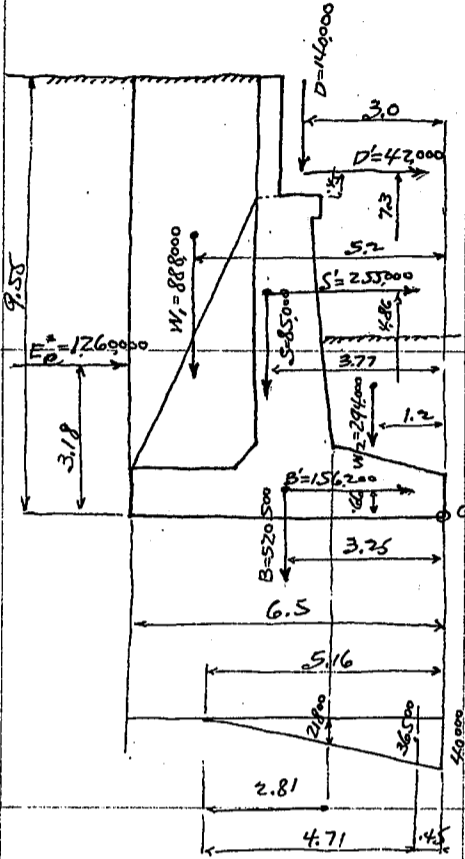
Use 4-25 mm² bars $= 19.36 \text{ cm}^2$

CALCULATIONS FOR

Design of Giiso-Bashi for Osaka-prefecture.

Case 2. Stability of Abutment during Earthquake (Seismic forces forward). $K=0.3$ assumed.

Taking moment about toe O.



Load	Hor. forces	Vert. forces	Lev. arms	Moment.
D		140,000	- 3.00	- 420,000
D'	42,000		+ 7.30	+ 306,500
S		850,000	- 3.77	- 3,205,000
S'	255,000		+ 4.86	+ 1,240,000
W ₁		888,000	- 5.20	- 4,620,000
W ₂		294,000	- 1.20	- 352,500
B		520,500	- 3.25	- 1,692,000
B'	156,200		+ 0.66	+ 103,000
E _e	<u>1260,000</u>	<u>1260,000</u>	+ 3.18	+ 4,005,000
	1,713,200 kg	2,692,500 kg	- 1.72	- 4,635,000

Eccentricity $\bar{x} = 3.25 - 1.72 = 1.53$ m Resultant force outside of middle third.

Pressure area = $1.72 \times 3 \times 2.61 = 134.7$ m²

max. toe pressure = $\frac{2,692,500 \times 2}{134.7} = 40,000$ kg/m² (or 3.66 tons/m²)

max. pressure on one pile = $36,500 \times 0.9 \times 0.9 = 29.5$ kg/ton. (杭12=支持力21.12)

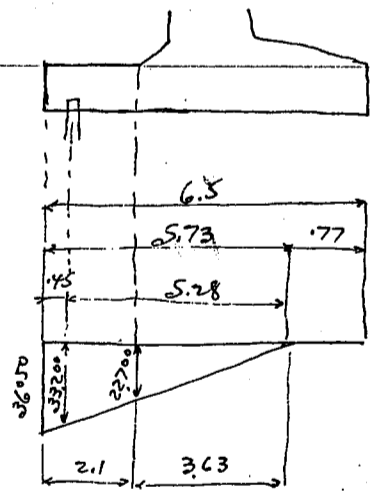
average skin friction = $\frac{29.5 \times 2206}{207.5} = 313$ %/o. ok.

If 10,000 kg/m² (or 0.94 tons/m²) be allowed for safe bearing of earth (地盤支持力 10,000 kg/m² (0.94 tons/m²))

max. load on one pile = $29.5 - 10 = 19.5$ kg/ton.

average skin friction = $\frac{21.4 \times 2206}{207.5} = 228$ %/o. ok. (7許以内 場合杭力加荷重)

Case 3. Stability during Earthquake. (Seismic forces backward) $K=0.3$ assumed.



Loads	Hor. forces	Vert. forces	Lev. arm	moment.
D		140,000	+ 3.00	420,000
D'	42,000		+ 3.77	306,500
S		850,000	+ 3.25	3,205,000
S'	255,000		+ 4.86	1,240,000
W ₁		888,000	+ 5.20	4,620,000
W ₂		294,000	+ 1.20	352,500
B		520,500	+ 3.25	1,692,000
B'	156,200		+ 0.66	103,000
E _e	<u>279,000</u>	<u>2,692,500</u>	+ 1.50	<u>4,185,000</u>
	732,200	2,692,500 kg	4.59	12,357,500

Eccentricity $\bar{x} = 4.59 - 3.25 = 1.34$ m Resultant force outside of middle third.

Pressure area = $3.25 - 1.34 = 1.91 \times 3 \times 2.61 = 149.5$ m²

max. heel pressure = $\frac{2,692,500 \times 2}{149.5} = 36,050$ kg/m² (or 3.3 tons/m²)

max. load on one pile = $33,200 \times 0.9 \times 0.9 = 26.9$ kg/ton. (杭12=支持力21.12)

If 10,000 kg/m² (or 0.94 tons/m²) be allowed for safe bearing of earth.

max. load on one pile = $26.9 - 10 = 16.9$ kg/ton. (地盤支持力 10,000 kg/m² (0.94 tons/m²))

average skin friction of pile

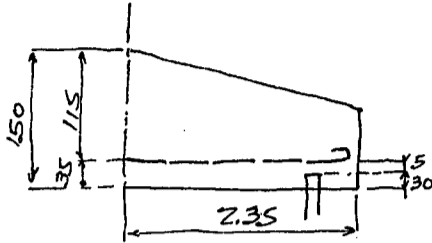
The former case $\frac{26.9 \times 2206}{207.5} = 286$ %/o.

The latter case $\frac{18.8 \times 2206}{207.5} = 200$ %/o.

CALCULATIONS FOR

Design of Jiuo-Bashi for Osaka-prefecture.

Design of Cantilever footing at toe.



At normal state. at face of wall. at toe

Upward pressure	17,500 kg/m ²	19,830 kg/m ²
wt. of footing	-3,600	-2,160
wt. of earth on footing	-4,800	-5,760
	<u>9,100</u>	<u>11,910</u>

$= 21010 \div 2 = 10,500 \text{ kg/m}^2 \text{ average}$

upward pressure = $10,500 \times 2.35 = 24,700 \text{ kg}$
moment = $24,700 \times 1.23 = 30,400 \text{ kgm}$ per meter strip of footing.

During Earthquake.

upward pressure	21,800	40,000
weight of footing	-3,600	-2,160
wt. of earth on footing	-4,800	-5,760
	<u>13,400</u>	<u>32,080</u>

$= \frac{45480}{2} = 22,740 \text{ kg/m}^2 \text{ average}$

upward force = $22,740 \times 2.35 = 53,400 \text{ kg}$ per meter strip.
moment = $53,400 \times 1.34 = 71,600 \text{ kgm}$
Shear = $53,400 \text{ kg}$
moment and shear during earthquake govern.
effective depth required = $\sqrt{\frac{71,600 \times 100}{100 \times 7.18 \times 1.8}} = 74.4 \text{ cm}$

use 115 cm eff. depth

Steel area req'd = $\frac{71,600 \times 100}{1200 \times 1.8 \times \frac{7}{8} \times 115} = 32.9 \text{ cm}^2$

use 25 mm ϕ bars at 15 cm c/c = 32.8 cm²

Steel ratio $p = \frac{32.8}{100 \times 115} = .00285$ $k = 0.25$, $j = 0.916$

$f_s = \frac{71,600 \times 100}{32.8 \times .916 \times 115} = 2070 \text{ kg/cm}^2 < 1200 \times 1.8 = 2160 \text{ ok}$

$f_c = \frac{2070 \times .25}{15(1-.25)} = 46 \text{ kg/cm}^2 < 45 \times 1.8 = 81 \text{ ok}$

unit shear = $\frac{53,400}{100 \times .916 \times 115} = 5.1 \text{ kg/cm}^2 < 4 \times 1.8 = 7.2 \text{ ok}$

unit bond = $\frac{53,400}{7.85 \times 6.67 \times .916 \times 115} = 9.7 < 6 \times 1.8 = 10.8 \text{ ok}$

Footing at heel.

max. span length = 2.9 m near center

During Earthquake Case 2.

no upward pressure. downward pressure = Earth $8.65 \times 1600 = 13,830$
footing $.9 \times 2400 = 2,160$
15,990 kg/m²

moment = $\frac{1}{10} \times 15,990 \times 2.9^2 = 13,450 \text{ kgm}$ per meter strip.

effective depth req'd = $\sqrt{\frac{13,450 \times 100}{100 \times 7.18 \times 1.8}} = 43.3 \text{ cm}$ 32.3 cm

use 55 cm effective depth.

Steel area req'd = $\frac{13,450 \times 100}{1200 \times 1.8 \times \frac{7}{8} \times 55} = 12.94 \text{ cm}^2$

use 25 mm ϕ bars at 30 cm c/c = 16.4 cm²

Steel ratio $p = \frac{12.94}{100 \times 55} = .00235$, $k = .229$, $j = .924$

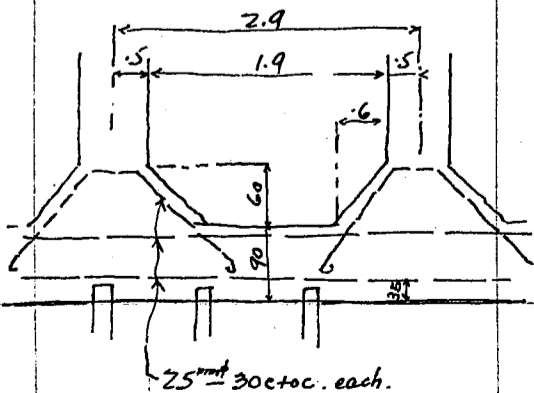
Shear = $15,990 \times 1.9 \div 2 = 15,200 \text{ kg}$

use 60 cm fillet at end. effective depth = 115 cm

unit shear = $\frac{15,200}{100 \times .924 \times 115} = 1.4 \text{ kg/cm}^2 \text{ ok}$

unit bond = $\frac{15,200}{7.85 \times 3.33 \times .924 \times 115} = 5.5 \text{ kg/cm}^2 \text{ ok}$

Use same details throughout the abutment base.



CALCULATIONS FOR

Design of Juso-Bashi for Osaka prefecture
Design of wing wall.

unbalance of earth fill = 3 meters assumed.
earth pressure at normal state = $\frac{1}{3} \times 1600 \times 3 = 1600 \text{ kg/m}^2$
" " " during earthquake = $0.662 \times 1600 \times 3 = 3180$
latter governs the section.

effective depth.

$$\text{moment} = 3180 \times 2.7^2 \times \frac{1}{2} = 11600 \text{ kgm}$$

$$\text{Shear} = 3180 \times 2.7 = 8580 \text{ kg}$$

$$\text{effective depth reqd.} = \sqrt{\frac{11600 \times 100}{100 \times 7.18 \times 1.8}} = 30.0 \text{ cm}$$

Use 57cm effective depth with 3cm in cantilever or 60cm over all.

$$\text{Steel area reqd.} = \frac{11600 \times 100}{1200 \times 1.8 \times 2 \times 57} = 10.77 \text{ cm}^2 \text{ per meter strip.}$$

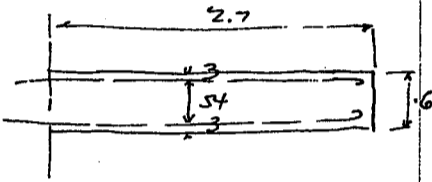
use 19mm^φ bars at 25cm c/c = 11.35 cm²

$$\text{unit shear} = \frac{8580}{100 \times 2 \times 57} = 1.8 \text{ kg/cm}^2 \text{ ok}$$

$$\text{unit bond} = \frac{8580}{503 \times 6.67 \times 2 \times 57} = 5.3 \text{ ok.}$$

Use same details for lower 5m

For upper 3 meters of wall, use 19^φ bars at 40cm c/c

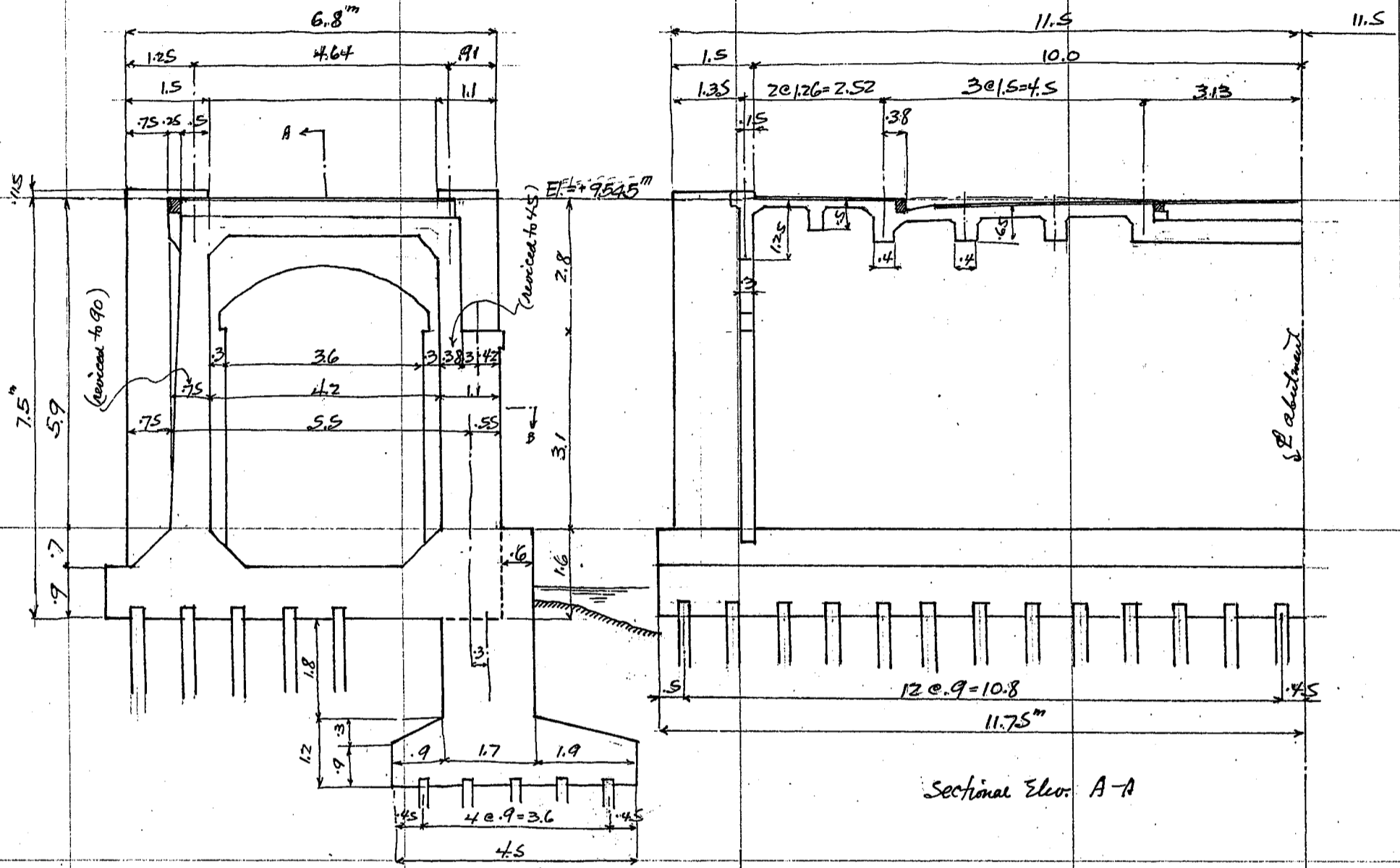


CALCULATIONS FOR

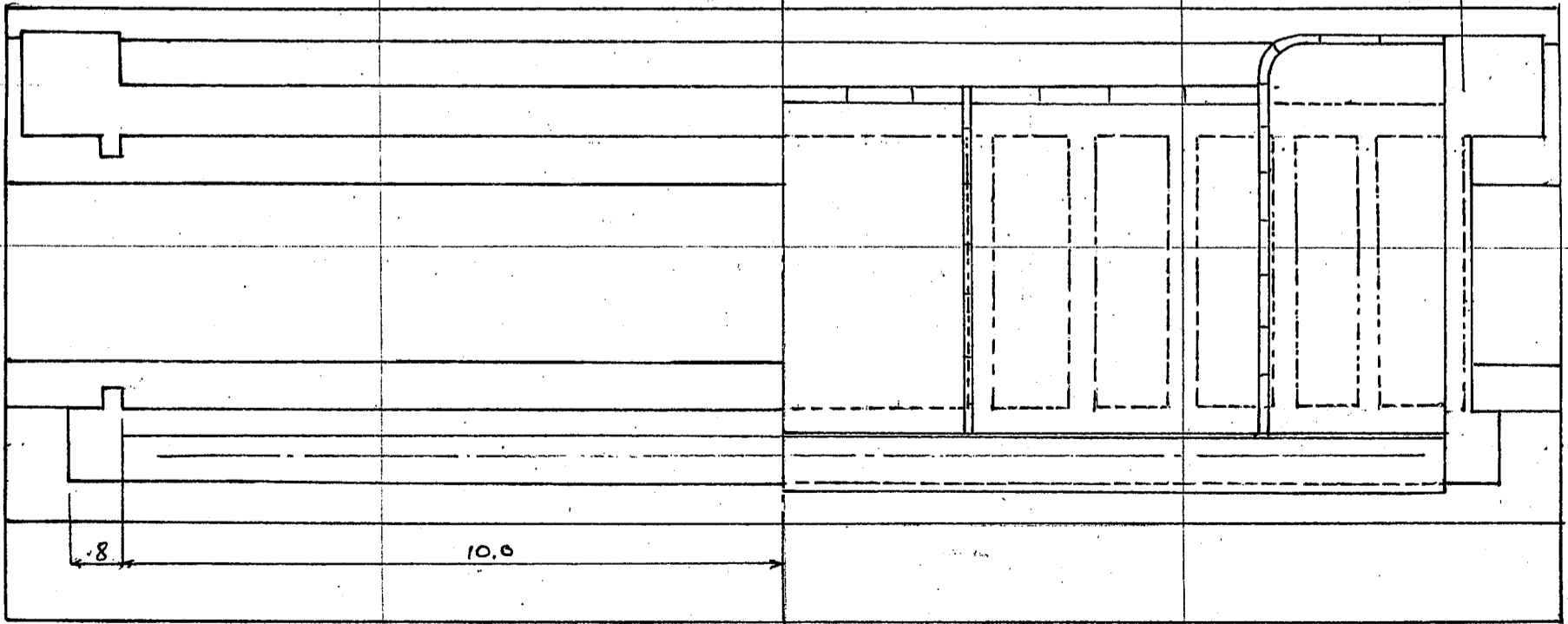
Design of Juso-ko-Bashi for Osaka Prefecture

Design of Abutment.

General construction of abutment as shown on sketch below:



Section at C



Sectional Plan B-B

Scale 1:100

Plan.

CALCULATIONS FOR

Design of Juso-ko-Bashi for Osaka Prefecture.

Design of floor.

Electric Railway slab. span length 4.64 meters

Dead Load: Floor slab 38 cm @ 24" = 910
wt. of track complete assumed 815

1725 kg per sq. meter

Dead load moment = $\frac{1}{8} \cdot 1725 \cdot 4.64^2 = 4650$ kgm per meter strip.

for continuity of slab, moment = $0.8 \cdot 4650 = 3720$ kgm per meter strip.

Dead load shear = $\frac{1}{2} \cdot 1725 \cdot 4.64 = 4000$ kg

Live Load. Motor trucks loading.

Rear wheel concentration
impact 30%

4500 kg
1350
5850 kg

Front wheel concentration
impact 30%

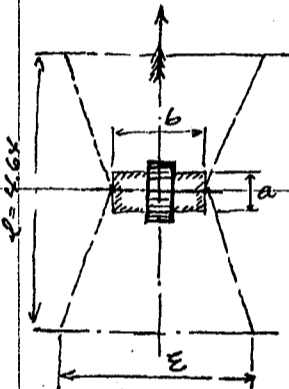
1500
450
1950 kg

Distribution of wheel concentration on slab.
Longitudinal distribution a

Contact between wheel and pavement = 20
Distribution $38 \cdot 2 = 76$
a = 96

Transverse distribution b

width of wheel
Distribution $38 \cdot 2 = 76$
b = 115



Effective width of slab $\epsilon = \frac{2}{3}l + b = \frac{2}{3} \cdot 4.64 + 1.15 = 4.24$ m.
Use 2.0 meters as effective width.

Load per meter strip.

Rear wheel concentration with impact = $5850 \div 2 = 2925$ kg for single wheel.

For 2 wheels 0.9m between centers.

Effective width say $2.0 + 0.9 = 2.9$ m.

Rear wheel concentration with impact = $5850 \cdot 2 \div 2.9 = 4010$ kg per meter strip.

For 2 rows of motor trucks

Effective width say total width = 5.5m. assumed.

Rear wheel concentration with impact = $5850 \cdot 4 \div 5.5 = 4250$ kg per meter strip

The last case gives the max moment + shear. due to motor truck wheels.

Reaction

Rear wheel. $4250 \cdot 2.32 = 9850$

Unif. load. $600 \cdot \frac{32}{2} = \frac{30}{9880 \div 4.64} = 2130$ kg

Live load moment = $2130 \cdot 2.32 = 4940$ kgm per meter strip.

for continuity of slab $m = 0.8 \cdot 4940 = 3950$ kgm

End shear due to

Rear wheel $4250 \cdot 4.16 = 17680$

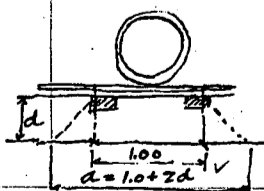
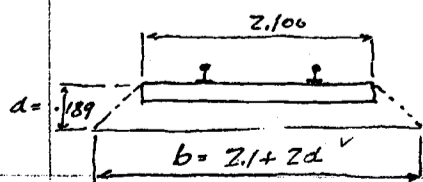
Unif. load $600 \cdot \frac{2.16}{2} = \frac{1400}{19080 \div 4.64} = 4120$ kg per meter strip.

Electric car loading. water sprinkler. axle load 9000 kg.

Distribution for single track.

Transverse distribution $b = 2.1 + 2 \cdot 1.89 =$ say 2.48 m

Longitudinal " $a = 1.0 + 2 \cdot 1.89 =$ " 1.38 m



Car loading axle concentration
impact 30%

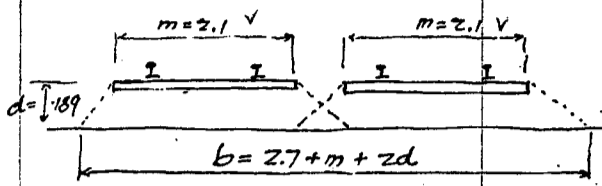
9000
2700
11700 kg

Load per meter strip = $11700 \div 2.48 = 4720$ kg

CALCULATIONS FOR

Design of Juso-Ko-Bashi for Osaka prefecture.

Distribution for double track.

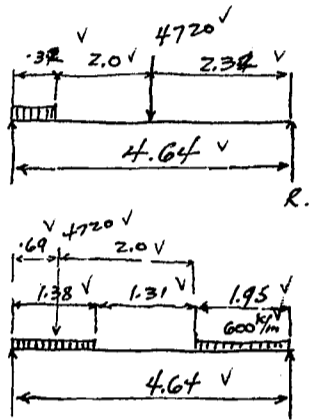


Transverse distribution = $b = 2.7 + 2.1 + 2 \cdot 1.89$ say = 5.18 m
 Longitudinal " $a = 1.0 + 2 \cdot 1.89$ " = 4.78 m

Car loading with 30% imp. = $11,700$ V
 for double line $2 \cdot 11,700 = 23,400$ kg
 load per meter strip = $\frac{23,400}{5.18} = 4,520$ V kg. < $4,720$ V

Single track loading governs.

Live Load moment for single track loading for one axle load.

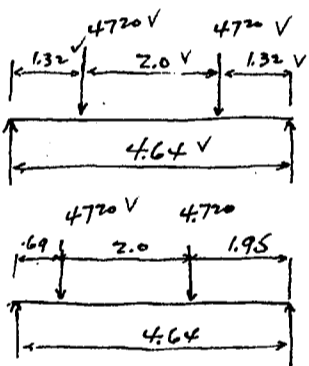


Reaction R. $4720 \cdot \frac{2.34}{6.00} = 10,950$ V
 $600 \cdot \frac{4.64}{2} = 1,392$ V
 $10,950 + 1,392 = 12,342$ V

Moment = $2,370 \cdot 2.32 = 5,500$ kgm.
 for continuity of slab $m = 8 \cdot 5,500 = 44,000$ kgm per meter strip.

End Shear
 Rear wheel. $4720 \cdot 3.95 = 18,650$ V
 unif. load $600 \cdot \frac{1.95}{2} = 585$ V
 $18,650 + 585 = 19,235$ V
 $19,235 \div 4.64 = 4,145$ V kg per meter strip.

Live Load moment for single track 2 axle loading.



Reaction = $4,720$ V
 Moment = $4,720 \cdot 1.32 = 6,230$ V
 for continuity of slab $m = 6,230 \cdot 8 = 50,000$ kgm per meter strip.

End Shear.
 $4,720 \cdot 3.95 = 18,650$ V
 $4,720 \cdot 1.95 = 9,204$ V
 $27,854 \div 4.64 = 5,999$ V kg per meter strip.

Summary for

	2 rows of motor truck		Single track one axle load.		Single track 2 axle loads.	
	Moment	End Shear	Moment	End Shear	Moment	End Shear
Dead Load	3,720 V	4,000 V	3,720 V	4,000 V	3,720 V	4,000 V
Live Load	3,950 V	4,120 V	4,400 V	4,260 V	4,980 V	6,000 V
	7,670 kgm	8,120 kg	8,120 kgm	8,260 kg	8,700 kgm	10,000 kg

Effective depth required for $f_s = 1200$ kg/cm², $f_c = 45$ kg/cm², $R = 7.18$

$\sqrt{\frac{M}{bR}} = \sqrt{\frac{8,700 \cdot 100}{100 \cdot 7.18}} = 34.8$ cm use 35 cm effective depth with 3 cm insulation
 total depth of 38 cm.

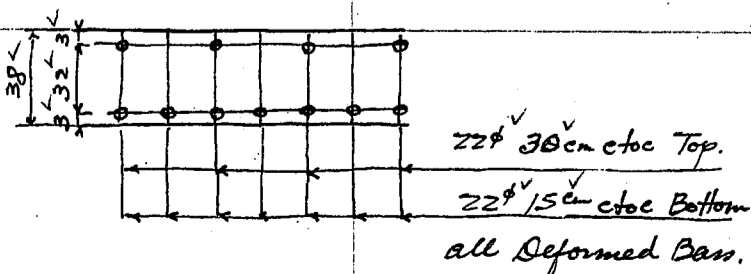
Steel area reqd. for moment = $\frac{8,700 \cdot 100}{1200 \cdot \frac{7}{8} \cdot 35} = 23.7$ cm per meter strip.

Use 22 ϕ bars at 15 cm c/c = 25.4 cm per meter strip.

unit shear = $\frac{10,000}{100 \cdot \frac{7}{8} \cdot 35} = 3.37$ kg/cm² ok

unit bond. $\frac{10,000}{6.91 \cdot 6.67 \cdot \frac{7}{8} \cdot 35} = 7.98$ Use Deformed bars. ok.

See page 125 for end construction.

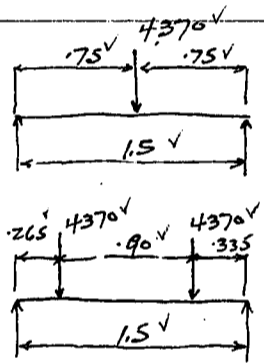


CALCULATIONS FOR

Design of Juso-ko-Bashi for Osaka Prefecture.

Floor Slab under Roadway. Span length 1.5 meters.
Dead Load.
5cm asphalt block pavement @ 21 kg = 105 kg
2cm mortar cushion @ 22 = 44
17cm concrete slab @ 24 = 408
miscellaneous concrete say 13
570 kg per sq. meter.
Dead Load moment = $\frac{1}{2} \cdot 570 \cdot 1.5^2 = 128 \text{ kgm.}$
Dead Load shear = $\frac{1}{2} \cdot 570 \cdot 1.5 = 427 \text{ kg.}$

Live Load. motor truck loading.
Rear wheel concentration with 30% imp. = 5850 kg
Front " " " " = 1950 kg
Distribution of wheel concentration on slab. Thickness of pavement and cushion = 7cm.
Longitudinal distribution a. Contact between wheel + pavement = 20cm
distribution 2 @ 7 = 14
a = 34cm
Transverse distribution b. $39 + 2 \cdot 7 = 53$
b = 53cm.
Effective width of slab. $E = \frac{2}{3} \cdot l + a = \frac{2}{3} \cdot 1.5 + .34 = 1.34 \text{ meters.}$



Load per meter strip = $\frac{5850}{1.34} = 4370 \text{ kg}$ for rear wheel concentration
 $\frac{1950}{1.34} = 1455$ " " front " "
moment $\frac{4370 \cdot 1.5}{2} = 1640 \text{ kgm}$
For Continuity of slab moment = $0.8 \cdot 1640 = 1310 \text{ kgm per meter strip.}$

End Shear $4370 \cdot .335 = 1450$
 $4370 \cdot .1235 = 5390$
 $6840 \div 15 = 4560 \text{ kg. per meter strip.}$
Effective depth required for $f_s = 1200 \text{ kg/cm}^2, f_c = 45 \text{ kg/cm}^2$
 $d = \sqrt{\frac{M}{6R}} = \sqrt{\frac{1438 \cdot 100}{100 \cdot 7.18}} = 14.15 \text{ cm}$
use effective depth 14.5 cm with 2.5 cm insulation
total depth being 17.0 cm.

Summary for moment and end shear.

Dead Load	128	427
Live Load.	1310	4560
	1438 kgm	4987 kg

Steel area required for moment.
 $= \frac{1438 \cdot 100}{1200 \cdot 8 \cdot 14.5} = 9.76 \text{ cm}^2 \text{ per meter strip}$ Use 13mm bars at 14cm c/c = 9.51

Steel ratio = $\frac{9.76}{100 \cdot 14.5} = .0066$ $k = .356, j = .881$

$f_s = \frac{1438 \cdot 100}{9.51 \cdot .881 \cdot 14.5} = 1187 \text{ kg/cm}^2 \text{ ok}$

$f_c = \frac{1187 \cdot .356}{15(1 - .356)} = 43.8 \text{ ok}$

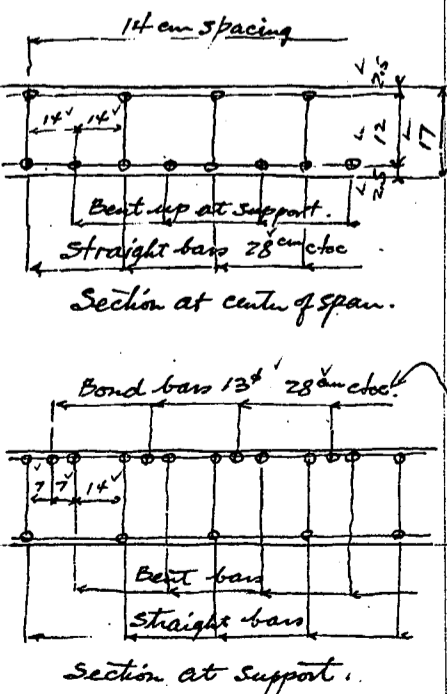
Unit Shear = $\frac{4987}{100 \cdot .881 \cdot 14.5} = 3.90 \text{ kg/cm}^2 \text{ ok.}$

Bond stress for one 13mm bar.
 $= \frac{4987}{408 \cdot .881 \cdot 14.5} = 95.7 \text{ kg/cm}^2$

no. of Deformed 13mm bars for bond stress
 $= \frac{95.7}{9.0} = 10.63 \text{ bars per meter strip.}$

Use 1-13 bar in every other spaces of main bars, or total no of bars per meter strip of slab = $\frac{100}{14} \cdot 1.5 = 10.71$

Use deformed bars for all reinforcements.
Note: If 10cm x 15cm fillets at both ends of slab are used, bond bars are not necessary.



CALCULATIONS FOR

Design of Juss-ko-Bashi for Osaka Prefecture.

Slab under Sidewalk. Span length 1.26 meters.

Dead Load. Concrete 10cm \times e 24 = 240
wearing course 2.5cm \times e 21 = 53
miscellaneous say 7
300

Live Load

500
800 kg per sq. meter.

Dead + Live Load moment = $\frac{1}{10} \times 800 \times 1.26^2 = 127$ kgm per meter strip.
shear = $\frac{5}{8} \times 800 \times 1.26 = 630$ kg

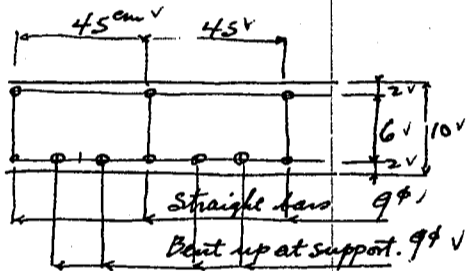
Effective depth required for steel stress of 1200 kg/cm² + Concrete stress of 45 kg/cm²
 $d = \sqrt{\frac{M}{bR}} = \sqrt{\frac{127 \times 100}{100 \times 7.18}} = 4.2$ cm use 8cm effective depth with 2cm insulation a total depth of 10cm.

Steel area required for moment = $\frac{12700}{1200 \times 2.8} = 1.51$ kg/cm² per meter strip

use 9mm bars at 15cm c/c = 4.25 cm² per meter strip.

Steel ratio = $\frac{4.25}{100 \times 8} = 0.0053$, $k = .331$, $j = .890$

$f_s = \frac{12700}{4.25 \times .89 \times 8} = 420$ kg/cm², $f_c = \frac{420 \times .331}{15(1-.331)} = 13.9$ kg/cm²

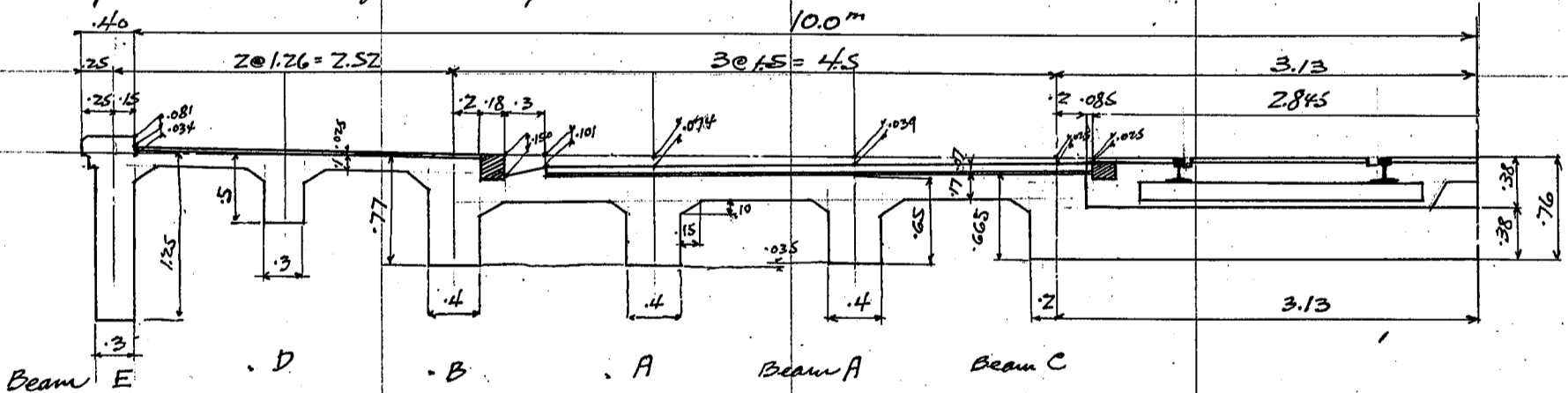


Unit Shear = $\frac{630}{100 \times .89 \times 8} = 0.885$ kg/cm² ok.

Unit bond = $\frac{630}{2.83 \times .89 \times 8} = 4.67$ kg/cm² ok.

Use deformed bars.

Design of T-Beams for Roadway and Sidewalk.



Design of Beam A

Span length 4.64 meters, spacing 1.5 meters.

Dead Load

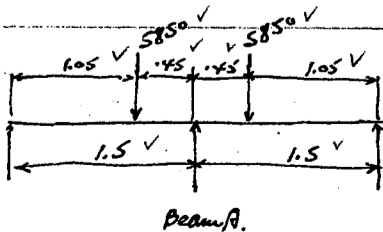
Slab and pavement 1.5 \times e 570 = 855
Stem of Beam .4 \times .48 \times e 2400 = 461
fillets .1 \times .15 \times 2 \times e .1 = 36
Miscellaneous concrete say 8
1360 kg per lin meter of span

Dead Load moment = $\frac{1}{10} \times 1360 \times 4.64^2 = 2930$ kgm. per meter strip.

Dead Load shear = $\frac{1}{2} \times 1360 \times 4.64 = 3155$ kg

Live Load.

Motor truck rear wheel concentration with impact = 5850 kg.
Front = 1950



Transverse distribution Load on Beam A.

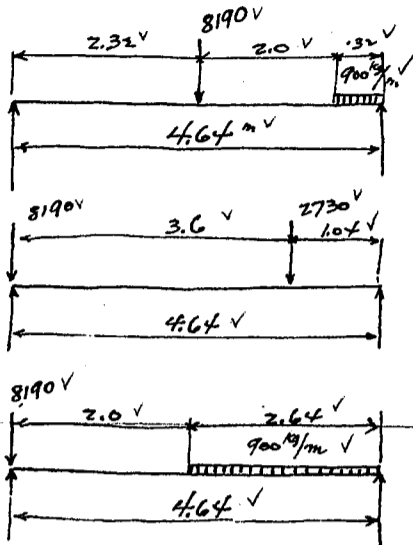
$\frac{5850 \times 1.05}{1.5} = 2 \times 8190$ kg rear wheel.

$8190 \div 3 = 2730$ kg front wheel.

Uniform Live load = $600 \times 1.5 = 900$ kg per lin meter of beam.

CALCULATIONS FOR

Design of Juuso-Ko-Bashi for Osaka Prefecture.



Reaction $8190 \times 2.32 = 19000 \text{ V}$
 $\frac{900 \times 3.2^2}{2} = 46 \text{ V}$
 $19046 \div 4.64 = 4100 \text{ kg}$
 Moment = $4100 \times 2.32 = 9510 \text{ kgm}$
 For continuity of slab, moment = $9510 \times 0.8 = 7610 \text{ kgm}$
 End shear for Rear and front wheel.
 $\frac{2730 \times 1.04}{4.64} = 612 \text{ V}$
 $\frac{8190}{4.64} = 1765 \text{ V}$
 8802 kg

End shear for Rear wheel and uniform load
 $\frac{900 \times 2.64^2}{2 \times 4.64} = 676 \text{ V}$
 $\frac{8190}{4.64} = 1765 \text{ V}$
 8866 kg

Summary for moments + end shears.

	Moment	Shear
Dead Load	2930 V	3155 V
Live Load	7610 V	8866 V
	10540 V kgm	12021 V kg

Steel area required = $\frac{10540 \times 100}{1200 \times 7.60} = 16.75 \text{ cm}^2$

Try 5-22# bars on bottom and 3-22# on top.

$p = \frac{19.01}{120 \times 60} = 0.0026$, $p' = \frac{11.4}{120 \times 60} = 0.00159$

$\Delta = \frac{t}{\alpha} = \frac{17}{60} = 0.283$

$\frac{d'}{d} = \frac{5.0}{60} = 0.083$, $\frac{\Delta}{n} = 0.283 \div 15 = 0.019$, $\frac{\Delta^2}{2n} = 0.0027$

$k = \frac{p + p'(\frac{d'}{\alpha}) + \frac{\Delta^2}{2n}}{p + p' + \frac{\Delta}{n}} = \frac{0.0026 + 0.00159 \times 0.083 + 0.0027}{0.0026 + 0.00159 + 0.019} = 0.235 < 0.4$

Neutral axis in the flange.

From the prepared diagrams of double reinforced rectangular beam.

$k = 0.24$, $j = 0.92$

$f_s = \frac{10540 \times 100}{19.01 \times 0.92 \times 60} = 1005 \text{ kg/cm}^2 \text{ ok.}$

$f_c = \frac{f_s k}{n(1-k)} = \frac{1005 \times 0.24}{15 \times 0.76} = 21.2 \text{ kg/cm}^2 \text{ ok.}$

Unit shear = $\frac{12021}{40 \times 0.92 \times 60} = 5.44$ use stirrups.

Unit bond = $\frac{12021}{6.91 \times 0.92 \times 60} = 3.5 \text{ kg/cm}^2$ for one bar

no. of bars at end for bond stress = $\frac{3.5}{9} = 3.5$ bars. use 4 or 5 on top.

Stirrups U-Shape 13#, area = $2 \times 1.33 = 2.66 \text{ cm}^2 = A_s$

Spacing $S = \frac{2}{3} \times \frac{A_s \cdot f_s \cdot d}{V} = \frac{2}{3} \times \frac{2.66 \times 900 \times 0.92 \times 60}{12021} = 16.5 \text{ cm at end.}$

Moment at end assumed same value as for center.

Steel 5-22# on top = 19.01 cm²

3-22# on bottom = 11.4 cm²

Steel ratio $p = \frac{19.01}{40 \times 60} = 0.0079$, $p' = \frac{11.4}{40 \times 60} = 0.0048$, $\frac{d'}{\alpha} = 0.083$

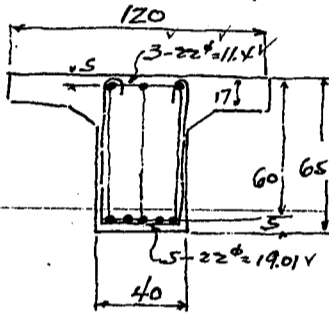
$k = 0.353$, $j = 0.895$

$f_s = \frac{10540 \times 100}{19.01 \times 0.895 \times 60} = 1032 \text{ kg/cm}^2 \text{ ok.}$

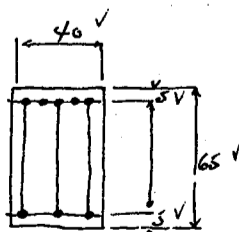
$f_c = \frac{1032 \times 0.353}{15(1-0.353)} = 37.6 \text{ kg/cm}^2 \text{ ok.}$

Assumed section is ample.

Section at center of span



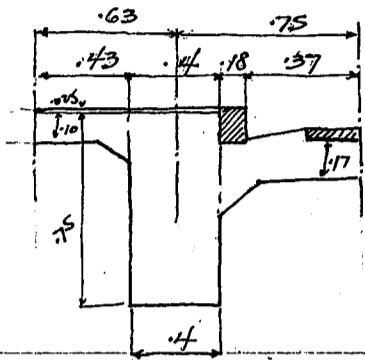
Section at end.



CALCULATIONS FOR

Design of Juso-Bashi for Osaka prefecture

Design of Beam B.
Dead Load.



Span length 4.64 meters
slab and pavement

slab and pavement	$0.37 \times 570 =$	211.1
slab end.	$22 \times 18 = 0.4 \times 2400 =$	96
Stem of beam	$0.4 \times 75 = 0.30 \times$	720
Sidewalk slab	$1.1 \times 3 = 0.43 \times$	103
Fillet	$1.5 \times 1.5 \times 2 = 0.11 \times$	26
Sidewalk pavement	$0.83 \times 25 = 0.21 \times 2100 =$	44
Curb stone, granite	$1.8 \times 16 = 0.29 \times 2600 =$	75

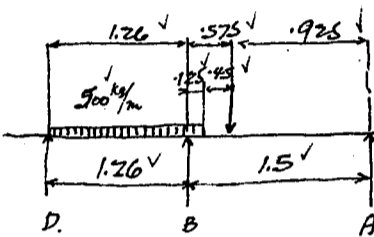
1275 kg per lin meter.

Dead Load moment = $\frac{1}{10} \times 1275 \times 4.64^2 = 2750 \text{ kgm}$

Dead Load shear = $\frac{1}{2} \times 1275 \times 4.64 = 2960 \text{ kg}$

Live Load:

Transverse distribution. motor truck wheels close contact to curb line assumed.



Load on Beam B.

motor truck rear wheel concentration with impact = $5850 \text{ kg} \times \frac{0.925}{1.15} = 3600 \text{ kg}$

front wheel concentration = $1950 \times \frac{0.925}{1.15} = 1200 \text{ kg}$

Uniform live load on sidewalk.

$\frac{500 \times 1.385^2}{2 \times 1.26} = 380 \text{ kg/m of beam (un)}$

Unif. load on carriageway on front & rear of truck

$\frac{600 \times 1.12^2}{2 \times 1.5} = 250 \text{ kg/m of beam (un)}$

moment due to.

rear wheel = $\frac{3600 \times 4.64^2}{4} = 4175$

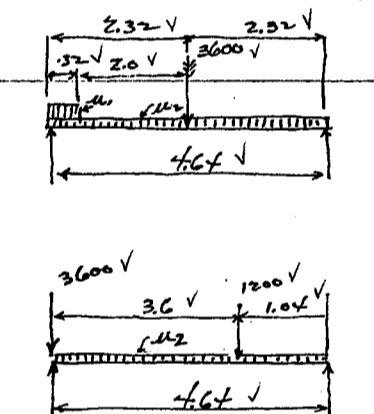
$M_1 = \frac{250 \times 3.32^2}{2 \times 4.64} = 23$

$M_2 = \frac{380 \times 4.64^2}{2} = 882$

for continuity of beam
 $M = 0.8 \times 6180 = 4950 \text{ kgm}$

End shear.

rear wheel = 3600
front wheel = $1200 \times \frac{1.04}{4.64} = 270$
unif = $380 \times 2.32 = 880$
Total = 4750 kg



Summary for moments and shears.

Dead load moment	2750	end shear	4750
Live Load	4950		
Dead Load	$\frac{2750}{7700} \text{ kgm}$		$\frac{2960}{7710} \text{ kg}$

Steel area required = $\frac{7700 \times 100}{1200 \times 70} = 10.48 \text{ cm}^2$

Try $5 \times 19 \# = 14.18 \text{ cm}^2$ on top + $3 \times 19 \# = 8.5 \text{ cm}^2$ on top

Steel ratio $p = \frac{14.18}{70 \times 70} = 0.029$, $p' = \frac{8.5}{70 \times 70} = 0.017$

$\Delta = \frac{t}{d} = \frac{10}{70} = 0.143$, $d'/d = \frac{5}{70} = 0.0715$, $\frac{\Delta}{\eta} = \frac{0.143 \times 0.0096}{1.5} = 0.00096$, $\frac{\Delta^2}{2\eta} = \frac{0.143^2}{30} = 0.0007$

$k = \frac{0.029 + 0.0017 \times 0.0715 + 0.0007}{0.029 + 0.0017 + 0.0096} = 0.26$, $\lambda \Delta = 0.143$

Neutral axis in the web. approx. value of $j = 0.93$

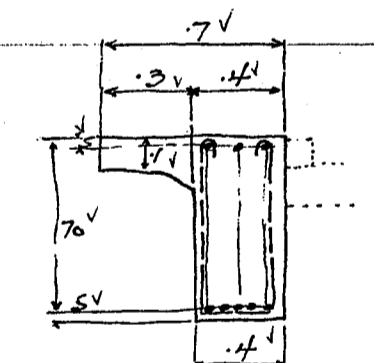
$f_s = \frac{7700 \times 100}{14.18 \times 93 \times 70} = 835 \text{ kg/cm}^2$

$f_c = \frac{835 \times 0.26}{15(1-0.26)} = 19.6 \text{ kg/cm}^2$

Unit shear = $\frac{7710}{40 \times 93 \times 70} = 2.96 \text{ kg/cm}^2$ OK. use some stirrups 13# w-shape

Unit bond st for one bar = $\frac{7710}{5.97 \times 93 \times 70} = 19.8$

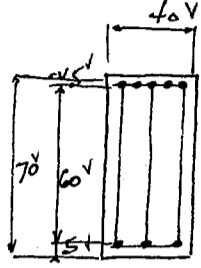
No. of bars reqd for bond stress at end = $\frac{19.8}{9} = 2.2$ Use more than 3 on top. at end.



Assumed section of Beam B.

CALCULATIONS FOR

Design of Juso-Bashi for Osaka Prefecture.



Negative moment for Beam B at end. = assumed same value as for pos. m = 7700 kgm
 Steel Try 5-19^v = 14.18^v cm² on top
 3-19^v = 8.5^v " " bottom.
 Steel ratio $p = \frac{14.18^v}{40 \cdot 70^v} = .0051^v$, $p' = \frac{8.5^v}{40 \cdot 70^v} = .0030^v$
 $k = .30^v$, $j = .91^v$
 $f_s = \frac{7700 \cdot 100^v}{14.18 \cdot .91 \cdot 70^v} = 852^v$ kg/cm² ok.
 $f_c = \frac{852 \cdot .30^v}{15(1-.30)^v} = 24.3^v$ ok

Design of Beam C

Use same reinforcements as for Beam A.
 5-12^v bars on bottom
 3- " " " top
 13^v u-stirrup 16.5 cm c/c at end.

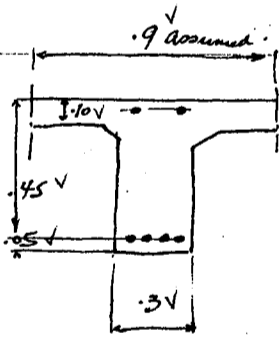
Design of Beam D. under sidewalk. span length 4.64 meters.

Dead Load. Slab and pavement 300 kg · 1.26^v = 378^v
 Stem of Beam 3 · 4 = 12^v
 fillet 12 · 1 = 12^v
 $\frac{12 \cdot 1 \cdot .01^v}{.13 \cdot 2400} = \frac{312^v}{690^v \text{ kg}}$

Dead Load moment = $\frac{1}{10} \cdot 690 \cdot 4.64^2 = 1485^v$ kgm
 " " end shear = $\frac{1}{2} \cdot 690 \cdot 4.64 = 1600^v$ kg.
 Live Load 500 kg/m² 500 · 1.26^v = 630^v kg/m
 Live Load moment = $\frac{1}{10} \cdot 630 \cdot 4.64^2 = 1355^v$ kgm
 " " end shear = $\frac{1}{2} \cdot 630 \cdot 4.64 = 1460^v$ kg

Summary for moment and shears

	moment	end shear
Dead Load	1485 ^v	1600 ^v
Live Load	1355 ^v	1460 ^v
	2840 ^v kgm.	3060 ^v kg



Approx. steel area required = $\frac{2840 \cdot 100^v}{1200 \cdot \frac{7}{8} \cdot 45^v} = 6.0^v$ cm²

use 4-19^v = 11.33^v cm² on bottom
 & 2-19^v = 5.67^v " " on top.

Steel ratio $p = \frac{11.33^v}{90 \cdot 45^v} = .0028^v$, $p' = .0014^v$

$\Delta = \frac{1}{10} = \frac{10}{45} = .222^v$, $d/a = \frac{5}{45} = .11^v$, $\frac{\Delta}{\eta} = \frac{.222^v}{15} = .0148^v$, $\frac{\Delta^2}{2\eta} = \frac{.222^2}{30} = .00165^v$
 $k = \frac{.0028 + .0014 \cdot .11 + .00165^v}{.0028 + .0014^v + .0148^v} = .247^v$

neutral axis in the web. approx. $j = .92^v$
 $f_s = \frac{2840 \cdot 100^v}{11.33 \cdot .92 \cdot 45^v} = 605^v$ kg/cm²

$f_c = \frac{605 \cdot .24^v}{15(1-.24)^v} = 12.7^v$ kg/cm²

unit shear = $\frac{3060^v}{30 \cdot .92 \cdot 45^v} = \frac{2.6^v}{2.46} \text{ kg/cm}^2$ ok. use some stirrups at end (9^v)

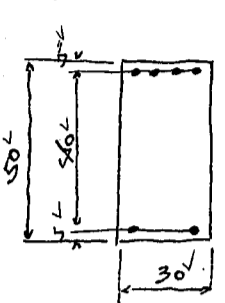
Bond stress for one bar = $\frac{3060^v}{5.97 \cdot \frac{7}{8} \cdot 45^v} = 13.0^v$

reqd. no. of bars = $\frac{13.0^v}{9.0^v} = 1.45^v$ use more than 2 on top at end.

CALCULATIONS FOR

Design of Jusō-ko-Bashi for Osaka Prefecture.

Neg. moment at end of Beam B assumed -2840 kgm.



Reinforcement 4-19# = 11.33 cm² on top.
2-19# = 5.67 cm² on bottom.

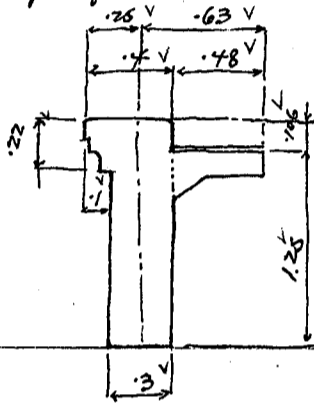
Steel ratio $p = \frac{11.33}{30 \times 45} = 0.0084$, $p' = 0.0042$, $d/a = 5/45 = 0.11$

$K = 0.36$, $j = 0.885$

$f_s = \frac{2840 \times 100}{11.33 \times 0.885 \times 45} = 628$ kg/cm² ok.

$f_c = \frac{628 \times 0.36}{15(1-0.36)} = 23.5$ ok.

Design of Beam E.



Dead Load.

Slab and pavement 0.48 @ 300 = 144

Fillet $\frac{1 \times 15}{2} = 0.075$ @ 2400 = 18

Beam 1.35 @ 3 = 407 @ 2.4 = 977

Coping proj. 0.22 @ 1 = 0.22 @ 240 = 53

Handrail = 90

Miscellaneous emc. etc say = 18

1300 kg per lin meter.

Dead Load moment = $\frac{1}{10} \times 1300 \times 4.64^2 = 2800$ kgm.

End shear = $\frac{1}{2} \times 1300 \times 4.64 = 3020$ kg

Live Load. 0.48 @ 500 = 240 kg per lin meter.

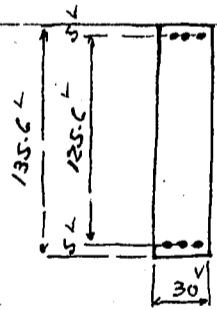
Live Load moment = $\frac{1}{10} \times 240 \times 4.64^2 = 520$ kgm.

End shear = $\frac{1}{2} \times 240 \times 4.64 = 560$ kg.

Summary for moment + shears.

	moment	end shear
Dead Load.	2800	3020
Live Load.	520	560

3320 kgm 3580 kg



Steel req'd = $\frac{3320 \times 100}{1200 \times \frac{7}{8} \times 130.6} = 2.42$ cm²

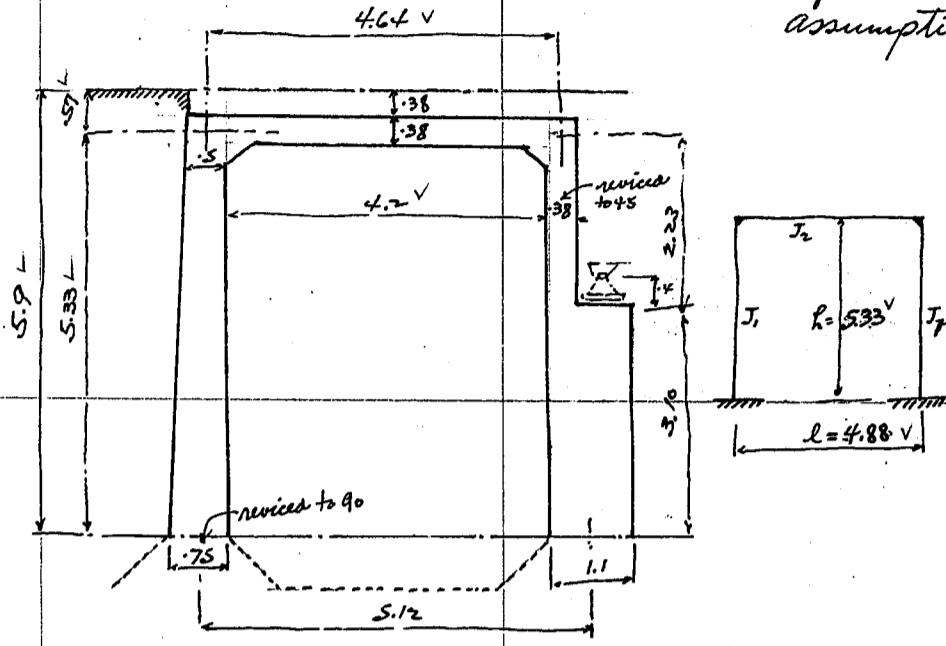
use 3-19# = 8.50 cm² on bottom. } ... at center of span.
2-19# = 5.67 cm² on top

3-19# on top } ----- at end of span.
2-19# on bottom

Reinforcements, revise to 3-19# on top and bottom. see page 118

CALCULATIONS FOR

Design of Juisu-ko-Bashi for Osaka Prefecture.
Stresses on Frame under Electric Railway.

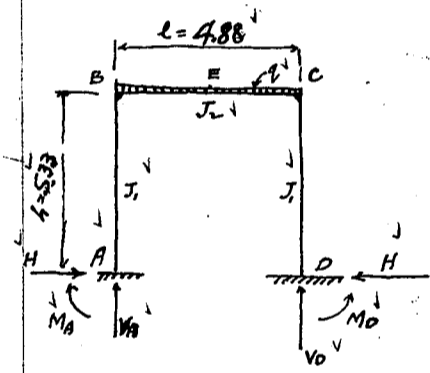


Assumptions:

Span length	top	4.64
	bottom	5.12
		$9.76 \div 2 = 4.88 = l$
height		$h = 5.33$
moment of inertia J_2	1 meter strip	
		$J_2 = \frac{1.0 \cdot .38^3}{12} = .00458$
moment of inertia J_1		
rear wall		$\frac{100 \cdot .75^3}{12} = .0351$
		$\frac{100 \cdot .5^3}{12} = .0104$
		$.0455 \div 2 = .02275$
front wall		$\frac{1.0 \cdot .38^3}{12} = .00458$
		$\frac{1.0 \cdot 1.1^3}{12} = .1095$
		$.11408 \div 2 = .05704$
		$J_1 = .07979 \div 2 = .0400$
		$K = \frac{J_2 \cdot h}{J_1 \cdot l} = \frac{.00458 \cdot 5.33}{.0400 \cdot 4.88} = 0.125$

Dead Load.

$1725 \text{ kg/m} = q$ See page A23



$$V = \frac{qL}{2} = \frac{1725 \cdot 4.88}{2} = 4210 \text{ kg}$$

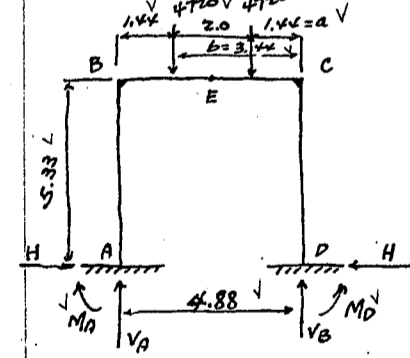
$$H = \frac{qL^2}{4h(k+2)} = \frac{1725 \cdot 4.88^2}{4 \cdot 5.33 \cdot 2.125} = 907 \text{ kg}$$

$$M_B = M_C = -\frac{qL^2}{6(k+2)} = -\frac{1725 \cdot 4.88^2}{6 \cdot 2.125} = -3220 \text{ kgm}$$

$$M_A = M_D = +\frac{qL^2}{12(k+2)} = +1610 \text{ kgm}$$

$$M_E = +\frac{qL^2}{8} - \frac{qL^2}{6(k+2)} = +\frac{1725 \cdot 4.88^2}{8} - 3220 = +1910 \text{ kgm}$$

Live Load



Water sprinkler single track 2 axle loading see page A24
Concentration on one meter strip of slab = $4,720 \text{ kg}$ 2.0m c'toc. longitudinal

$$V = p = 4,720 \text{ kg}$$

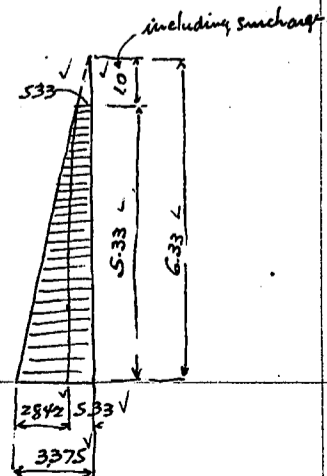
$$H = \frac{3pab}{hl(k+2)} = \frac{3 \cdot 4720 \cdot 1.44 \cdot 3.44}{5.33 \cdot 4.88 \cdot 2.125} = 1270 \text{ kg}$$

$$M_A = M_D = +H \cdot \frac{h}{3} = 1270 \cdot \frac{5.33}{3} = +2260 \text{ kgm}$$

$$M_B = M_C = -H \cdot \frac{2h}{3} = -2260 \cdot 2 = -4520 \text{ kgm}$$

$$M_E = pa - M_B = 4720 \cdot 1.44 - 4520 = +2280$$

Earth pressure

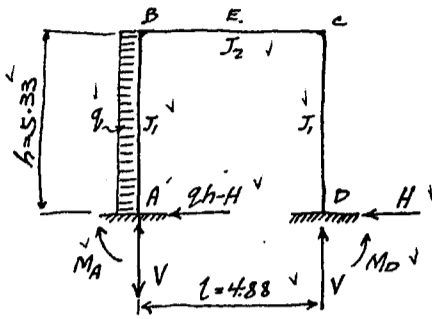


Earth pressure at top $\frac{1600 \cdot 1.0}{3} = 533 \text{ kg/m}^2$
" " bottom $\frac{1600 \cdot 6.33}{3} = 3375$

- Constants.
- $K = .125$
 - $k+2 = 2.125$
 - $2k+3 = 3.25$
 - $3k+4 = 4.375$
 - $5k+9 = 9.625$
 - $6k+1 = 1.75$
 - $7k+12 = 12.875$
 - $12k = 1.500$
 - $15k = 1.875$

CALCULATIONS FOR

Design of gusko-Bashi for Osaka Prefecture.



$$V = \frac{qh^2k}{6(k+1)} = \frac{533 \times 5.33^2 \times 1.25}{4.88 \times 1.75} = 222 \text{ kg}$$

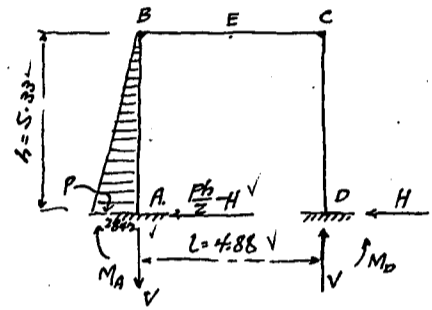
$$H = \frac{qh}{8} \frac{2k+3}{k+2} = \frac{533 \times 5.33}{8} \frac{3.25}{2.125} = 543 \text{ kg}, \quad qh-H = 533 \times 5.33 - 543 = 2300 \text{ kg}$$

$$M_A = -\frac{qh^2}{24} \left(12 - \frac{5k+9}{k+2} - \frac{12k}{6k+1} \right) = -\frac{533 \times 5.33^2}{24} \left(12 - \frac{9.625}{2.125} - \frac{1.5}{1.75} \right) = -4,180 \text{ kgm}$$

$$M_D = +\frac{qh^2}{24} \left(+\frac{5k+9}{k+2} - \frac{12k}{6k+1} \right) = 632 (4.53 - 0.858) = +2,320 \text{ kgm}$$

$$M_B = M_A - Hh + \frac{qh^2}{2} = -4,180 - 543 \times 5.33 + \frac{533 \times 5.33^2}{2} = +510 \text{ kgm}$$

$$M_C = M_D - Hh = +2,320 - 543 \times 5.33 = -580 \text{ kgm}$$



$$M_E = \text{by proportion} = -36 \text{ kgm}$$

$$V = \frac{Pk^2}{4L(k+1)} = \frac{2842 \times 1.25 \times 5.33^2}{4 \times 4.88 \times 1.75} = 295 \text{ kg}$$

$$H = \frac{Ph}{40} \frac{3k+4}{k+2} = \frac{2842 \times 5.33}{40} \frac{4.375}{2.125} = 780 \text{ kg}$$

$$\frac{Ph}{2} - H = \frac{2842 \times 5.33}{2} - 780 = 6,800 \text{ kg}$$

$$M_A = -\frac{Ph^2}{120} \left(20 - \frac{7k+12}{k+2} - \frac{15k}{6k+1} \right) = -\frac{2842 \times 5.33^2}{120} \left(20 - \frac{17.875}{2.125} - \frac{1.875}{1.75} \right) = -8,660 \text{ kgm}$$

$$M_D = +\frac{Ph^2}{120} \left(\frac{7k+12}{k+2} - \frac{15k}{6k+1} \right) = +673 (6.06 - 1.072) = +3,360 \text{ kgm}$$

$$M_B = M_A - Hh + \frac{Ph^2}{6} = -8,660 - 780 \times 5.33 + \frac{2842 \times 5.33^2}{6} = +650 \text{ kgm}$$

$$M_C = M_D - Hh = +3,360 - 780 \times 5.33 = -800 \text{ kgm}$$

$$M_E = \text{by proportion} = -77 \text{ kgm}$$

Dead load due to weight of wall on A + D

Load on A. $\frac{5+7.5}{2} \times 6.25 \times 5.33 = 3.33 \times 2400 = 8,000 \text{ kg}$

Load on D. $3.8 \times 2.33 = 885$

$1.10 \times 3.10 = 3,410$

$\frac{4,295}{2400} = 10,300 \text{ kg}$

Load on wall D. from girder span

Girder	Dead Load	Live Load
G1	203,500 = 127,000	204,300 = 126,000
G2	205,190 = 103,800	204,600 = 92,000
G3	106,000 = 60,000	104,600 = 46,000
	290,800 kg	224,000 kg

Length of front wall = 21.6 m

Dead Load, average = $290,800 \div 21.6 = 13,460 \text{ kg per lin meter of wall}$

Live Load = $224,000 \div 21.6 = 10,370 \text{ kg}$

DL + LL = 23,830 kg

Eccentricity = .13 m

Dead Load moment $M_D = +13,460 \times .13 = +1,750 \text{ kgm/m}$ (MA MB MC etc neglected)

Live Load $M_D = +10,370 \times .13 = +1,350$

Summary for moments + Reactions

	MA	MD	MB	MC	ME	HA	HD	VA	VD
Dead Load, abutment floor	+1,610	+1,610	-3,220	-3,220	+1,910	+907	+907	+4,210	+4,210
" " " wt. of wall								+8,000	+10,300
" " " girder span	+1,610	+3,360	-3,220	-3,320	+1,910	+907	+907	+12,210	+27,970
Earth pressure	-4,180	+2,320	+510	-580	-36	-2,300	+543	-222	+222
" " "	-8,660	+3,360	+650	-800	-77	-6,800	+780	-295	+295
Live Load, abutment	+2,260	+2,260	-4,520	-4,520	+2,280	+1,270	+1,270	+4,720	+4,720
" " " girder span		+1,350							+10,370
Total max.	-8,970	+12,650	-2,060	-4,700	+4,077	-6,923	+3,500	+16,413	+43,577
Total min.	-11,230	+9,040	-6,580	-9,220	+1,797	-8,199	+2,230	+11,693	+28,487

CALCULATIONS FOR

Design of Jusō-Ko-Bashi for Osaka Prefecture.

Stresses on frame under electric railway during earthquake. (Seismic force from forward)

Seismic forces on frame.

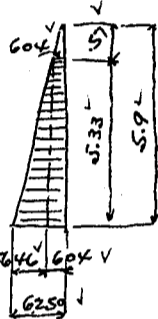
Dead Load Floor slab + track $1725 \times 4.64 = 8000$ kg per meter strip of frame.
 Seismic force = $0.3 \times 8000 = 2400$ kg $\times \frac{5.33}{5.33} = 2620$ kg = P₁

Weight of rear wall. 8000 kg $\times 0.3 = 2400$ kg $\times 2.5 = 6000$ v
 " front " 10300 v $\times 0.3 = 3090$ v $\times 2.1 = 6490$ v
 5490 kg $\times 2.28 = 12490$ v

Equivalent uniform hor. load. = $\frac{5490}{5.33} \times \frac{2.28}{2.665} = 880$ kg per lin meter of height - q₁

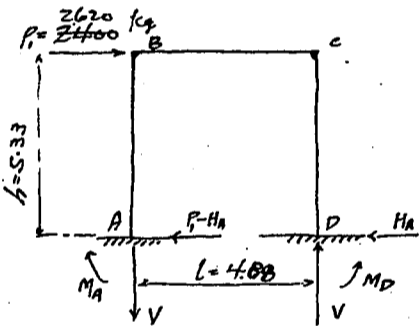
Earth pressure for 3000 mm earthquake = 0.662 wh kg/m²

Top. $0.662 \times 1600 \times 5.7 = 604$ kg/m² --- q₂
 bottom. $0.662 \times 1600 \times 5.9 = 6250$ v
 5646 v --- q₃



Dead Load due to girder span. average 13460 kg $\times 0.3 = 4040$ kg per lin meter of wall. --- P₂

Stresses due to P₁. Floor slab + track.



$V = \frac{3Phk}{l(6k+1)} = \frac{3 \times 2620 \times 5.33 \times 1.25}{4.88 \times 1.75} = 613$ kg

$H_A = \frac{P_1 V}{2} = \frac{2620 \times 613}{2} = 1310$ kg = H₀

$M_A = -\frac{Ph}{2} \cdot \frac{3k+1}{6k+1} = -\frac{2620 \times 5.33}{2} \cdot \frac{1.375}{1.75} = -5480$ kgm

$M_D = +\frac{Ph}{2} \cdot \frac{3k+1}{6k+1} = +5480$ "

$M_B = +\frac{Ph}{2} \cdot \frac{3k}{6k+1} = +\frac{2620 \times 5.33}{2} \cdot \frac{0.375}{1.75} = +1495$ kgm

$M_C = -\frac{Ph}{2} \cdot \frac{3k}{6k+1} = -1495$ "

Stresses due to P₂.

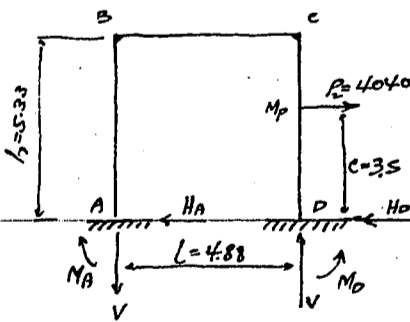
O.L. of main girder.

$\delta = \frac{c}{h} = \frac{3.5}{5.33} = 0.657$ ✓

$V = \frac{3Rc\delta k}{l(6k+1)} = \frac{3 \times 4040 \times 3.5 \times 0.657 \times 1.25}{4.88 \times 1.75} = 375$ kg (V: 値が0.1程度より軽微=H)

$H_A = \frac{R\delta^2}{2(k+2)} [3(k+1) - \delta(2k+1)] = \frac{4040 \times 0.657^2}{2 \times 2.125} [3 \times 1.125 - 0.657 \times 1.75] = 1050$ kg = H₀

$H_D = P_2 - H_A = 4040 - 1050 = 2990$ kg



$M_A = -\frac{Rc\delta}{2} \left[\frac{3+2k-\delta(k+1)}{k+2} - \frac{3k}{6k+1} \right] = \frac{4040 \times 3.5 \times 0.657}{2} \left[\frac{3+2.5-0.657 \times 1.125}{2.125} - \frac{0.375}{1.75} \right] = -4480$ kgm

$M_D = +\frac{Rc\delta}{2} \left[\frac{2}{\delta} - \frac{3+2k-\delta(k+1)}{k+2} - \frac{3k}{6k+1} \right] = 4040 \left[\frac{2}{0.657} - 1.180 - 0.214 \right] = +7660$ kgm

$M_B = M_A + H_A h = -4480 + 1050 \times 5.33 = +1120$ kgm

$M_C = M_D + H_A h - P_2 c = +7660 + 1050 \times 5.33 - 4040 \times 3.5 = -890$ kgm

$M_P = M_D - H_D c = +7660 - 2990 \times 3.5 = -2810$ kgm

Stresses due to q₁ + q₂

weight of walls + Earth pressure (a part 604)

q₁ = 880 v
 q₂ = 604 v
 q = 1484 kg per meter of height.

CALCULATIONS FOR

Design of Juso-ko-Bashi for Osaka Prefecture.

Summary for stresses during earthquake. (Seismic force backward.)

	M_A	M_D	M_B	M_C	H_A	H_D	V_A	V_D
Dead load summary	+1,610	+3,360	-3,220	-3,220	+907	+907	+1,221	+2,797
Seismic force, floor P ₁	+5,480	-5,480	-1,495	+1,495	+1,310	-1,310	+613	-613
" " girder P ₂	+4,480	-7,660	-1,120	+1,890	+1,050	-2,990	+375	-375
" " walls q ₁	+3,820	-6,900	-972	+825	+900	-3,840	+367	-367
Total stress	+15,390	-16,680	-6,807	-10	+4,167	-7,233	+13,565	+2,661

Summary of Stresses for 3 cases calculated above.

	M_A	M_D	M_B	M_C	M_E	H_A	H_D	V_A	V_D
Normal state, max.	-8,970	+12,650	-2,060	-4,700	+4,077	-6,923	+3,500	+16,413	+4,357
" " min.	-11,230	+9,040	-6,580	-9,220	+1,797	-8,193	+2,230	+11,693	+2,848
Earthquake, forward.	-3,720	+2,964	+2,075	-8,835		-2,143	+8,272	+10,015	+30,163
" " backward.	+15,390	-16,680	-6,807	-10		+4,167	-7,233	+13,565	+2,661

Check for stresses of slab. refer to page 924

Effective depth of slab = 35 cm. Steel area = 25.4 cm² per meter strip.
moment at end near parapet = -9,220 kg in normal state.

Steel ratio $p = \frac{25.4}{100 \times 35} = 0.00726$ $K = 0.37$, $j = 0.877$

$f_s = \frac{9,220 \times 100}{25.4 \times 0.877 \times 35} = 1,182 \text{ kg/cm}^2$

$f_c = \frac{1,182 \times 0.37}{15(1-0.37)} = 46.2 \text{ kg/cm}^2$ use proper fillet to increase effective depth at end.



For rear end of slab, use same detail as for center of span. (main reinforcement on top.)

Parapet wall. moment -9,220 kgm in normal state at top of wall.

use 38 cm total depth; 35 cm effective depth with 3 cm insulation.

Reinforcements: 22# bars at 15 cm c/c = 25.4 cm²/meter strip on front side.
 { 16# " " 15 " " = 13.4 " " on rear side
 or 22# " " 30 " " = 12.7 " " " " " "

Vert. load on wall.

D.L. abutment floor 4,210
 " parapet wall wt. 88524 = 2,120
 Earth pressure, reaction 222
 " " 295

L.L. abutment $\frac{4,720}{11,567} \text{ kg}$ call this 11,570 kg/meter strip.

Eccentricity $e = \frac{9,220}{11,570} = 0.80 \text{ m}$

$P_0 = p + p' = \frac{25.4 + 12.7}{100 \times 38} = 0.010$, $\frac{e}{h} = \frac{80}{38} = 2.1$, $\frac{d}{h} = \frac{3}{38} = 0.079$

From the prepared diagrams of combined stresses (direct + bending)

$K = 0.317$, $L = 0.147$

$f_c = \frac{M}{Lbh^2} = \frac{9,220 \times 100}{0.147 \times 100 \times 38^2} = 43.5 \text{ kg/cm}^2$ over stress

Review the thickness of parapet to 45 cm effective depth being 42 cm.

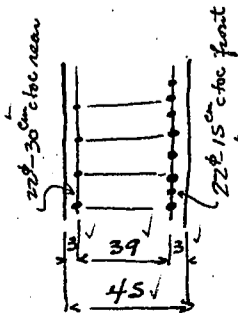
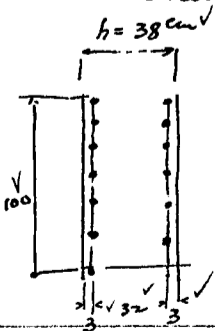
$P_0 = \frac{25.4 + 12.7}{100 \times 45} = 0.0085$, $\frac{e}{h} = \frac{80}{45} = 1.78$, $\frac{d}{h} = \frac{3}{45} = 0.067$

$K = 0.31$, $L = 0.14$

$f_c = \frac{9,220 \times 100}{0.14 \times 100 \times 45^2} = 32.5 \text{ kg/cm}^2$ ok

$f_s = 17f_c \left(\frac{e}{Kh} - 1 \right) = 15 \times 32.5 \left(\frac{1.78}{0.31 \times 45} - 1 \right) = 981 \text{ kg/cm}^2$ ok.

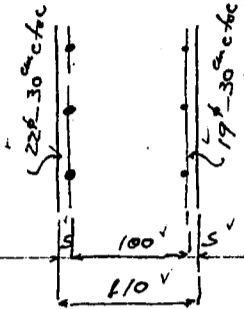
unit shear = $\frac{3,500}{100 \times \frac{3}{42}} = 1.0 \text{ kg/cm}^2$ ok unit bond = $\frac{3,500}{6.91 \times 6.67 \times \frac{3}{42}} = 2.1 \text{ kg/cm}^2$ ok.



CALCULATIONS FOR

Design of Juso-Ka-Bashi for Osaka Prefecture.

Design of Front wall.
Section at Bottom.



$M_D = +29640 \text{ kgm.}$, $V_D = 30163 \text{ kg}$, $H_D = 8272 \text{ kg}$ during earthquake
 -16680 v , 26615 v , 7233 v
 Eccentricity $e = \frac{29640}{30163} = 0.99 \text{ m}$, $\frac{e}{h} = \frac{99}{110} = 0.9$, $\frac{d}{h} = \frac{5}{110} = 0.46$
 Steel ratio $22\# - 30 \text{ cm c/c} = 12.70 \text{ cm}^2$ on rear side
 $19\# - 30 \text{ cm c/c} = 9.45 \text{ cm}^2$ - front side.
 $P_o = P + P' = \frac{22.15}{110 \times 100} = .002 \text{ v}$
 $K = .23 \text{ v}$, $L = .076 \text{ v}$

$f_c = \frac{29640 \times 100}{.076 \times 100 \times 110^2} = 32.3 \text{ kg/cm}^2 \text{ ok}$
 $f_s = 15 \times 32.3 \left(\frac{105}{.23 \times 110} - 1 \right) = 1525 \text{ v}$ < $1200 \times 1.8 = 2160 \text{ v}$ ok
 unit shear = $\frac{8272}{100 \times \frac{7}{8} \times 105} = 0.9 \text{ kg/cm}^2 \text{ ok}$
 unit bond = $\frac{8272}{2.33 \times 6.91 \times \frac{7}{8} \times 105} = 3.9 \text{ v}$ ok.

Design of Rear wall.
Bottom section

$M_A = -3721 \text{ kgm}$, $V_A = 10017 \text{ kg}$, $H_A = 21463 \text{ kg}$ during earthquake
 $+15390 \text{ v}$, 13565 v , 7233 v
 $e = \frac{37210}{10017} = 3.6$, $\frac{e}{h} = \frac{360}{75} = 4.8$, $\frac{d}{h} = \frac{5}{75} = .067 \text{ v}$
 Steel $22\# - 15 \text{ cm c/c} = 25.4 \text{ cm}^2$ on rear.
 $22\# - 30 \text{ cm c/c} = \frac{12.7}{38.1} \text{ cm}^2$ on front.
 $P_o = \frac{38.1}{75 \times 100} = .0051 \text{ v}$
 $K = .22 \text{ v}$, $L = .113 \text{ v}$
 $f_c = \frac{37210 \times 100}{.113 \times 100 \times 75^2} = 57 \text{ kg/cm}^2$ < $35 \times 1.8 = 63 \text{ v}$ ok

$f_s = 15 \times 57 \left(\frac{70}{.22 \times 75} - 1 \right) = 2770 \text{ v}$ over stress.

Revise the depth of wall to 90 cm.

$\frac{e}{h} = \frac{360}{90} = 4.0$, $\frac{d}{h} = \frac{5}{90} = .055 \text{ v}$

$P_o = \frac{38.1}{90 \times 100} = .00423 \text{ v}$

$K = .23 \text{ v}$, $L = .104 \text{ v}$

$f_c = \frac{37210 \times 100}{.104 \times 100 \times 90^2} = 44.2 \text{ kg/cm}^2$ < 63 v ok

$f_s = 15 \times 44.2 \left(\frac{85}{.23 \times 90} - 1 \right) = 2060 \text{ kg/cm}^2$ < $1200 \times 1.8 = 2160 \text{ v}$ ok

unit shear = $\frac{21463}{100 \times \frac{7}{8} \times 85} = 2.8 \text{ v}$ ok

unit bond = $\frac{21463}{6.91 \times 6.67 \times \frac{7}{8} \times 85} = 6.1 \text{ v}$ ok.

Top section

$M_B = -6580 \text{ kgm}$, $V_B = 11693 \text{ kg}$, $e = .56 \text{ m}$, $\frac{e}{h} = \frac{56}{50} = 1.12$, $\frac{d}{d} = \frac{5}{50} = .1$

Steel $19\# - 15 \text{ cm c/c}$ out side = 18.9 v
 $19\# - 30 \text{ cm c/c}$ in side = 9.45 v

$P_o = \frac{28.35}{100 \times 50} = .0057 \text{ v}$

$K = .30 \text{ v}$, $L = .106 \text{ v}$

$f_c = \frac{6580 \times 100}{.106 \times 100 \times 50^2} = 24.8 \text{ kg/cm}^2$ ok

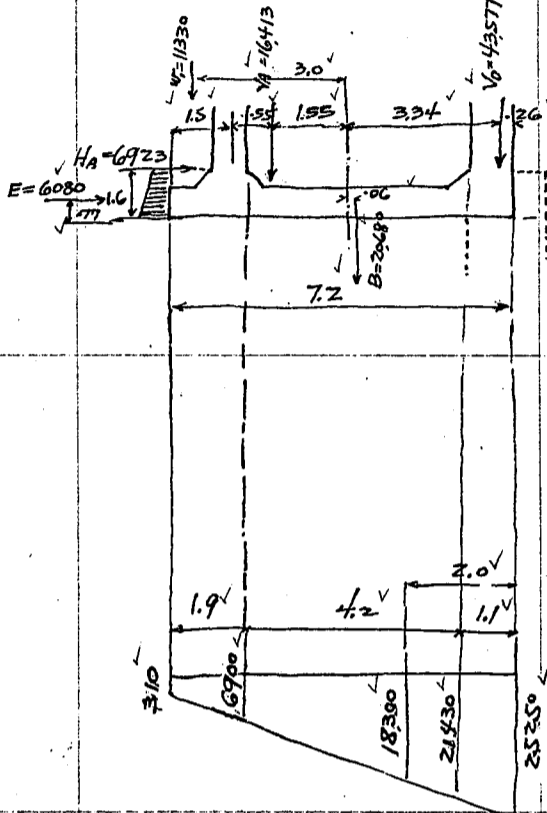
$f_s = 15 \times 24.8 \left(\frac{45}{.3 \times 50} - 1 \right) = 744 \text{ kg/cm}^2$ ok

CALCULATIONS FOR

Design of Juso-ko-Bashi for Osaka Prefecture.

Design of Base.

Case 1. Normal State.



$M_A = -8970 \text{ kgm}$

$M_D = +12650 \text{ kgm}$

weight of Base.

$1.6 \times 7 \times 2400 = 2690 \text{ kg}$

$1.45 \times 7 = 2440 \text{ kg}$

$9 \times 7.2 = 15550 \text{ kg}$

$V_A = 16413 \text{ kg}$

$V_D = 43577 \text{ kg}$

eccentricity = $.546 \text{ m}$ $H_A = -6923 \text{ kg}$

$.29 \text{ m}$ $H_D = +3500 \text{ kg}$

hor. lever arm

vert. arm.

$-2.1 \text{ m} = 5650 \text{ kg}$

$1.2 \text{ m} = 3230 \text{ kg}$

$2.8 \text{ m} = 6830 \text{ kg}$

$1.22 \text{ m} = 2980 \text{ kg}$

$0 = 0 \text{ kg}$

$.45 \text{ m} = 7000 \text{ kg}$

$20680 \text{ kg} \times .06 = 1180 \text{ kg}$

$.64 \text{ m} = 13210 \text{ kg}$

Earth on Rear footing.

$1.2 \times 1.0 \times 5.9 = 7.08 \times 1600 = 11330 \text{ kg}$

Earth pres. $\frac{1600 \times 6.33}{3} = 3370 \text{ kg}$

$\frac{1600 \times 7.93}{3} = 4230 \text{ kg}$

$\frac{7600}{2} = 3800 \text{ kg average}$

$3800 \times 1.6 = 6080 \text{ kg}$

Taking Moment at center.

Loads. Hor. forces

Vert. forces lever arm moment.

V_A

$16413 \text{ kg} \times -1.55 \text{ m} = -25450 \text{ kgm}$

W_1

$11330 \text{ kg} \times -3.00 \text{ m} = -34000 \text{ kgm}$

V_D

$43577 \text{ kg} \times +3.34 \text{ m} = +145500 \text{ kgm}$

B

$6080 \text{ kg} \times +.06 \text{ m} = +365 \text{ kgm}$

E

$6923 \text{ kg} \times +1.77 \text{ m} = +12250 \text{ kgm}$

H_D

$3500 \text{ kg} \times +1.60 \text{ m} = +5600 \text{ kgm}$

16503 kg

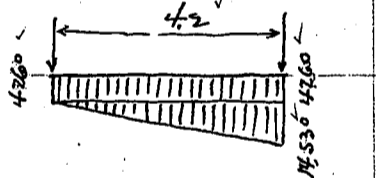
$92000 \text{ kg} \times 1.17 \text{ m} = +108650 \text{ kgm}$

Resultant force within middle third.

max. toe pressure = $\frac{92000}{1.0 \times 7.2} \left(1 \pm \frac{6 \times 1.17}{7.2}\right) = 25250 \text{ kg/m}^2$

Load for 2 meters of toe to be transmitted to lower base under toe assumed

$\frac{25250 + 18300}{2} \times 2 = 43550 \text{ kg}$



upward pressure

6900 kg

wt. of base

$0.9 \times 2700 = -2160 \text{ kg}$

roadway

$3 \times 1600 = +480 \text{ kg}$

4260 kg/m^2 rear end

18790 kg/m^2 front end

Moment

unif. load. $\frac{4260 \times 4.2^2}{8} = 9390 \text{ kgm}$

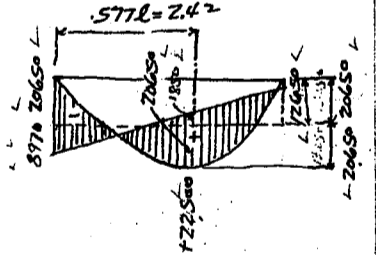
triangular load. $\frac{14530 \times 4.2^2}{15.6} = 16450 \text{ kgm}$

Shear

$\frac{1}{2} \times 4260 \times 4.2 = 8950 \text{ kg}$

$\frac{2}{3} \times 14530 \times 4.2 = 40750 \text{ kg}$

49700 kg on front end.



for continuity of base moment = $\frac{25840}{16550} \times 8 = 20650 \text{ kgm}$

front end:

$M_D +12650 \text{ kgm}$

rear end:

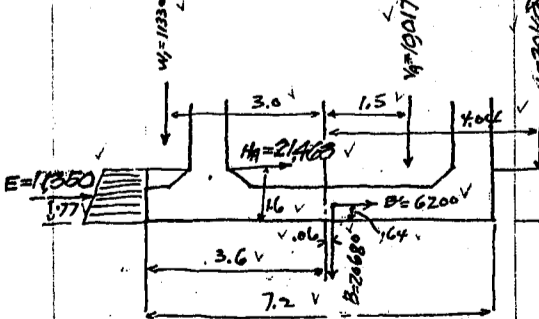
$M_A -8970 \text{ kgm}$

-8600 kgm

-29620 kgm

max pos. moment $20650 + 1850 + 27500 \text{ kgm}$

Case 2 During Earthquake (Seismic force forward.)



$M_A = -37210 \text{ kgm}$

$M_D = +29040 \text{ kgm}$

$V_A = +10017 \text{ kg}$

$V_D = +30163 \text{ kg}$

ecc. = 3.6 m

$.99 \text{ m}$

$H_A = -21463 \text{ kg}$

$H_D = +8272 \text{ kg}$

Earth pressure.

$.662 \times 1600 \times 5.9 = 6260 \text{ kg}$

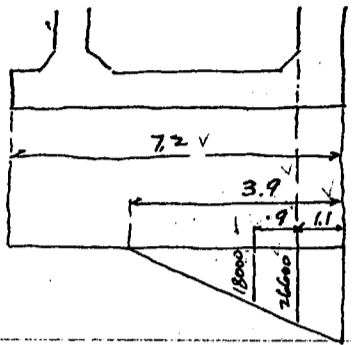
$.662 \times 1600 \times 7.5 = 7950 \text{ kg}$

$\frac{14200}{2} = 7100 \text{ kg/m average}$

$E = 7100 \times 1.6 = 11350 \text{ kg}$

CALCULATIONS FOR

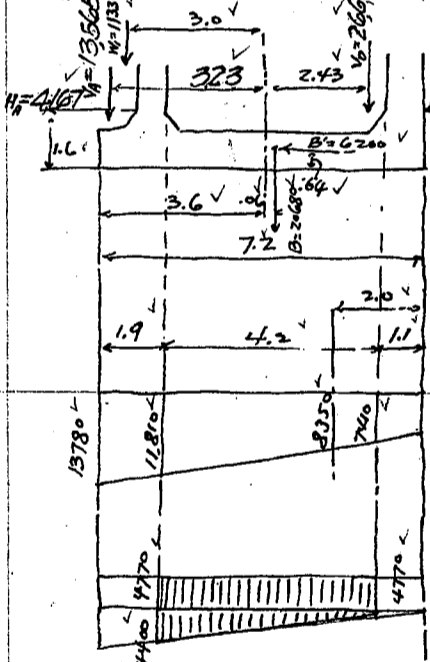
Design of Juso-ko-Bashi for Osaka Prefecture.
Taking moment about center of bottom area.



Loads	Horizontal force	Vert. force	Lever arm	moment.
W1		11,330	3.0	- 34,000
VA		10,017	1.5	+ 15,770
VD		30,163	4.04	+ 121,700
B		20,680	0.06	+ 1,240
HA	21,463	21,423	1.6	+ 34,500
Ho	8,272	8,187	1.6	+ 13,100
B'	6,200	6,200	0.64	+ 3,960
E	11,350	13,350	0.77	+ 8,765
	47,285 kg	72,190 kg	2.30	+ 164,820 kgm

Resultant force out of middle third.
Neglecting tension at heel. pressure area $3(3.6 - 2.3) = 3.9m$
max. toe pressure = $\frac{72,190 \cdot 2}{1.0 \cdot 3.9} = 37,000 \text{ kg/m}^2$
Loads for 2 meters of toe to be transmitted to lower base under toe assumed.
 $\frac{37,000 + 18,000}{2} \cdot 2 = 55,000 \text{ kg}$
Moment on base smaller than for case 1.

Case 3. During Earthquake (Seismic force backward).



MA = +15,390 kgm VA = +13,565 eccentricity $\epsilon = 1.13m$
MD = -10,600 kgm VD = +26,615 " = 0.62

HA = +4,167
Ho = -12,333

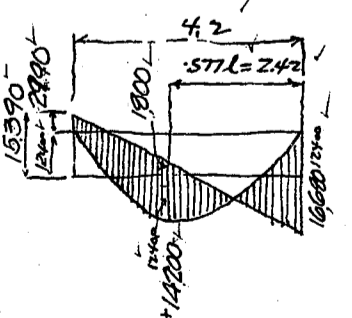
Taking moment about center of base.

Loads	Hor. forces	Vert. forces	Lever arm	moment.
W1		11,330	3.00	+ 34,000
VA		13,565	3.23	+ 43,800
HA	4,167		7.60	+ 6,670
Ho	7,233		7.60	+ 11,550
VD		26,615	2.43	- 64,700
B		20,680	0.06	- 1,240
B'	6,200		0.64	+ 3,960
	17,600 kg	72,190 kg	0.47	+ 34,040 kgm

Resultant force within middle third.
max. toe pressure = $\frac{72,190 \cdot (1 \pm \frac{6 \cdot 0.47}{7.2})}{1.0 \cdot 7.2} = 13,780 \text{ kg/m}^2$
max. load on one pile = $13,780 \cdot 0.9 \cdot 0.9 = 11,500 \text{ kg}$ or 11.5 kg tons

Upward pressure. 11,810
wt. of base. -2160
roadway fill. -480
+ 9,170 rear end
+ 4,770 front end
4,770
4,400

Load on lower base
 $\frac{8350 + 6260}{2} = 14,610 \text{ kg}$



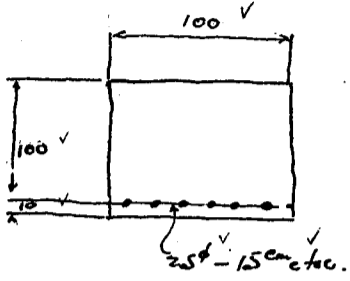
Moment.
unif load. $\frac{4770 \cdot 4.2^2}{8} = 10,500 \text{ kgm}$
Triangular load $\frac{4400 \cdot 4.2^2}{15.6} = \frac{4,980}{15,480} \text{ kgm}$
for continuity of base moment = $15,480 \cdot 0.8 = 12,400 \text{ kgm}$
rear end -12,400
front end -12,400
MA +15,390
+ 2,990 kgm
MD -16,680
- 2,980 kgm
Pos. moment = $12,400 + 140 = +13,810 \text{ kgm}$

Shear
 $\frac{1}{2} \cdot 4770 \cdot 4.2 = 10,000$
 $\frac{2}{3} \cdot 4400 \cdot 4.2 = 12,300$
22,300 kg on rear end.

CALCULATIONS FOR

Design of Juso-ko-Bashi for Osaka Prefecture.

Section of Base.



moment
front end. - 29,080 ✓ seismic.
rear end. - 29,620 ✓ normal.
max. pos. m. + 22,500 ✓ "

Shear
+ 9,700 ✓ normal
22,300 ✓ seismic.

Rear End.

Effective depth required = $\sqrt{\frac{29620 \times 100}{100 \times 7.18}} = 64.2 \text{ cm}$

Use 100 cm effective depth with 10 cm insulation. ∴ total depth 110 cm including fillet.

Steel area req'd = $\frac{29620 \times 100}{1200 \times \frac{7}{8} \times 100} = 28.2 \text{ cm}^2$ per meter strip.

Use 25# bars at 15 cm c/c = 32.7 cm²

Steel ratio $p = \frac{32.7}{100 \times 100} = 0.0033$

$k = .267$, $j = .911$

$f_s = \frac{29620 \times 100}{32.7 \times .911 \times 100} = 9950 \text{ kg/cm}^2$ ok. $f_c = \frac{9950 \times .267}{15(1-.267)} = 24.2 \text{ kg/cm}^2$ ok.

Unit shear = $\frac{22300}{100 \times .911 \times 100} = 2.45 \text{ kg/cm}^2$ ok

Unit bond = $\frac{22300}{7.85 \times 6.67 \times .911 \times 100} = 4.67 \text{ kg/cm}^2$ ok.

Section at Center.

Total depth 90 cm insulation 10 effective depth 80 cm assumed.

Steel area req'd = $\frac{22500 \times 100}{1200 \times \frac{7}{8} \times 80} = 26.8 \text{ cm}^2$

Use 25# bars at 15 cm c/c = 32.7 cm² on top.

Steel ratio $p = \frac{32.7}{100 \times 80} = .0041$

$k = .295$, $j = .902$

$f_s = \frac{22500 \times 100}{32.7 \times .902 \times 80} = 954 \text{ kg/cm}^2$ ok.

$f_c = \frac{954 \times .295}{15(1-.295)} = 26.6 \text{ kg/cm}^2$ ok.

Section at front end.

Total depth 110, insulation 10, effective depth 100 cm assumed.

Steel area req'd = $\frac{29080 \times 100}{1200 \times \frac{7}{8} \times 100 \times 1.8} = 15.3 \text{ cm}^2$

Use 25# bars at 15 cm c/c = 32.7 cm²

Steel ratio $p = 0.0033$, $k = .267$, $j = .911$

$f_s = \frac{29080 \times 100}{32.7 \times .911 \times 100} = 971 \text{ kg/cm}^2$ ok.

$f_c = \frac{971 \times .267}{15(1-.267)} = 23.6$ ok.

Unit shear = $\frac{49700}{100 \times .911 \times 100} = 5.45 \text{ kg/cm}^2$ use stirrups.

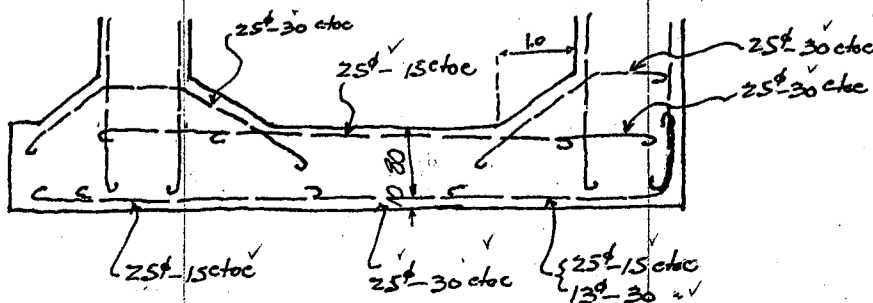
Perimeter of bars req'd for bond stirrups = $\frac{49700}{9.0 \times .911 \times 100} = 60.6 \text{ cm}$

25# bars 15 cm c/c = 7.85 × 6.67 = 52.4

13# " 30 " = 4.08 × 3.33 = 13.6

66.0 cm.

Deformed bars.



Bond Bars, revised.

effective depth = 120 cm

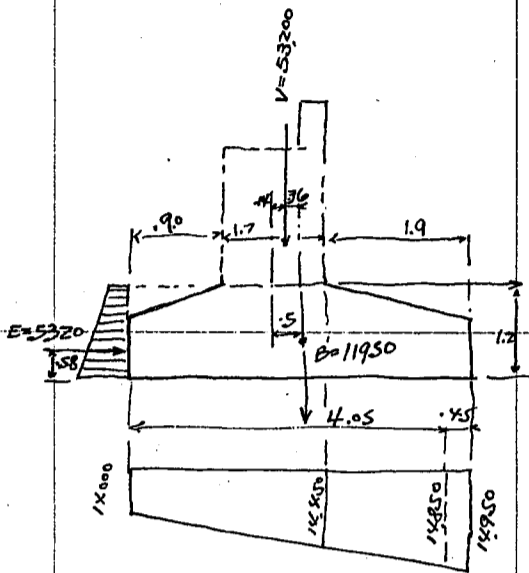
Perimeter req'd. for bond = $\frac{49700}{9.0 \times .911 \times 120} = 50.5 \text{ cm}$

use 25# bars 15 cm c/c. Perimeter = 52.4 cm ok.

CALCULATIONS FOR

Design of Jinso-ko-Bashi for Osaka prefecture.

Stability of Base at Bottom Section
Case 1. Stability at normal state.

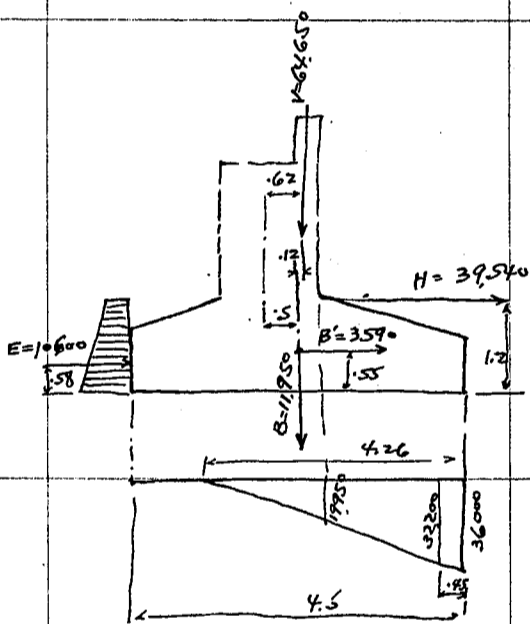


$V = 53200 \text{ kg}$ with 0.14 m eccentricity with respect to shaft.
 $H = 14780 \text{ kg}$ at top of Base.
Earth pressure $1600 \times 7.7 \div 3 = 4110$
 $1600 \times 8.9 \div 3 = 4750$
 $8860 \div 2 = 4430 \times 1.2 = 5320 \text{ kg}$

Loads	Hor. forces	Vert. forces	Lev. arm	Moment
V		53200	$\times 0.36$	$= -19150$
H	14780		$\times 1.20$	$= 17730$
B		11950	$\times 0$	$= 0$
E		5320	$\times 0.58$	$= 3080$
		20100 kg		
		65150 kg	$\times 0.25$	$= +16660 \text{ kgm}$

Resultant force within middle third.
max. toe pressure = $\frac{65150}{1.0 \times 4.5} (1 \pm \frac{6 \times 0.25}{4.5}) = 14950 \text{ kg/m}^2$ (or 1.37 ton/m^2)
or 14000 kg/m^2
max. load on one pile = $14.85 \times 9 \times 9 = 120 \text{ kg/ton}$

Case 2. Stability during Earthquake. (Seismic force forward)



$V = 64650 \text{ kg}$ with 0.62 eccentricity with respect to shaft
 $H = 39540 \text{ kg}$ at top of base.
Earth pressure $1600 \times 7.7 \times 0.662 = 8160$
 $1600 \times 8.9 \times 0.662 = 9440$
 $17600 \div 2 = 8800 \times 1.2 = 10600 \text{ kg}$

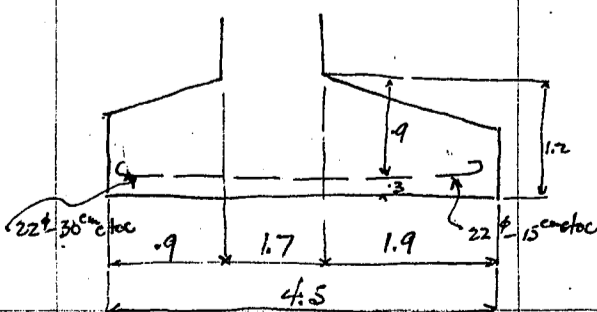
Loads	Hor. forces	Vert. forces	Lev. arm	Moment
V		64650	$\times 0.12$	$= 7750$
H	39540		$\times 1.20$	$= 47450$
B		11950	$\times 0$	$= 0$
B'	3590		$\times 0.55$	$= 2000$
E		10600	$\times 0.58$	$= 6150$
		51730 kg		
		76600 kg	$\times 0.83$	$= 63350 \text{ kgm}$

Resultant force outside of middle third neglecting tension at heel,
pressure area = $(2.25 - 0.83) \times 3 = 4.26$
max. toe pressure = $\frac{76600 \times 2}{1.0 \times 4.26} = 36000 \text{ kg/m}^2$ or (3.3 ton/m^2)
max. load on one pile = $32.200 \times 9 \times 9 = 26.1 \text{ kg/ton}$

Case 3. Stability during Earthquake (Seismic force backward)

By a rough approximation
max. toe pressure = 12800 kg/m^2 ecc. = 0.6 m alt.
max. load on one pile = 10.0 alt.

Design of Cantilever Footing at toe.



Normal state. upward pressure = $\frac{14950 + 14950}{2} = 14700 \times 1.9 = 27900 \times 0.95 = 26500 \text{ kg}$
wt. of footing $1.2 \times 2400 = 2880$
" earth fill $2.0 \times 1600 = 3200$
 $6080 \times 1.9 = 11550$
 16350 15500 kg

During Earthquake upward pres. = $\frac{36000 + 19950}{2} = 27980 \times 1.9 = 53200 \times 1.04 = 55300 \text{ kg}$
wt. of footing & fill $\frac{-11550}{41650 \text{ kg}}$ $\frac{-11500}{44300 \text{ kg}}$

Effective depth reqd = $\sqrt{\frac{44300 \times 100}{100 \times 7.18}} = 78.6 \text{ cm}$ use 90 cm effective depth.

Steel area reqd = $\frac{44300 \times 100}{1200 \times 1.8 \times 7.90} = 26.0 \text{ cm}^2$ per meter strip of base.

unit shear = $\frac{41650}{100 \times 917.90} = 5.05 < 4.18 \text{ ok}$

unit bond = $\frac{41650}{6.9 \times 6.67 \times 917.90} = 10.96 < 9.18 \text{ ok}$

Deformed Bars. used.

Use $22\phi - 15 \text{ cm c to c} = 25.4 \text{ cm/m strip}$.

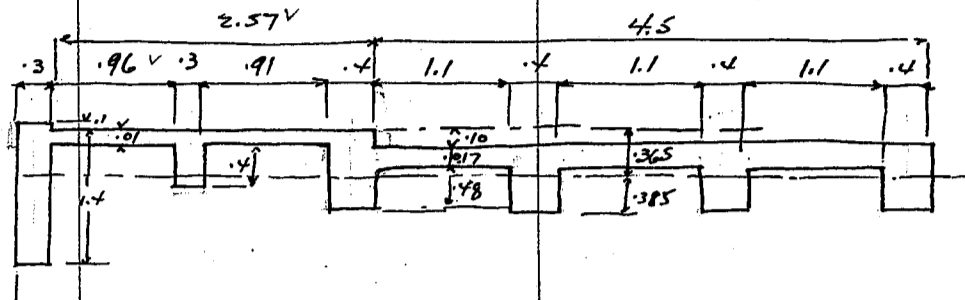
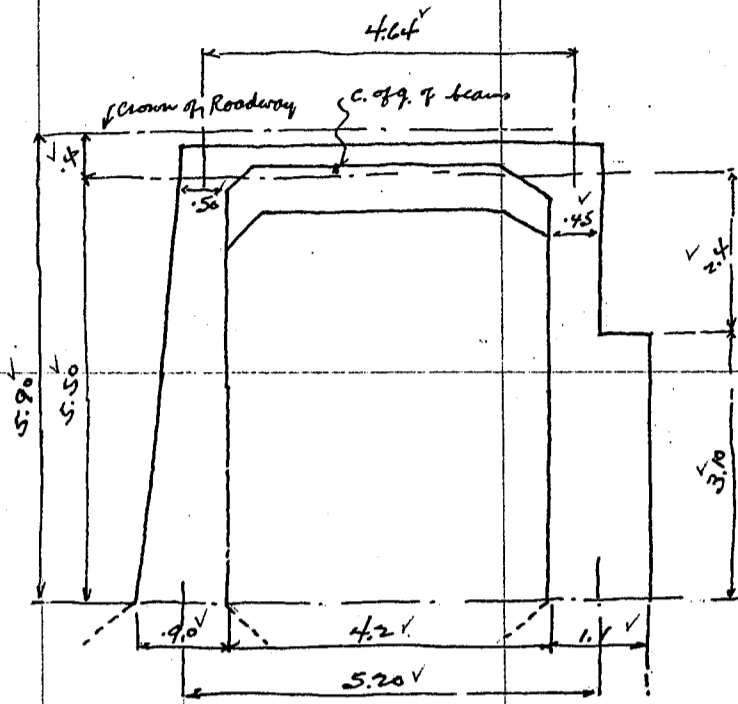
$p = \frac{25.4}{100 \times 90} = 0.0028$, $k = 0.248$, $j = 0.917$

$f_s = \frac{44300 \times 100}{25.4 \times 917.90} = 2115 \text{ kg/cm}^2 < 1200 \times 1.8 = 2160 \text{ ok}$

$f_c = \frac{2175 \times 0.248}{15(1 - 0.248)} = 46.5 \text{ kg/cm}^2 < 45 \times 1.8 \text{ ok}$

CALCULATIONS FOR

Design of Juso-ko-Bashi for Osaka Prefecture.
Stresses on Frame under Roadway and Sidewalk.



Center of gravity, taking moment about a hor. line through the crown of roadway.

Roadway slab	$.17 \times 4.5 = .765$	$.185$	$= .1415$
stem	$.4 \times .48 \times 4 = .768$	$.510$	$= .3915$
Sidewalk slab	$.1 \times 2.57 = .257$	$.05$	$= .0129$
stem	$.4 \times .17 = .068$	$.185$	$= .0126$
"	$.4 \times .3 = .120$	$.300$	$= .0360$
"	$.3 \times 1.5 = .450$	$.650$	$= .2925$
	<u>2.428</u>	<u>.365</u>	<u>.8870</u>

Call this .40 m³ for calculating h.

Moment of inertia J₂ (Beams)

Slab of Roadway	$\frac{4.5 \times .17^3}{12} + .765 \times .18^2$	$= .00184 + .0248$	$= .02664$
Stem	$\frac{4 \times .4 \times .48^3}{12} + .768 \times .45^2$	$= .01475 + .01615$	$= .03090$
"	$\frac{.4 \times .17^3}{12} + .068 \times .18^2$	$= .00016 + .0022$	$= .00236$
Sidewalk slab	$\frac{2.57 \times .1^3}{12} + .257 \times .05^2$	$= .00021 + .0255$	$= .02571$
stem	$\frac{.3 \times .4^3}{12} + .120 \times .065^2$	$= .0016 + .00051$	$= .00211$
"	$\frac{.3 \times 1.5^3}{12} + .45 \times .285^2$	$= .0844 + .03655$	$= .12095$
		$J_2 =$	<u>0.20867 m³</u>

Moment of inertia J₁ (walls)

Rear wall. Bottom.	$\frac{8.57 \times .9^3}{12} = .5200$	
Top.	$\frac{8.57 \times .5^3}{12} = .0892$	$\frac{.6892}{2} = .3046$
Front wall. Top.	$\frac{8.57 \times .45^3}{12} = .0651$	
Bottom	$\frac{8.57 \times 1.1^3}{12} = .9510$	$\frac{1.0161}{2} = .5081$
	$J_1 =$	$\frac{.8127}{2} = .4064$ m ³ Average.

$h = 5.9 - .4 = 5.50$ m, $l = \frac{5.2 + 4.64}{2} = 4.92$ m

$k = \frac{J_2}{J_1} \frac{h}{l} = \frac{.20867}{.4064} \frac{5.50}{4.92} = 0.574$

Constants including k

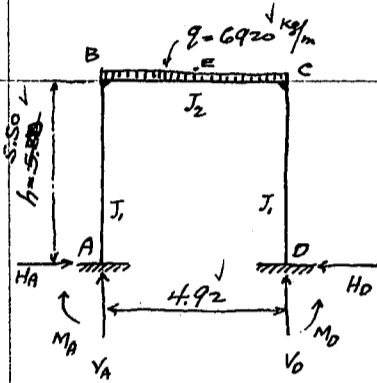
$k =$	$.574$	$k+1 = 1.574$
$k+2 =$	2.574	$2k+1 = 2.148$
$2k+3 =$	4.148	
$3k+4 =$	5.722	$5k-1 = 1.870$
$5k+9 =$	11.870	
$6k+1 =$	4.444	
$7k+12 =$	16.018	$3+7k = 7.018$
$12k =$	6.888	
$15k =$	8.610	

CALCULATIONS FOR

Design of Juso-ko Basu for Osaka prefecture.

Dead load stresses on frame.

Weight of floor.	concrete	2.428' @ 2400'	=	5820' kg.
	roadway pavement	4.32' @ 149'	=	644'
	Sidewalk	2.57' @ 53'	=	136'
	Concrete fillets	$\frac{1}{2} \times 1.5' \times 10' @ 2400'$	=	180'
	coping	2.11' @ 2400'	=	48'
	curb stone	.18' @ 2600'	=	85'
				<u>6913' kg per lin meter of span.</u>
				call this 6920



$$V = \frac{qL}{2} = \frac{6920 \times 4.92}{2} = 17050 \text{ kg}$$

$$H = \frac{qL^2}{4h(K+2)} = \frac{6920 \times 4.92^2}{4 \times 5.5 \times 2.574} = 2960 \text{ kg}$$

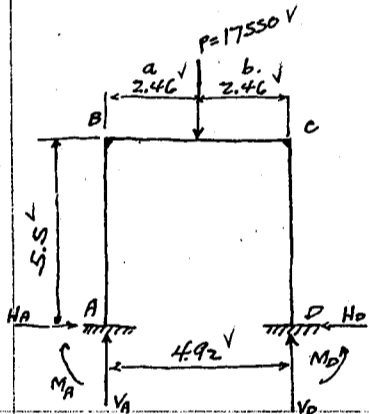
$$M_B = M_C = -\frac{qL^2}{6(K+2)} = -\frac{6920 \times 4.92^2}{6 \times 2.574} = -10850 \text{ kgm}$$

$$M_A = M_D = +\frac{qL^2}{12(K+2)} = +5420 \text{ kgm}$$

$$M_E = +\frac{qL^2}{8} - \frac{qL^2}{6(K+2)} = \frac{6920 \times 4.92^2}{8} - 10850 = +10100 \text{ kgm}$$

Live Load

Roadway rear wheel concentration with 30% imp. = $5850 \text{ kg} \times 3 = 17550 \text{ kg}$
 front " " " " " " " " = $2730 \times 3 = 8190$
 Uniform load on front & rear of trucks = say $4.5' @ 600' = 2700 \text{ kg/meter}$
 Sidewalk uniform load = $2.75' @ 500' = 1380$



Stress due to motor truck rear wheels.

$$a = b = \frac{l}{2}, \quad \delta = \frac{a}{l} = \frac{b}{l} = \frac{1}{2}$$

$$V = \frac{P}{2} = \frac{17550}{2} = +8780 \text{ kg}$$

$$H = \frac{3PL}{8h(K+2)} = \frac{3 \times 17550 \times 4.92}{8 \times 5.5 \times 2.574} = +2290 \text{ kg}$$

$$M_A = +\frac{PL}{8} \frac{(5K-1)(K+2)}{(K+2)(6K+1)} = +\frac{17550 \times 4.92}{8} \frac{1.87+2.574}{2.574 \times 4.444} = +4200 \text{ kgm}$$

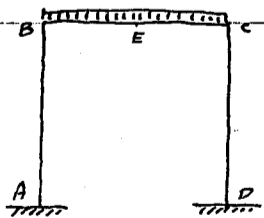
$$M_D = +\frac{PL}{8} \frac{(3+7K)-(K+2)}{(K+2)(6K+1)} = +\frac{17550 \times 4.92}{8} \frac{7.018-2.574}{2.574 \times 4.444} = +4200 \text{ kgm}$$

$$M_B = M_A - Hh = 4200 - 2290 \times 5.5 = -8400 \text{ kgm}$$

$$M_C = M_D - Hh = -8400$$

$$M_E = M_A - Hh + Va \frac{l}{2} = -8400 + 8780 \times \frac{4.92}{2} = +13200 \text{ kgm}$$

Uniform load on rear of motor truck is loaded only a length of 0.46 and neglected.
 Stress due to uniform load on sidewalk. $q = 1380 \text{ kg/m}$



$$V = \frac{qL}{2} = \frac{1380 \times 4.92}{2} = +3400 \text{ kg}$$

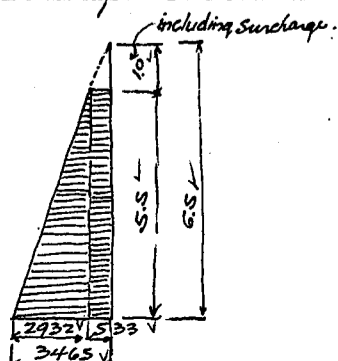
$$H = \frac{qL^2}{4h(K+2)} = \frac{1380 \times 4.92^2}{4 \times 5.5 \times 2.574} = +590 \text{ kg}$$

$$M_B = M_C = -\frac{qL^2}{6(K+2)} = -\frac{1380 \times 4.92^2}{6 \times 2.574} = -2160 \text{ kgm}$$

$$M_A = M_D = +\frac{qL^2}{12(K+2)} = +1080 \text{ kgm}$$

$$M_E = +\frac{qL^2}{8} - \frac{qL^2}{6(K+2)} = \frac{1380 \times 4.92^2}{8} - \frac{1380 \times 4.92^2}{6 \times 2.574} = +2010 \text{ kgm}$$

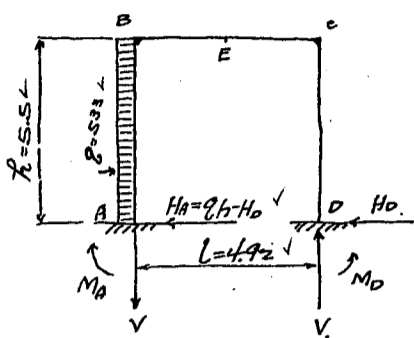
Earth pressure at normal state



Earth pressure at top. $\frac{1600 \times 10}{3} = 533 \text{ kg/m}^2$
 at bottom $\frac{1600 \times 6.5}{3} = 3465$
 $3465 - 533 = 2932 \text{ kg/m}^2$

CALCULATIONS FOR

Design of Jusō-ko-Bashi for Osaka Prefecture



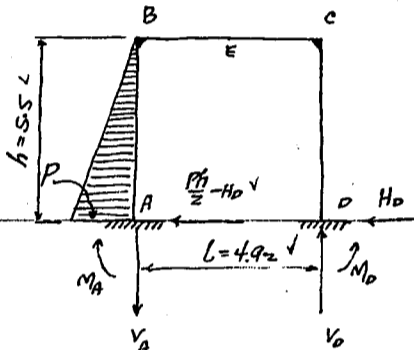
$$V = \frac{qh^2k}{l(6k+1)} = \frac{533 \cdot 5.5^2 \cdot 574}{4.92 \cdot 4444} = 420 \text{ kg/meter strip} \quad \text{for } 8.57\text{m} \dots 3600 \text{ kg}$$

$$H_0 = \frac{qh^2k}{8(k+2)} = \frac{533 \cdot 5.5^2 \cdot 4148}{8 \cdot 2574} = 590 \text{ kg/meter strip} \quad 5060 \text{ kg}$$

$$H_A = qh - H_0 = 533 \cdot 5.5 - 590 = 2340 \text{ kg/m strip} \quad 20,050 \text{ kg}$$

$$M_A = -\frac{qh^2}{24} \left(\frac{5k+9}{k+2} - \frac{12k}{6k+1} \right) = -\frac{533 \cdot 5.5^2}{24} \left(\frac{12 \cdot 11.81}{2574} - \frac{6.888}{4444} \right) = -3920 \text{ kgm} \quad -33,600 \text{ kgm}$$

$$M_D = +\frac{qh^2}{24} \left(\frac{5k+9}{k+2} - \frac{12k}{6k+1} \right) = +672 \left(\frac{4.61}{2574} - \frac{1.55}{4444} \right) = 2,060 \text{ kgm} \quad +17,650 \text{ kgm}$$



$$M_B = M_A - H_0 h + \frac{qh^2}{2} = -3920 - 590 \cdot 5.5 + \frac{533 \cdot 5.5^2}{2} = +910 \text{ kgm} \quad +7,800 \text{ kgm}$$

$$M_C = M_D - H_0 h = +2060 - 3250 = -1190 \text{ kgm} \quad -10,200 \text{ kgm}$$

$$M_E \text{ by proportion} = -140 \text{ kgm/m} \quad -1,200 \text{ kgm}$$

$$V = \frac{pkh^2}{4l(6k+1)} = \frac{2932 \cdot 5.5^2 \cdot 574}{4 \cdot 4.92 \cdot 4444} = 580 \text{ kg/m strip wall} \quad \text{for } 8.57\text{m} \dots 4,970 \text{ kg}$$

$$H_0 = \frac{Ph^2}{40} \frac{3k+4}{k+2} = \frac{2932 \cdot 5.5^2 \cdot 5722}{40 \cdot 2574} = 900 \text{ kg/m} \quad 7,710 \text{ kg}$$

$$H_A = \frac{Ph^2}{2} - H_0 = \frac{2932 \cdot 5.5^2}{2} - 900 = 7,170 \text{ kg/m} \quad 61,500 \text{ kg}$$

$$M_A = -\frac{Ph^2}{120} \left(\frac{7k+2}{k+2} - \frac{15k}{6k+1} \right) = -\frac{2932 \cdot 5.5^2}{120} \left(\frac{20 \cdot 16.018}{2574} - \frac{8.61}{4444} \right) = -8,770 \text{ kgm} \quad -75,100 \text{ kgm}$$

$$M_D = +\frac{Ph^2}{120} \left(\frac{7k+2}{k+2} - \frac{15k}{6k+1} \right) = +740 \left(\frac{6.22}{2574} - \frac{1.94}{4444} \right) = +3,170 \text{ kgm} \quad +27,150 \text{ kgm}$$

$$M_B = M_A - H_0 h + \frac{Ph^2}{6} = -8,770 - 900 \cdot 5.5 + \frac{2932 \cdot 5.5^2}{6} = +1,080 \text{ kgm} \quad +9,250 \text{ kgm}$$

$$M_C = M_D - H_0 h = +3,170 - 4,950 = -1,780 \text{ kgm} \quad -15,250 \text{ kgm}$$

$$M_E \text{ by proportion} = -350 \text{ kgm/m} \quad -3,000 \text{ kgm}$$

Dead load due to weight of walls on A-D.

Load on A: $\frac{.5+9}{2} \cdot 7 \cdot 5.5 = 3.85 \cdot 2400 = 9240 \text{ kg} \cdot 8.57 = 79,100 \text{ kg}$

Load on D: $\frac{.45+2.4}{2} \cdot 1.1 \cdot 3.1 = 1.08 \cdot 3.41 = 3.68 \text{ kg} \cdot 4.49 \cdot 2400 = 10,780 \text{ kg} \cdot 8.57 = 92,400 \text{ kg}$

Load from main girder spans.

D.L. $13460 \cdot 8.57 = 115,500 \text{ kg}$

L.L. $10370 \cdot 8.57 = 88,800 \text{ kg}$

Eccentricity = .13m

Moment on D: D.L. $M_D = +115,500 \cdot .13 = +15,000 \text{ kgm}$ (MA, MB, MC to be neglected)

L.L. $M_D = +88,800 \cdot .13 = +11,550 \text{ kgm}$

Summary for moments and reactions.

	MA	MD	MB	MC	ME	HA	HD	VA	VD
Dead load, abutment floor	+ 5420	+ 5420	- 10,850	- 10,850	+ 10,100	+ 2960	+ 2960	+ 17,050	+ 17,050
" " wt. of walls								+ 79,100	+ 92,400
" " Girder span		+ 15,000							+ 11,550
Total	+ 5420	+ 20,420	- 10,850	- 10,850	+ 10,100	+ 2960	+ 2960	+ 96,150	+ 224,950
Earth pressure uniform	- 33,600	+ 17,650	+ 7,800	- 10,200	- 1,200	- 20,050	+ 5,060	- 3,600	+ 3,600
" " triangular	- 75,100	+ 27,150	+ 9,250	- 15,250	- 3,000	- 67,300	+ 7,710	- 4,970	+ 4,970
Live load on abutment road	+ 4,200	+ 4,200	- 8,400	- 8,400	+ 13,200	+ 2,290	+ 2,290	+ 8,780	+ 8,780
" " Sidewalk	+ 1,080	+ 1,080	- 2,160	- 2,160	+ 2,010	+ 590	+ 590	+ 3,400	+ 3,400
" " Girder span		+ 11,550							+ 8,800
Total DL + Earth pressure + L.L.	- 98,000	+ 82,050	- 4,360	- 46,860	+ 21,210	- 75,710	+ 18,610	+ 99,760	+ 334,500
" DL + Earth pressure	- 103,280	+ 65,220	+ 6,270	- 36,200	+ 5,900	- 78,590	+ 15,730	+ 87,580	+ 233,520

CALCULATIONS FOR

Design of Juso-ko-Bashi for Osaka Prefecture.

Stresses on Frame under Roadway and Sidewalk during Earthquake. (Seismic forces forward).

Seismic forces on frame.

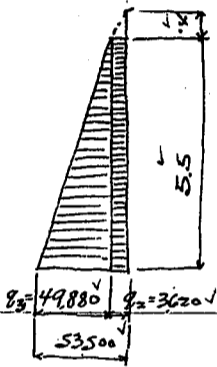
Dead Load: Floor $6920 \times 4.92 = 34000 \text{ kg}$
Seismic force = $34000 \times 0.3 = 10200 \text{ kg}$ on top. ----- = P_1 .

Weight of Rear wall. $79100 \times 0.3 = 23740 \text{ kg} \times 2.49 = 59100 \text{ kg}$
" " front " $92400 \times 0.3 = 27700 \text{ kg} \times 2.20 = 60900 \text{ kg}$
 $171500 \text{ kg} - 51440 \text{ kg} = 120060 \text{ kg}$

Equivalent uniform horizontal load = $\frac{51440 \text{ kg} \times 2.33}{5.5} = \frac{120060 \text{ kg} \times 2.75}{7.90} = 7900 \text{ kg per meter of height} = q_1$.

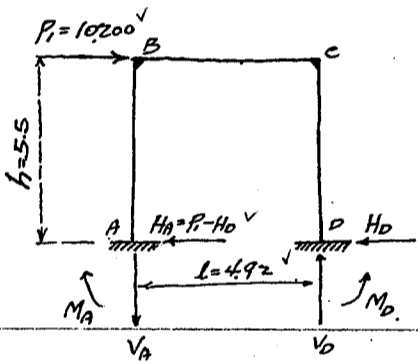
Earth pressure for 3000 mm earthquake. = $0.662 \text{ wh} \text{ kg/m}^2$

Top. $0.662 \times 1600 \times 4.9 = 423 \text{ kg/m}^2 \times 8.57 = 3620 \text{ kg} = q_2$
Bottom. $0.662 \times 1600 \times 5.9 = 6250 \text{ kg/m}^2 \times 8.57 = 53500 \text{ kg}$
 $49880 \text{ kg} = q_3$



Dead Load due to girder span, average $13460 \times 0.3 = 4040 \text{ kg} \times 8.57 = 34600 \text{ kg} = P_2$

Stresses due to P_1 (Floor seismic force).



$V = \frac{3Phk}{l(6k+1)} = \frac{3 \times 10200 \times 5.5 \times 5.7}{4.92 \times 4.444} = 4430 \text{ kg}$

$H_A = H_D = \frac{1}{2} P_1 = \frac{10200}{2} = 5100 \text{ kg}$

$M_A = -\frac{Ph}{2} \frac{3k+1}{6k+1} = -\frac{10200 \times 5.5}{2} \frac{2.722}{4.444} = -17200 \text{ kgm}$

$M_D = + \dots = + 17200 \text{ kgm}$

$M_B = + \frac{Ph}{2} \frac{3k}{6k+1} = + \frac{10200 \times 5.5}{2} \frac{1.722}{4.444} = +10900 \text{ kgm}$

$M_C = - \dots = -10900 \text{ kgm}$

Stresses due to D.L. of main girder span.

$\delta = \frac{c}{h} = \frac{3.5}{5.5} = 0.637$

$V = \frac{3P_2 c \delta k}{l(6k+1)} = \frac{3 \times 34600 \times 0.637 \times 3.5 \times 5.7}{4.92 \times 4.444} = 6080 \text{ kg}$

$H_A = \frac{P_2 \delta^2}{2(k+2)} [3(k+1) - \delta(2k+1)] = \frac{34600 \times 0.637^2}{2 \times 2.574} [3 \times 1.574 - 0.637 \times 2.148] = 9150 \text{ kg}$

$H_D = P_2 - H_A = 34600 - 9150 = 25450 \text{ kg}$

$M_A = -\frac{P_2 \delta c}{2} \left[\frac{3+2k-\delta(k+1)}{k+2} \frac{3k}{6k+1} \right] = -\frac{34600 \times 0.637 \times 3.5}{2} \left[\frac{4.448 - 0.637 \times 1.574}{2.574} \frac{1.722}{4.444} \right] = -32200 \text{ kgm}$

$M_D = + \frac{P_2 \delta c}{2} \left[\frac{2}{\delta} - \frac{3+2k-\delta(k+1)}{k+2} \frac{3k}{6k+1} \right] = + 38560 (3.14 - 1.223 - 0.3875) = + 59000 \text{ kgm}$

$M_B = M_A + H_A h = -32200 + 9150 \times 5.5 = +18100 \text{ kgm}$

$M_C = M_D + H_A h - P_2 c = +59000 + 9150 \times 5.5 - 34600 \times 3.5 = -11800 \text{ kgm}$

$M_P = M_D - H_D c = +59000 - 25450 \times 3.5 = -30100 \text{ kgm}$

Stresses due to $q_1 + q_2$, weight of walls and earth pressure.

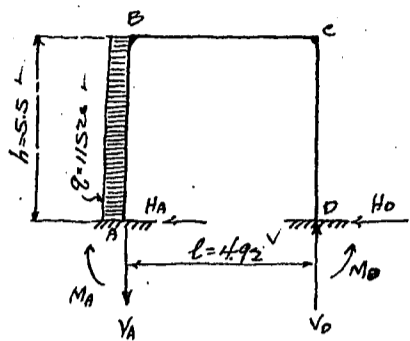
$q_1 = 7900 \text{ kg}$

$q_2 = 3620 \text{ kg}$

$11520 \text{ kg per meter of height}$

CALCULATIONS FOR

Design of Juso-Ko-Bashi for Osaka Prefecture



$$V = \frac{qh^2k}{l(6k+1)} = \frac{11520 \cdot 5.5^2 \cdot 574}{4.92 \cdot 4.444} = 9150 \text{ kg}$$

$$H_D = \frac{qh(2k+3)}{8(k+2)} = \frac{11520 \cdot 5.5 \cdot 4.18}{8 \cdot 2.574} = 12750 \text{ kg}$$

$$H_A = qh - H_D = 11520 \cdot 5.5 - 12750 = 50650 \text{ kg}$$

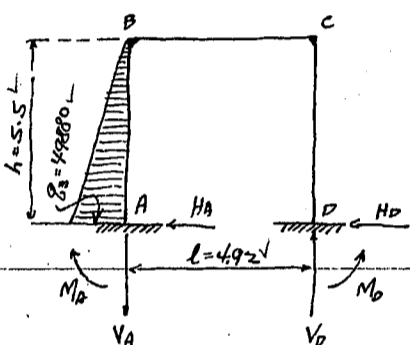
$$M_A = -\frac{qh^2}{24} \left(12 - \frac{5k+9}{k+2} - \frac{12k}{6k+1} \right) = -\frac{11520 \cdot 5.5^2}{24} \left(12 - \frac{11.870}{2.574} - \frac{6.888}{4.444} \right) = -84900 \text{ kgm}$$

$$M_D = +\frac{qh^2}{24} \left(+\frac{5k+9}{k+2} - \frac{12k}{6k+1} \right) = +14520 \left(4.61 - 1.55 \right) = +44450$$

$$M_B = M_A - H_D h + \frac{qh^2}{2} = -84900 - 12750 \cdot 5.5 + \frac{11520 \cdot 5.5^2}{2} = +19300$$

$$M_C = M_D - H_D h = +44450 - 12750 \cdot 5.5 = -25650$$

Stresses due to $q_3 = 49880 \text{ kg/m}^2$ at bottom (triangular part of earth pressure)



$$V = \frac{q_3 K h^2}{4l(6k+1)} = \frac{49880 \cdot 5.5^2 \cdot 55}{4 \cdot 4.92 \cdot 4.444} = 9900 \text{ kg}$$

$$H_D = \frac{q_3 h(3k+4)}{40(k+2)} = \frac{49880 \cdot 5.5 \cdot 5.722}{40 \cdot 2.574} = 15280$$

$$H_A = \frac{q_3 h}{2} - H_D = \frac{49880 \cdot 5.5}{2} - 15280 = 121920$$

$$M_A = -\frac{q_3 h^2}{120} \left(20 - \frac{7k+12}{k+2} - \frac{15k}{6k+1} \right) = -149000 \text{ kgm}$$

$$M_D = +\frac{q_3 h^2}{120} \left(\frac{7k+12}{k+2} - \frac{15k}{6k+1} \right) = +53900$$

$$M_B = M_A - H_D h + \frac{q_3 h^2}{6} = +18350$$

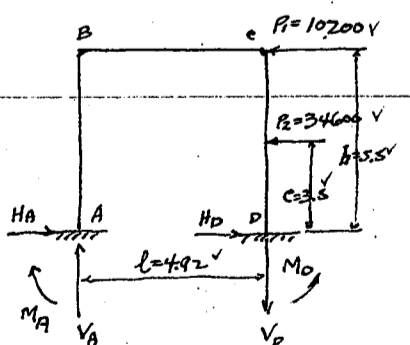
$$M_C = M_D - H_D h = -30250$$

$$M_E = -5950$$

Summary for moments and reactions during earthquake (forward)

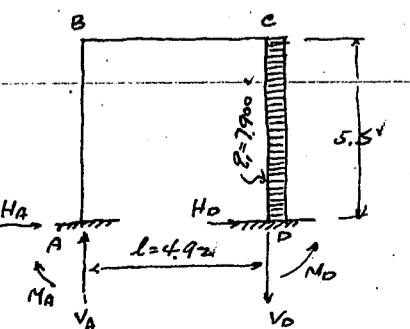
	M_A	M_D	M_B	M_C	H_A	H_D	V_A	V_D
Dead load summary	+20420	+20420	-10850	-10850	+2960	+2960	+96150	+224950
Seismic force, floor	-17200	+17200	+10900	-10900	+5100	+5100	-4430	+4430
" girder span	-32200	+59000	+18100	-11800	+9150	+25450	-6080	+6080
Earth pressure + wt. of wall	-84900	+44450	+19300	-25650	-50650	+12750	-9150	+9150
Earth pressure (triangular part)	-149000	+53900	+18350	-30250	-121920	+15280	-9900	+9900
	-277880	+194970	+55800	-89450	-183860	+61540	+66590	+284910

Stresses on frame during earthquake (backward)



	M_A	M_D	M_B	M_C	H_A	H_D	V_A	V_D
$P_1 = 10200$	+17200	-17200	-10900	+10900	+5100	-5100	+4430	-4430
$P_2 = 32200$	+32200	-59000	+18100	+11800	+9150	-25450	+6080	-6080

Stresses due to $q_1 = 7900$ wt. of walls. Proportion $\frac{q_2+q_1}{q_1} = \frac{11520}{7900} = 1.46$



$$V = 9150 \div 1.46 = 6260 \text{ kg}$$

$$H_A = +12750 \div 1.46 = +8740$$

$$H_D = -50650 \div 1.46 = -34700$$

$$M_A = +44450 \div 1.46 = +30450$$

$$M_D = -84900 \div 1.46 = -58200$$

$$M_B = -25650 \div 1.46 = -17580$$

$$M_C = +19300 \div 1.46 = +13220$$

CALCULATIONS FOR

Design of Jusō-ko Bashi for Osaka prefecture

Summary for stresses during earthquake (backward).

	MA	MO	MB	MC	HA	HO	VA	VO
Dead Load Summary	+5420 ✓	+20420 ✓	-10850 ✓	-10850 ✓	+2960 ✓	+2960 ✓	+96150 ✓	+224950 ✓
Seismic force floor P1	+17200 ✓	-17200 ✓	-10900 ✓	+10900 ✓	+5100 ✓	-5100 ✓	+4430 ✓	-4430 ✓
" " Girders P2	+32200 ✓	-59000 ✓	-18100 ✓	+11800 ✓	+9150 ✓	-25450 ✓	+6080 ✓	-6080 ✓
" " walls P3	+30450 ✓	-58200 ✓	-17580 ✓	+13220 ✓	+8740 ✓	-34700 ✓	+6260 ✓	-6260 ✓
Total stresses	+85270 ✓	-113980 ✓	-57430 ✓	+25070 ✓	+25950 ✓	-62290 ✓	+112920 ✓	+208180 ✓

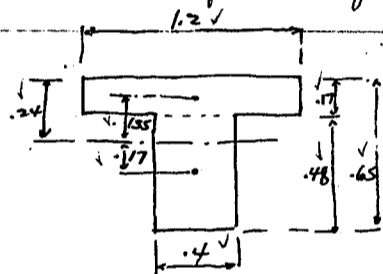
Summary for stresses in 3 cases calculated above.

	MA	MO	MB	MC	HA	HO	VA	VO
Normal state DL+earth pres.+LL	-98000 ✓	+82050 ✓	-4360 ✓	-46860 ✓	+75710 ✓	+18610 ✓	+99760 ✓	+334500 ✓
" " DL+earth pres.	-103280 ✓	+65220 ✓	+6200 ✓	-36300 ✓	-78590 ✓	+15730 ✓	+87580 ✓	+233520 ✓
Earthquake forward	-277880 ✓	+194970 ✓	+55800 ✓	-89450 ✓	-183860 ✓	+61540 ✓	+66590 ✓	+254510 ✓
" " backward	+85270 ✓	-113980 ✓	-57430 ✓	+25070 ✓	+25950 ✓	-62290 ✓	+112920 ✓	+208180 ✓

Check for stresses on Beam end.

Moments MB + MC are assumed to be distributed on several beams proportionally to their moment of inertia respectively.

Moment of inertia of Beam A.



Center of gravity

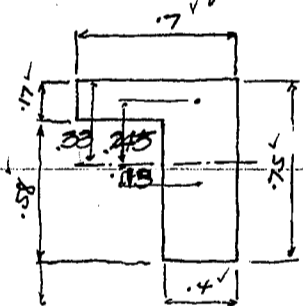
$$\begin{aligned} .17 \times 1.2 &= .204 \\ .48 \times .4 &= .192 \\ \hline .396 \end{aligned} \quad \begin{aligned} .085 &= .085 \\ .410 &= .410 \\ \hline .495 \end{aligned} \quad \begin{aligned} .0171 &= .0171 \\ .0787 &= .0787 \\ \hline .0958 &= .0958 \end{aligned}$$

Moment of inertia

$$\begin{aligned} \frac{1.2 \times .17^3}{12} + .204 \times .155^2 &= .00049 + .0049 = .00539 \\ \frac{.4 \times .48^3}{12} + .192 \times .17^2 &= .003685 + .00554 = .00923 \\ \hline J_A &= .01462 \end{aligned}$$

Beam C same moment of inertia as for A assumed.

Moment of inertia of Beam B.

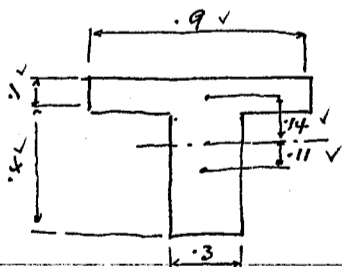


Center of gravity

$$\begin{aligned} .17 \times .7 &= .119 \\ .4 \times .58 &= .232 \\ \hline .351 \end{aligned} \quad \begin{aligned} .085 &= .085 \\ .46 &= .46 \\ \hline .545 \end{aligned} \quad \begin{aligned} .0101 &= .0101 \\ .1067 &= .1067 \\ \hline .1168 &= .1168 \end{aligned}$$

$$\begin{aligned} \frac{.7 \times .17^3}{12} + .119 \times .245^2 &= .00029 + .0071 = .00739 \\ \frac{.4 \times .58^3}{12} + .232 \times .17^2 &= .0065 + .0049 = .0114 \\ \hline J_B &= .01879 \end{aligned}$$

Moment of inertia of Beam D.

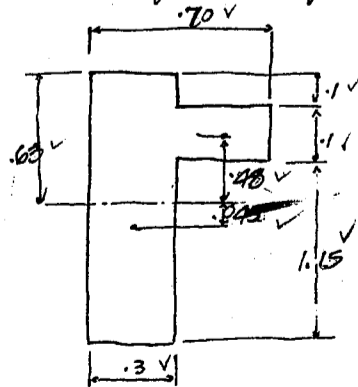


Center of gravity

$$\begin{aligned} .14 \times .9 &= .126 \\ .4 \times .11 &= .044 \\ \hline .17 \end{aligned} \quad \begin{aligned} .05 &= .05 \\ .30 &= .30 \\ \hline .35 \end{aligned} \quad \begin{aligned} .0045 &= .0045 \\ .036 &= .036 \\ \hline .0405 &= .0405 \end{aligned}$$

$$\begin{aligned} \frac{.9 \times .14^3}{12} + .126 \times .14^2 &= .00008 + .00177 = .00185 \\ \frac{.4 \times .11^3}{12} + .044 \times .11^2 &= .0016 + .00145 = .00305 \\ \hline J_D &= .00490 \end{aligned}$$

Moment of inertia of Beam E.



Center of gravity

$$\begin{aligned} .14 \times 1.0 &= .14 \\ .4 \times .11 &= .044 \\ \hline .184 \end{aligned} \quad \begin{aligned} .05 &= .05 \\ .15 &= .15 \\ \hline .20 &= .20 \end{aligned} \quad \begin{aligned} .0045 &= .0045 \\ .006 &= .006 \\ \hline .0105 &= .0105 \end{aligned}$$

$$\begin{aligned} \frac{1.0 \times .14^3}{12} + .14 \times .048^2 &= .00014 + .00082 = .00096 \\ \frac{.4 \times .11^3}{12} + .044 \times .11^2 &= .0016 + .00145 = .00305 \\ \hline J_E &= .00401 \end{aligned}$$

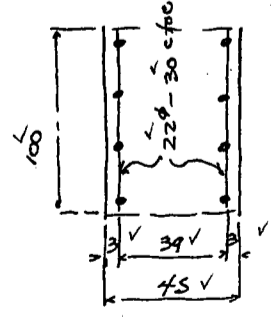
Summary for moment of inertia of beams.

Beam A	$2 \times .01462 = .02924$	$\frac{.01462}{.20867} = .07$
" B	assumed = .02924	" = .07
" C	assumed = .02924	" = .07
" D	= .01879	$\frac{.01879}{.20867} = .091$
" E	= .00490	$\frac{.0049}{.20867} = .024$
" E	= .07145	$\frac{.07144}{.20867} = .338$
	$.1390 \text{ m}^4$	

Moment of inertia of floor = .20867

CALCULATIONS FOR

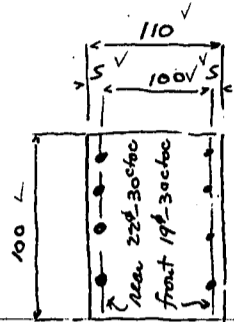
Design of Jusō-ko-Bashi for Osaka prefecture.

<p>Max. moment Earthquake</p>	<p>MB + 55800 ✓ - 57430 ✓</p> <p>Mc - 89450 ✓ + 25070 ✓</p>				
<p>Moment on beam end.</p>	<p>Beam A+C MB + 3900 ✓ - 4020 ✓ Mc - 6260 ✓ + 1750 ✓</p>	<p>Beam B + 5070 ✓ - 5230 ✓ - 8130 ✓ + 2280 ✓</p>	<p>Beam D + 1340 ✓ - 1380 ✓ - 2150 ✓ + 600 ✓</p>	<p>Beam E + 18800 ✓ - 19400 ✓ - 30200 ✓ + 8470 ✓</p>	
<p>Beams A+C.</p>	<p>Moment at end of beams. + 3900[✓] kgm, - 6260[✓] kgm in earthquake moment for these beams design = 10,540[✓] kgm at normal state. Assumed section is ample.</p>				
<p>Beam B.</p>	<p>moment = + 5070[✓], or - 8130[✓] kgm during earthquake. moment for this beam design was. 7700[✓] kgm at normal state Assumed section is ample. 7700[✓] × 1.8 = 13900[✓] kgm ok.</p>				
<p>Beam C.</p>	<p>Same as for Beam A. ✓</p>				
<p>Beam D.</p>	<p>Assumed section is ample. ✓</p>				
<p>Beam E.</p>	<p>moment = + 18800[✓] kgm or - 30200[✓] kgm during earthquake. (at ends of beam) depth of beam at end = 2.0[✓] m effective depth = 195[✓] cm Steel area reqd. at end = $\frac{30200 \times 100}{1200 \times 1.8 \times \frac{2}{3} \times 195} = 8.24$ cm² use 3-19[✓] = 8.50[✓] cm² Steel ratio = $\frac{8.5}{30 \times 195} = .00145$ ✓ K = .183[✓], j = .939[✓] $f_s = \frac{30200 \times 100}{8.5 \times .939 \times 195} = 1940$ kg/cm² < 1200 × 1.8 = 2160[✓] ok $f_c = \frac{1940 \times .183}{1.5(1-.183)} = 290$ kg/cm² ok.</p>				
<p>Parapet wall.</p>	<p>moment + 25070[✓] kgm or - 89450[✓] kgm total width of wall = 7.87[✓] m for roadway + sidewalk moment for one meter strip = + 3190[✓] kgm or - 11370[✓] kgm vert. load on wall for these moments: D.L. abutment floor = + 17050[✓] + 4250 Seismic force floor = + 4250 " " girder = + 6080 Earth pres. + wall = + 9150 " " " = + 9900 + 46430[✓] kg ÷ 7.87 = 5900[✓] kg/meter strip of wall.</p>				
	<p>Eccentricity $e = \frac{-11370}{5900} = 1.93$ m, $\frac{e}{h} = \frac{1.93}{4.5} = .43$ ✓, $d'/h = \frac{3}{4.5} = .67$ ✓ Reinforcement 22# - 30[✓] c/c = 12.7[✓] cm² on both side Steel ratio $\rho = 2\rho = \frac{12.7 \times 2}{100 \times 45} = .00564$ ✓ K = .24[✓], L = .116[✓] $f_c = \frac{11370 \times 100}{.116 \times 100 \times 45} = 484$ kg/cm² < 35 × 1.8 = 63[✓] ok $f_s = 15 \times 48.4 \left(\frac{42}{.24 \times 45} - 1 \right) = 2105$ kg/cm² < 1200 × 1.8 = 2160[✓] ok.</p>				
<p>Top of rear wall, use same reinforcements as parapet wall above calculated.</p>					

CALCULATIONS FOR

Design of Jusō Ko-Bashi for Osaka Prefecture

Design of Front wall.
Section at Bottom



Moment $M_D = +82050 \text{ kgm}$
 $+194970$
Length of front wall under
Stresses per meter strip:
 $M_D = +10440 \text{ kgm}$
 $+24750$

$V_D = +334500 \text{ kg}$ $H_D = +18610 \text{ kg}$ at normal state.
 $+254510$ $+61540$ during earthquake.
Roadway + sidewalk = 7.87m

$V_D = +42500 \text{ kg}$ $H_D = +2360 \text{ kg}$ at normal state
 $+32300$ $+7830$ during earthquake.

Reinforcements, try,

$22\phi - 30 \text{ cm c/c} = 12.70 \text{ cm}^2$ on rear side

$19\phi - 30 \text{ cm c/c} = 9.45 \text{ cm}^2$ on front side.

$p_o = \frac{22.15}{100 \times 110} = .002$ $d'/h = 5/110 = .046$

Stresses at normal state

Eccentricity $e = \frac{10440}{42500} = 0.246$

$e/h = 24.6/110 = .224$

$K = .858$, $L = .099$

$f_c = \frac{10440 \times 100}{.099 \times 100 \times 110^2} = 8.7 \text{ kg/cm}^2$ ok

$f_s = 15 \times 8.7 \times \left(\frac{105}{.858 \times 110} - 1\right) = 15 \text{ kg/cm}^2$ ok

Stresses during earthquake forward.

Eccentricity $e = \frac{24750}{32300} = 0.766$

$e/h = 76.6/110 = .696$

$K = .27$, $L = .0785$

$f_c = \frac{24750 \times 100}{.0785 \times 100 \times 110^2} = 26.1 \text{ kg/cm}^2$ ok

$f_s = 15 \times 26.1 \times \left(\frac{105}{.27 \times 110} - 1\right) = 99 \text{ kg/cm}^2$ ok.

Unit shear = $\frac{7830}{100 \times \frac{7}{8} \times 105} = 9.85 \text{ kg/cm}^2$ ok

Unit bond = $\frac{7830}{3.33 \times 6.91 \times \frac{7}{8} \times 105} = 3.7$ ok.

Design of Rear wall.
Section at Bottom.

$M_A = -277880 \text{ kgm}$, $V_A = +66590 \text{ kg}$, $H_A = +183860 \text{ kg}$ during earthquake
Total length of rear wall = 8.57m

Stresses for one meter strip of wall =

$M_D = -32400 \text{ kgm}$, $V_D = +7780 \text{ kg}$, $H_D = +21400 \text{ kg}$ during earthquake.

Eccentricity $e = \frac{32400}{7780} = 4.17$

$e/h = 4.17/9 = 4.63$, $d'/h = 5/9 = .555$

Steel, try $22\phi - 15 \text{ cm c/c} = 25.4 \text{ cm}^2$ on rear

$22\phi - 30 \text{ cm c/c} = 12.7 \text{ cm}^2$ on front

$p_o = \frac{38.1}{90 \times 100} = .0423$

$K = .22$, $L = .095$

$f_c = \frac{32400 \times 100}{.095 \times 100 \times 90^2} = 38.5 \text{ kg/cm}^2 < 35 \times 1.8 = 63$ ok

$f_s = 15 \times 38.5 \times \left(\frac{85}{.22 \times 90} - 1\right) = 1900 \text{ kg/cm}^2 < 1200 \times 1.8 = 2160$ ok

Unit shear = $\frac{21400}{100 \times \frac{7}{8} \times 85} = 2.88 \text{ kg/cm}^2$ ok

Unit bond = $\frac{21400}{6.91 \times 6.67 \times \frac{7}{8} \times 85} = 6.7$ ok

Deformed Bars.

for top section of rear wall see parapet wall.

CALCULATIONS FOR

Design of Juso-ko-Bashi for Osaka prefecture

Design of Base.

Case 1. Normal State.

$M_A = -98,000 \text{ kgm}$, $V_A = +99,760 \text{ kg}$, $H_A = -75710 \text{ kg}$
 $M_D = +82,050 \text{ v}$, $V_D = +334,500 \text{ v}$, $H_D = +18,610 \text{ v}$

Length of Base for Roadway + sidewalk = 8.82 m

Stresses for one meter of base average.

$M_A = -11,100 \text{ v}$, $V_A = +11,300 \text{ v}$, $e_{cc} = .98 \text{ m}$, $H_A = +8,600 \text{ kg}$
 $M_D = +9,300 \text{ v}$, $V_D = +38,600 \text{ v}$, $e = .245 \text{ v}$, $H_D = +2,110 \text{ v}$

Weight of Base $20,680 \text{ kg/m strip}$ C.G. vert. lev. am. $.64 \text{ v}$, hor. am. 0.06 v See page 157

Earth pressure $6,080 \text{ v}$ " " $.77 \text{ v}$

Earth on rear footing $11,330 \text{ kg}$

Taking moments at center of base.

Loads	Hor. forces	Vert. forces	Lev. arm	Moment
V_A		$11,300 \text{ v}$	1.17 v	$-13,280 \text{ v}$
W_1		$11,330 \text{ v}$	3.05 v	$-34,600 \text{ v}$
V_D		$38,000 \text{ v}$	3.295 v	$125,200 \text{ v}$
B		$20,680 \text{ v}$	$.06 \text{ v}$	$1,200 \text{ v}$
E	$6,080 \text{ v}$		$.77 \text{ v}$	$4,700 \text{ v}$
H_A	$8,600 \text{ v}$		1.60 v	$13,800 \text{ v}$
H_D	$2,110 \text{ v}$		1.60 v	$3,400 \text{ v}$
	$16,790 \text{ kg v}$	$81,310 \text{ v}$	1.24 v	$100,500 \text{ v}$

Resultant force out of middle third neglecting tension, pressure area $\frac{1}{3}(3.6-1.24) = 7.08$
 max. toe pressure = $\frac{81,310 \cdot 2}{1.0 \cdot 7.08} = 22,950 \text{ kg/m}^2$ or (2.1 ton/m^2)

Load for 2 meters wide of toe, be assumed to be transmitted to lower base.

Moment on base beam: $\frac{22,950 + 16,450}{2} \cdot 2 = 39,400 \text{ kg}$

Rear end.

upward press. $5,770 \text{ v}$
 wt. of base $-2,160 \text{ v}$
 roadway fill -480 v
 $3,130 \text{ kg/m}^2$

front end.

$19,370 \text{ v}$
 $-2,160 \text{ v}$
 -480 v
 $16,730 \text{ kg/m}^2$
 $5,120 \text{ v}$
 $13,600 \text{ v}$

Moment.

unif. load. $\frac{3,130 \cdot 4.2^2}{8} = 6,900 \text{ v}$
 triangular. $\frac{13,600 \cdot 4.2^2}{15.6} = 15,380 \text{ v}$
 $22,280 \text{ kgm}$

For continuity of base, moment = $22,280 \cdot 0.8 = 17,800 \text{ kgm}$

moment at

front end

$M_D = +9,300 \text{ v}$
 $-17,800 \text{ v}$
 $-8,500 \text{ kgm}$

rear end.

$M_A = -11,100 \text{ v}$
 $-17,800 \text{ v}$
 $-28,900 \text{ kgm}$

Shear at front end.

$\frac{1}{2} \cdot 3,130 \cdot 4.2 = 6,570 \text{ v}$
 $\frac{3}{2} \cdot 13,600 \cdot 4.2 = 38,100 \text{ v}$
 $44,670 \text{ kg}$

max. pos. moment = $+17,800 + 600 = +18,400 \text{ kgm}$

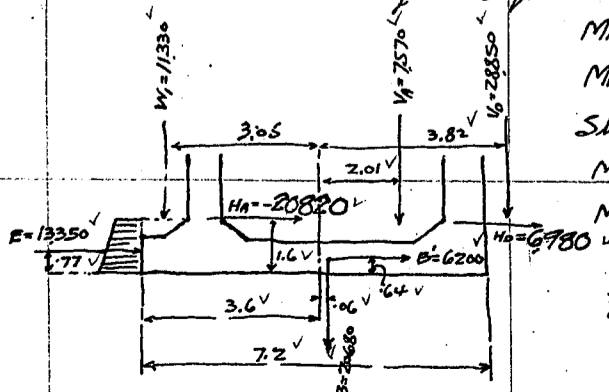
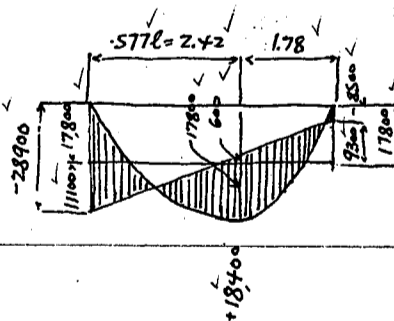
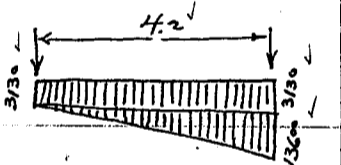
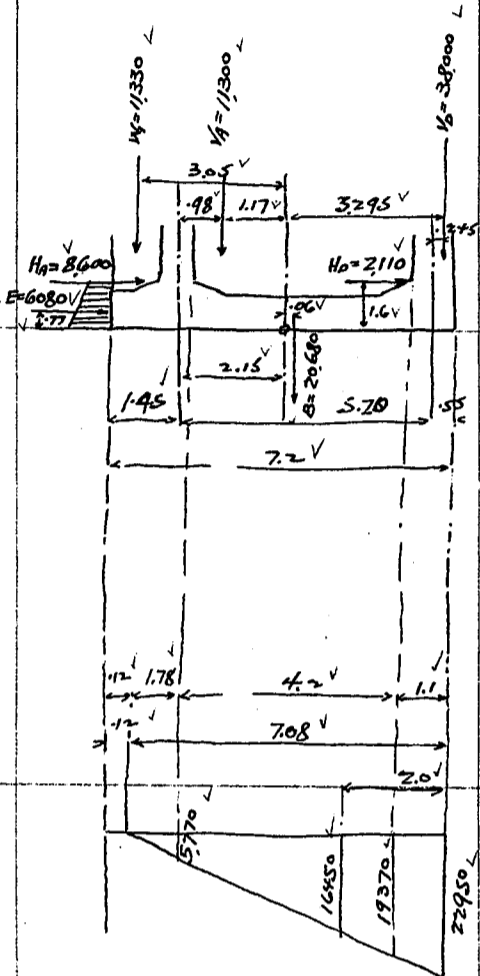
Case 2. During Earthquake (Seismic force forward).

$M_A = -277,880 \text{ v}$, $V_A = +66,570 \text{ v}$, $H_A = -182,860 \text{ v}$
 $M_D = +194,970 \text{ v}$, $V_D = +254,510 \text{ v}$, $H_D = +61,540 \text{ v}$

Stresses for one meter of base, average. (8.82 m long)

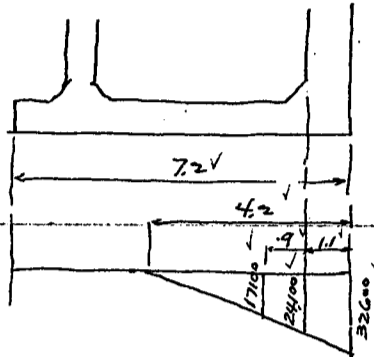
$M_A = -31,500 \text{ kgm}$, $V_A = +7,570 \text{ kg v}$, $e_{cc} = 4.16 \text{ v}$, $H_A = -29,820 \text{ kg}$
 $M_D = +22,100 \text{ v}$, $V_D = +28,850 \text{ v}$, $e = .77 \text{ v}$, $H_D = +6,980 \text{ v}$

Earth pressure. $7100 \cdot 1.6 = 13,350 \text{ kg}$ same as for electric railway frame.



CALCULATIONS FOR

Design of Juso-Ka-Bashi for Osaka prefecture.



Taking moment about center of base.

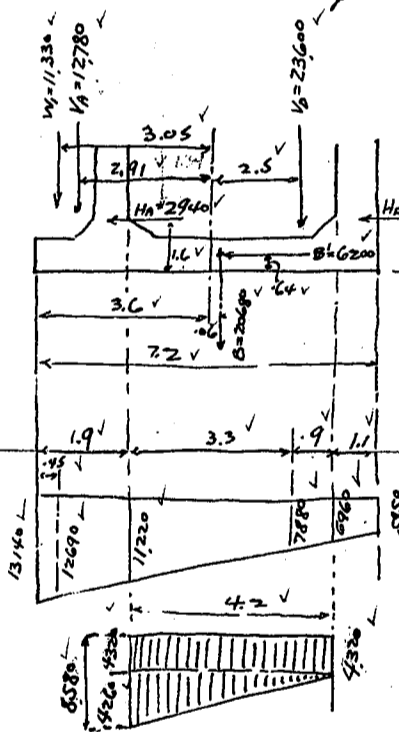
Loads	Horizontal forces	Vertical forces	Lev. arm	Moments
W1		11,330 ✓	3.05 ✓	- 34,600 ✓
VA		7,570 ✓	2.01 ✓	15,200 ✓
VD		28,850 ✓	3.82 ✓	110,200 ✓
B		20,680 ✓	.06 ✓	1,200 ✓
HA	20,820 ✓		1.60 ✓	33,300 ✓
HD	6,980 ✓		1.60 ✓	11,200 ✓
B'	6,200 ✓		.64 ✓	3,960 ✓
E	13,350 ✓		.77 ✓	10,280 ✓
	47,250 kg ✓	68,430 kg ✓	2.20 m ✓	150,740 kg-m ✓

Resultant force outside of middle third. pressure area = $(3.6 - 2.2) \times 3 = 4.2 \text{ m}^2$
 max. toe pressure = $\frac{68,430 \times 2}{1.0 \times 4.2} = 32,600 \text{ kg/m}^2$

Loads for 2 meter width of toe to be transmitted to lower base assumed.
 $\frac{32,600 + 17,100}{2} \times 2 = 49,700 \text{ kg}$

moment + shear for base smaller than for case 1.

Case 3 During Earthquake (seismic force backward.)



$M_A = +8,5270 \text{ kgm}$, $V_A = +112,920 \text{ kg}$, $H_A = +7,5950 \text{ kg}$
 $M_D = -113,980 \text{ kg}$, $V_D = +208,180 \text{ kg}$, $H_D = -62,290 \text{ kg}$

Stresses for one meter strip of base. (8.82m long)

$M_A = +9,670 \text{ kgm}$, $V_A = +12,780 \text{ kg}$, $H_A = +2,940 \text{ kg}$
 $M_D = -12,920 \text{ kg}$, $V_D = +23,600 \text{ kg}$, $H_D = -7,060 \text{ kg}$

Taking moment about center of base.

Loads	Hor. forces	Vert. forces	Lev. arm	moment
W1		11,330 ✓	3.05 ✓	34,600 ✓
VA		12,780 ✓	2.91 ✓	37,200 ✓
VD		23,600 ✓	-2.50 ✓	-59,000 ✓
B		20,680 ✓	-.06 ✓	-1,200 ✓
HA	2,940 ✓		1.60 ✓	4,700 ✓
HD	7,060 ✓		1.60 ✓	11,300 ✓
B'	6,200 ✓		.64 ✓	3,960 ✓
	16,200 ✓	68,390 ✓	.46 m ✓	31,560 ✓

Resultant force within middle third.

max. toe pressure = $\frac{68,390}{1.0 \times 7.2} \left(1 \pm \frac{6 \times 4.6}{7.2}\right) = 13,140 \text{ kg/m}^2$
 5,850

max load on one pile = $12,690 \times .9 \times .9 = 10.3 \text{ kg tons}$

upward pressure	rear end	front end	Shear at rear end
	11,220 ✓	6,960 ✓	$\frac{1}{2} \times 4,320 \times 4.2 = 9,070 \text{ kg}$
wt. of base	-2,160 ✓	-2,160 ✓	$\frac{2}{3} \times 4,260 \times 4.2 = 11,930 \text{ kg}$
wt. of roadway fill	-480 ✓	-480 ✓	21,000 kg
	8,580 ✓	4,320 ✓	
	4,320 ✓	4,320 ✓	
	4,260 ✓		

moment

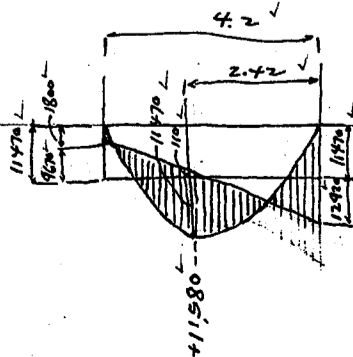
uniform load. $\frac{4,320 \times 4.2}{8} = 9,520 \text{ kgm}$

triangular. $\frac{4,260 \times 4.2^2}{15.6} = 4,820 \text{ kgm}$
 14,340 ✓

for continuity of base moment = $14,340 \times .8 = 11,470 \text{ kgm}$

Rear end	front end
-11,470 ✓	-11,470 ✓
$M_A + 9,670 \text{ kgm}$	$M_D - 12,920 \text{ kgm}$
-1,800 ✓ kgm	-24,390 ✓ kgm

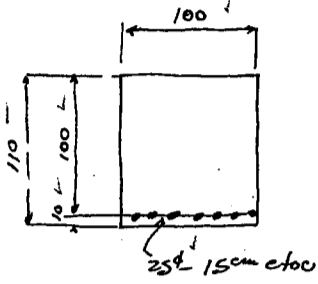
pos. moment = $11,470 + 110 = 11,580 \text{ kgm}$



CALCULATIONS FOR

Design of Juso-ko-bashi for Osaka Prefecture.

Section of Base.



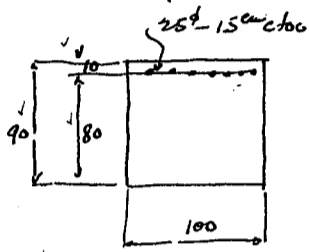
	Moment	Shear	
Front end.	-24,390 $\sqrt{\text{kgm}}$ seismic	44,670 $\sqrt{\text{kg}}$	normal
Rear end.	-28,900 $\sqrt{\text{kgm}}$ normal	21,000 $\sqrt{\text{kg}}$	seismic.
max. pos. m.	+18,400		

Rear End.

Effective depth required = $\sqrt{\frac{28900 \times 100}{100 \times 7.18}} = 63.4 \sqrt{\text{cm}}$

use 100 cm effective depth with 10 cm insulation or total depth of 110 cm including fillet.

Steel area reqd = $\frac{28900 \times 100}{1200 \times 7.18} = 27.5 \sqrt{\text{cm}^2}$ per meter strip.

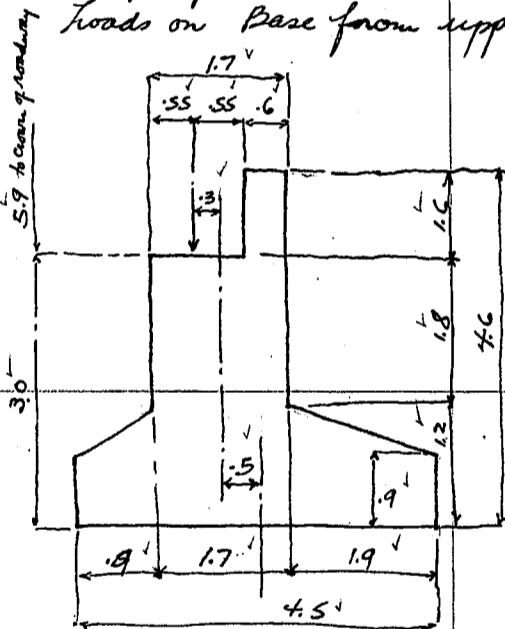


Section at center.

Use same section as for base under electric railway.
For front end & at center of span moments & shears are slightly smaller than for electric railway frame base, use the same details.
see page A39

Design of Tower Base under tower for Roadway and Sidewalk.

Loads on Base from upper frame.



Case	normal	seismic	
Case 1	normal		
Case 2		seismic	
Case 3			

	vert. load.	hor. load ($\frac{1}{2} \Sigma H$)
Case 1	39,400 $\sqrt{\text{kg}}$	8,400 $\sqrt{\text{kg}}$
Case 2	49,700 $\sqrt{\text{kg}}$	23,680 $\sqrt{\text{kg}}$
Case 3	13,730 $\sqrt{\text{kg}}$	8,100 $\sqrt{\text{kg}}$

weight of base

1.9 x 1.05 = 1.995	1.995 x 1.986 = 3.96	.53 x 1.057 = .56
1.2 x 1.7 = 2.04	2.04 x 5.61 = 11.44	.60 x 1.225 = .735
.9 x 1.05 = .945	.945 x 3.81 = 3.60	.53 x 2.50 = 1.325
4.98	2.30 = 11.406	.56 = 2.78

wt. = 4.98 x 2400 = 12000 $\sqrt{\text{kg}}$ base.
Shaft. 4.02 x 2400 = 9660 $\sqrt{\text{kg}}$ shaft.
21,660 $\sqrt{\text{kg}}$

Stresses on Shaft.

Case 1. at normal state.

Taking moment about center of bottom area.

Loads	Hor. forces	Vert. forces	Lev. arm	moments.
V.		39,400 x .3 = 11,820		-11,820
S		9,600 x 0 = 0		0
H	8,400		1.8	15,120
E	6,530		.86	5,620
	14,930	49,000	.18	8,920

whole section compression.

Use 19# bars at 30 cm ctoc on both sides.

Case 2. During earthquake. (forward)

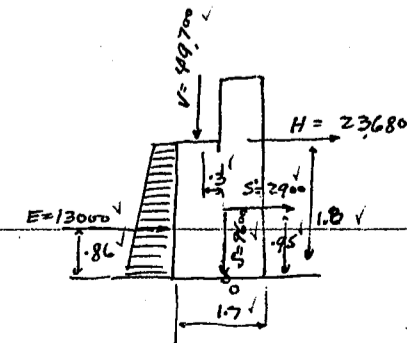
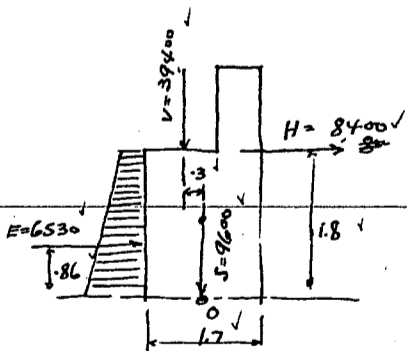
V	49,700	-1.3	-64,610
S	9,600	0	0
H	23,680	1.8	42,624
E	12,000	.86	10,320
S'	2,900	.95	2,755
	39,580	59,300	41,700

$\frac{e}{h} = \frac{70}{170} = .41$, $\frac{d'}{h} = \frac{57}{170} = .33$

$P_0 = .0011$

$K = .40$

$L = .0825$



CALCULATIONS FOR

Design of Juso-ko-Bashi for Osaka prefecture

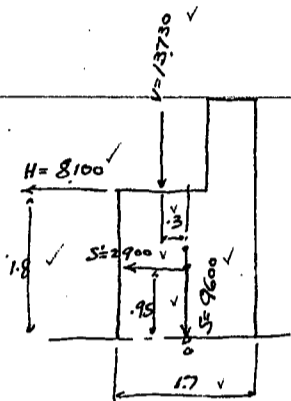
$$f_c = \frac{41700 \cdot 100}{.0825 \cdot 100 \cdot 170^2} = 17.5 \text{ kg/cm}^2 \text{ ok}$$

$$f_s = 15 \cdot 17.5 \left(\frac{165}{.4 \cdot 170} - 1 \right) = 372 \text{ kg/cm}^2 \text{ ok}$$

$$\text{unit shear} = \frac{39580}{100 \cdot \frac{7}{8} \cdot 165} = 2.7 \text{ kg/cm}^2 \text{ ok}$$

$$\text{unit bond} = \frac{39560}{5.97 \cdot 333 \cdot \frac{7}{8} \cdot 165} = 13.8 \text{ kg/cm}^2 < 19.18 \text{ ok}$$

Case 3 During earthquake (backward.)



Taking moment about center of base.

loads	Hor forces	Vert forces	Lev arm	moment
V		13730	$\times +.3$	4120
S		9600	$\times .0$	0
S'	2900		$\times +.95$	2750
H	8100		$\times +1.8$	14600
	11000 kg	23330 kg	$\times .92$	21470 kgm

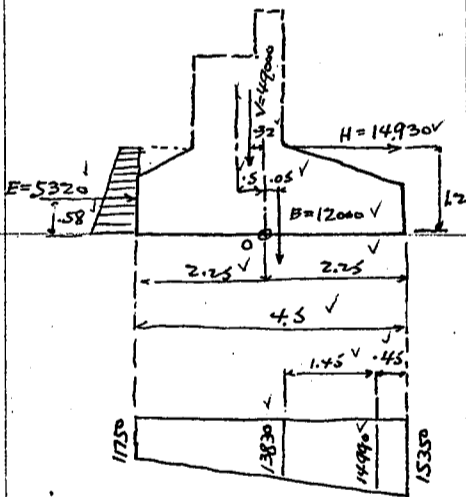
$\frac{e}{h} = \frac{92}{170} = .54, \quad d'/h = .03, \quad p_o = .0011$
 $K = .28, \quad L = .07$

$$f_c = \frac{21470 \cdot 100}{.071 \cdot 100 \cdot 170^2} = 10.5 \text{ kg/cm}^2 \text{ ok}$$

$$f_s = 15 \cdot 10.5 \left(\frac{165}{.28 \cdot 170} - 1 \right) = 390 \text{ kg/cm}^2 \text{ ok}$$

Stability of Base at Bottom section.

Case 1. At normal state. $V = 49000 \text{ kg}$ with $.18 \text{ m}$ right.
 $H = 14930$ at top of shaft base
 $E = \text{same as before} = 5320 \text{ kg}$

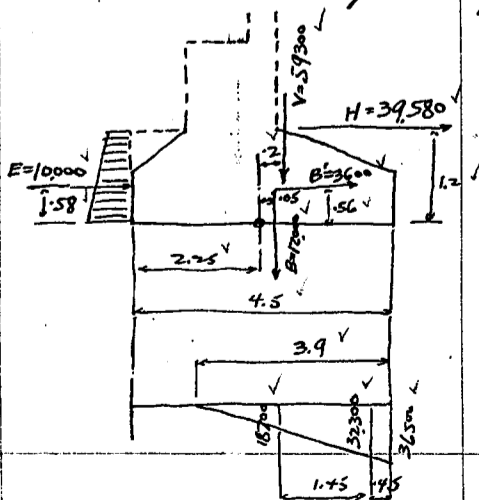


Taking moment about center of base O.

loads	Hor forces	Vert forces	Lev arm	moment
V		49000	$\times -.32$	-15700
H	14930		$\times 1.2$	17930
B		12000	$\times .05$	600
E	5320		$\times .58$	3090
	20250 kg	61000 kg	$\times .10$	5920

Resultant force within middle third.
 max. toe pressure = $\frac{61000}{100 \cdot 4.5} \left(1 \pm \frac{6 \cdot 1}{4.5} \right) = \frac{15350}{18000} \text{ kg/m}^2 \text{ (1.48 tons/m}^2\text{)}$
 $\approx 11,750 \text{ (1.08)}$
 max. load on one pile = $14990 \cdot 9 \cdot 9 = 12.1 \text{ kg tons}$

Case 2. During Earthquake (forward)



$V = 59300 \text{ kg}$ with $.70 \text{ m}$ eccentricity
 $H = 39580$ at top of base.
 $E = \text{same as before} = 10000 \text{ kg}$

V		59300	$\times .2$	11860
H	39580		$\times 1.2$	47500
B		12000	$\times .05$	600
B'	3600		$\times .56$	2020
E	10000		$\times .58$	5800
	53180 kg	71300 kg	$\times .95$	67780 kgm

Resultant force outside of middle third. pressure area = $3(2.25 - .95) = 3.9$
 max. toe pressure = $\frac{71300 \cdot 2}{10 \cdot 3.9} = 36500 \text{ kg/m}^2 \text{ (} \approx 3.3 \text{ tons/m}^2\text{)}$
 max. load on one pile = $32300 \cdot 9 \cdot 9 = 26.2 \text{ kg tons}$

CALCULATIONS FOR

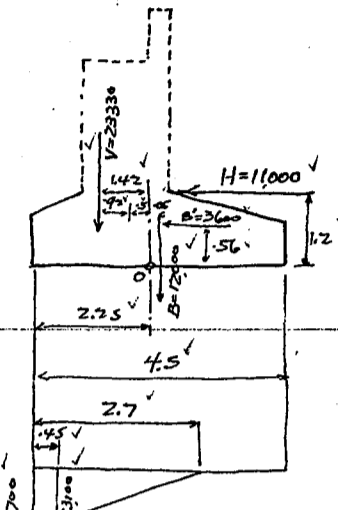
Design of Juso-ko-Bashi for Osaka Prefecture.

Case 3. During Earthquake (Backward)

$V = 23330 \text{ kg}$ with 0.92 eccentricity, left.
 $H = 11000$ on top of base.

Taking moment about center of base O .

Loads	Hor. forces	Vert. forces	Lev. arm	Moment
V		23330	1.42	33100
H	11000		1.21	13200
B		12000	-0.5	-600
B'	3600		0.56	2020
	14600	35330	1.35	47720



Resultant force outside of middle third. pressure area $3(2.25-1.35) = 2.7$
max. pressure at heel = $\frac{35330 \times 2}{4.5 \times 1.0} = 15700 \text{ kg/m}^2$ (1.44 tons/m²)

Max. load on one pile at heel = $13100 \times 0.9 \times 0.9 = 10.6 \text{ kg/ano}$

Cantilever footing. Use same details as for Base under electric Railway frame.

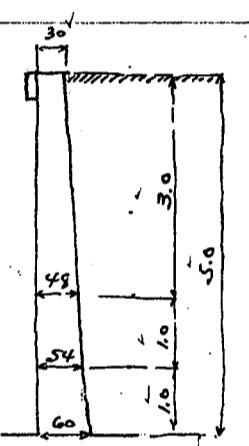
Design of wing wall.

Earth pressure at normal state

$$\frac{1600 \times 5.0^2}{6} = 6670 \text{ kg} \times \frac{5.0}{3} = 11100 \text{ kgm per meter strip}$$

Earth pressure during earthquake

$$\frac{662 \times 1600 \times 5.0^2}{2} = 13250 \text{ kg} \times \frac{5.0}{3} = 22100 \text{ kgm per meter strip}$$



Latter controls the section.

$$\text{effective depth reqd} = \sqrt{\frac{22100 \times 100}{100 \times 1.8 \times 7.18}} = 41.4 \text{ cm}$$

Use 55 cm effective depth with 5 cm inactivation, total depth 60 cm .

$$\text{steel area reqd at bottom} = \frac{22100 \times 100}{1200 \times 1.8 \times \frac{7}{8} \times 55} = 213 \text{ cm}^2$$

$$\text{Use } 22\# \text{ bars} - 15 \text{ cm ctoe} = 25.4 \text{ cm}^2$$

At 4.0 m from top

Earth pressure at normal state

$$\frac{1600 \times 4.0^2}{6} = 4270 \text{ kg} \times \frac{4.0}{3} = 5690 \text{ kgm}$$

Earth pressure during earthquake

$$\frac{662 \times 1600 \times 4.0^2}{2} = 8480 \text{ kg} \times \frac{4.0}{3} = 11300 \text{ kgm}$$

Latter controls

$$\text{Effective depth} = 49 \text{ cm}$$

$$\text{Steel area reqd} = \frac{11300 \times 100}{1200 \times 1.8 \times \frac{7}{8} \times 49} = 12.2 \text{ cm}^2$$

$$\text{Use } 22\# \text{ bars} - 30 \text{ cm ctoe} = 12.67 \text{ cm}^2$$

At 3.0 m from top

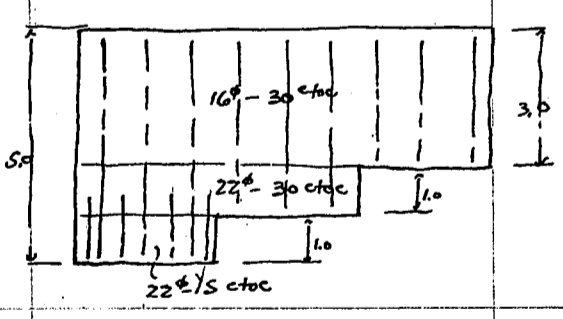
Earth pressure during earthquake

$$\frac{662 \times 1600 \times 3.0^2}{2} = 4770 \text{ kg} \times \frac{3.0}{3} = 4770 \text{ kgm}$$

$$\text{Effective depth} = 43 \text{ cm}$$

$$\text{Steel area reqd} = \frac{4770 \times 100}{1200 \times 1.8 \times \frac{7}{8} \times 43} = 5.9 \text{ cm}^2$$

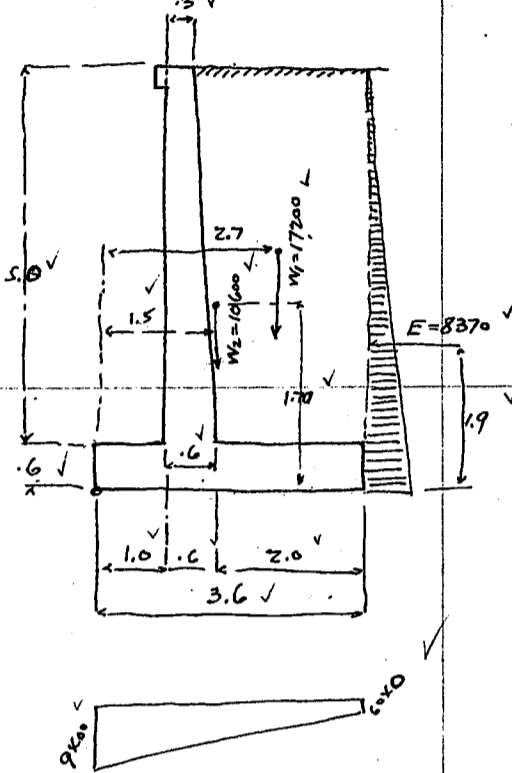
$$\text{Use } 16\# - 30 \text{ cm ctoe} = 6.7 \text{ cm}^2$$



CALCULATIONS FOR

Design of Juso-ko-Bashi for Osaka Prefecture.

Stability of Retaining wall 5.6m high. Case 1. at normal state



weight of wall.	hor. arm	vert. arm
wall $.45 \times 5.6 = 2.52 \checkmark$	$1.23 = 2.77 \checkmark$	$2.05 = 6.86 \checkmark$
base $.6 \times 3.6 = 2.16 \checkmark$	$1.8 = 3.89 \checkmark$	$.30 = .65 \checkmark$
$4.41 \checkmark$	$1.5 = 6.66 \checkmark$	$1.70 = 7.51 \checkmark$

earth fill on rear footing.
 $2.15 \times 5.6 = 10.75 \checkmark \times 1600 = 17200 \text{ kg} = W_1$

wt. of wall $4.41 \checkmark \times 2400 = 10600 \text{ kg} = W_2$

earth pressure at normal state.
 $\frac{1600 \times 5.6^2}{6} = 8370 \text{ kg}$

Taking moment about toe.

Loads	Hor. force	Vert. force	hor. arm	moment
W_1		$17200 \checkmark$	$2.7 \checkmark$	$-46400 \checkmark$
W_2		$10600 \checkmark$	$1.5 \checkmark$	$-15900 \checkmark$
E	$8370 \checkmark$		$1.9 \checkmark$	$15900 \checkmark$
	8370 kg	27800 kg	$1.67 \checkmark$	$-46400 \checkmark$

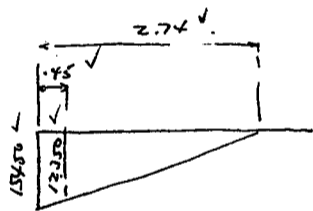
eccentricity $e = 1.8 - 1.67 = .13 \text{ m}$ left.

max. toe pressure = $\frac{27800}{1.0 \times 3.6} \left(1 \pm \frac{.13}{3.6}\right) = 9400 \text{ kg/m}^2$

max. load on one pile = $9400 \times .9 \times .9 = 7.6 \text{ tons}$.

Case 2. Stability during earthquake. (forward).

earth pressure = $\frac{.662 \times 1600 \times 5.6^2}{2} = 16600 \text{ kg}$.



W_1	$17200 \checkmark$	$2.7 \checkmark$	$-46400 \checkmark$
W_2	$10600 \checkmark$	$1.5 \checkmark$	$-15900 \checkmark$
W_2'	$3180 \checkmark$	$1.70 \checkmark$	$5400 \checkmark$
E	$16600 \checkmark$	$1.9 \checkmark$	$31500 \checkmark$
	19780 kg	27800 kg	$-914 \checkmark$
			$-25400 \checkmark$

ecc. = $1.8 - .914 = .886 \checkmark$

Resultant force outside of middle third. pressure area = $.914 \times 3 = 2.74 \checkmark$

max. toe pressure = $\frac{27800 \times 2}{1.0 \times 3.6} = 15450 \text{ kg/m}^2$

max. load on one pile = $12350 \times .9 \times .9 = 10.0 \text{ kg tons}$.

Case 3. Stability during earthquake (backward)

moment about toe.

W_1	$17200 \checkmark$	$2.7 \checkmark$	$-46400 \checkmark$
W_2	$10600 \checkmark$	$1.5 \checkmark$	$-15900 \checkmark$
W_2'	$3180 \checkmark$	$1.7 \checkmark$	$5400 \checkmark$
	3180 kg	27800 kg	$-273 \checkmark$
			$-67700 \checkmark$

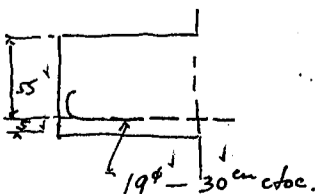
eccentricity $e = 2.43 - 1.8 = .63 \text{ right}$.

Resultant outside of middle third. pressure area $(1.8 - .63) \times 3 = 3.51 \checkmark$

max. pressure at heel = $\frac{27800 \times 2}{1.0 \times 3.51} = 15850 \text{ kg/m}^2$

max. load on one pile at heel = $13800 \times .9 \times .9 = 11.2 \text{ kg tons}$.

- Cantilever footing at toe -



upward pressure. 9400 kg/m^2
downward = $2400 \times .6 = 1440 \text{ kg}$

moment = $\frac{7960 \times 1^2}{2} = 3980 \text{ kgm}$

Steel reqd = $\frac{3980 \times 100}{1200 \times \frac{7}{8} \times .55} = 690 \text{ cm}^2$

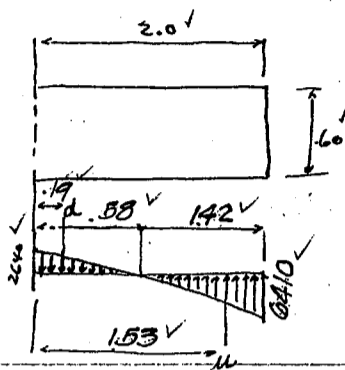
use 19# bars at 30 cm c/c = 9.7 cm^2

unit shear = $\frac{7960}{100 \times \frac{7}{8} \times .55} = 1.7 \text{ kg/cm}^2$ ok

unit bond = $\frac{7960}{3.33 \times .97 \times \frac{7}{8} \times .55} = 8.3 \text{ kg/cm}^2$ ok

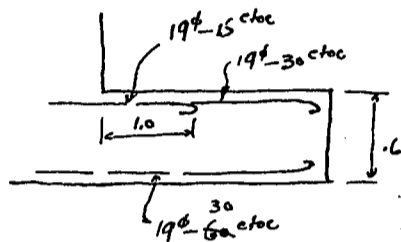
CALCULATIONS FOR

Design of Juss-ko-Bashi for Osaka prefecture.
Cantilever footing at heel.



case 3.
upward force 15850^v during earthquake.
downward force conc. -1440^v
earth fill 1600 x 5 = 8000^v
 $\frac{6410 \sqrt{19}}{m^2}$ at heel.
 $w = \frac{6410}{2} \times 1.42 = \frac{4550}{2} \text{ kg} \times 1.53 = 6960^v$
 $d = \frac{2640}{2} \times 58 = 765 \text{ kg} \times 1.19 = \frac{-145}{0.815} \text{ kgm}$

6800^v
-1440^v
-8000^v
-2640^v $\frac{19}{m^2}$ at fixture



for case 2.
downward force earth 8000^v
concrete 1440^v
 $\frac{9440 \sqrt{19}}{m^2}$
upward force very small and neglected.
moment = $\frac{9440 \times 2.0^2}{2} = -18880 \text{ kgm}$

effective depth required = $\sqrt{\frac{18880 \times 100}{100 \times 1.8 \times 7.18}} = 38.2 \text{ cm}$

use 55 cm effective depth with 5 cm insulation

Steel reqd = $\frac{18880 \times 100}{1200 \times 1.8 \times \frac{7}{8} \times 55} = 18.2 \text{ cm}^2$

use 19# bars at 15 cm c/c = 18.9 cm².

unit shear = $\frac{9440}{100 \times \frac{7}{8} \times 55} = 1.96 \text{ kg/cm}^2 \text{ etc}$

unit bond = $\frac{9440}{5.97 \times 6.67 \times \frac{7}{8} \times 55} = 4.9 \text{ etc}$

Footing for 4.6 meter wall.

use same width + depth as above.
Cantilever footing at toe same as for 5.6 m wall.
Rear footing. approx calculation.

downward force earth fill 1600 x 4.0 = 6400^v kg
concrete 1440^v
 $\frac{7840 \sqrt{19}}{m^2}$

moment = $\frac{7840 \times 2^2}{2} = 15680 \text{ kgm}$

Steel reqd = $\frac{15680 \times 100}{1200 \times 1.8 \times \frac{7}{8} \times 55} = 15.05 \text{ cm}^2$

use 19# bars at 15 cm c/c = 18.9 cm².

CALCULATIONS FOR

Design of Jūso Boshū for Osaka Pupeture.

Design of Piers no 7-8-9-10

Superimposed load

Dead Load Cfloor load complete 14300 kg per lin. meter.

approximate weight of structural steel.

stringers	1552	65.4	=	101,400
intermediate floor beams	13 @	8590	=	111,600
End floor beams	2 @	4200	=	8,400
Lower lateral bracing complete			=	29,500
Top lateral sway and portals complete			=	65,000
2 trusses assumed	2 @	215,700	=	431,400

shoes complete 13,000

misc. steel work 1,500

761,800 kg.

structural steel in one shoe $761,800 \div 4 = 190,500$ kg.

Cfloor load $14,300 \cdot \frac{65.4}{4} = 234,000$

424,500 kg.

Live Load.	On sidewalk.	428	275	=	1180
	On roadway	513	4355	=	2230

3410

Electric car loading 5 cars @ 28,000 = 140,000

$140,000 \div 64 = 2190$

Impact $\frac{20}{60+64} = 16.1\%$ = 352

2542

5950

Extra loading for motor truck assumed

550

Live Load on shoe $6500 \cdot \frac{65.4}{2} = 213,000$ kg. 6500 kg. per lin. meter.

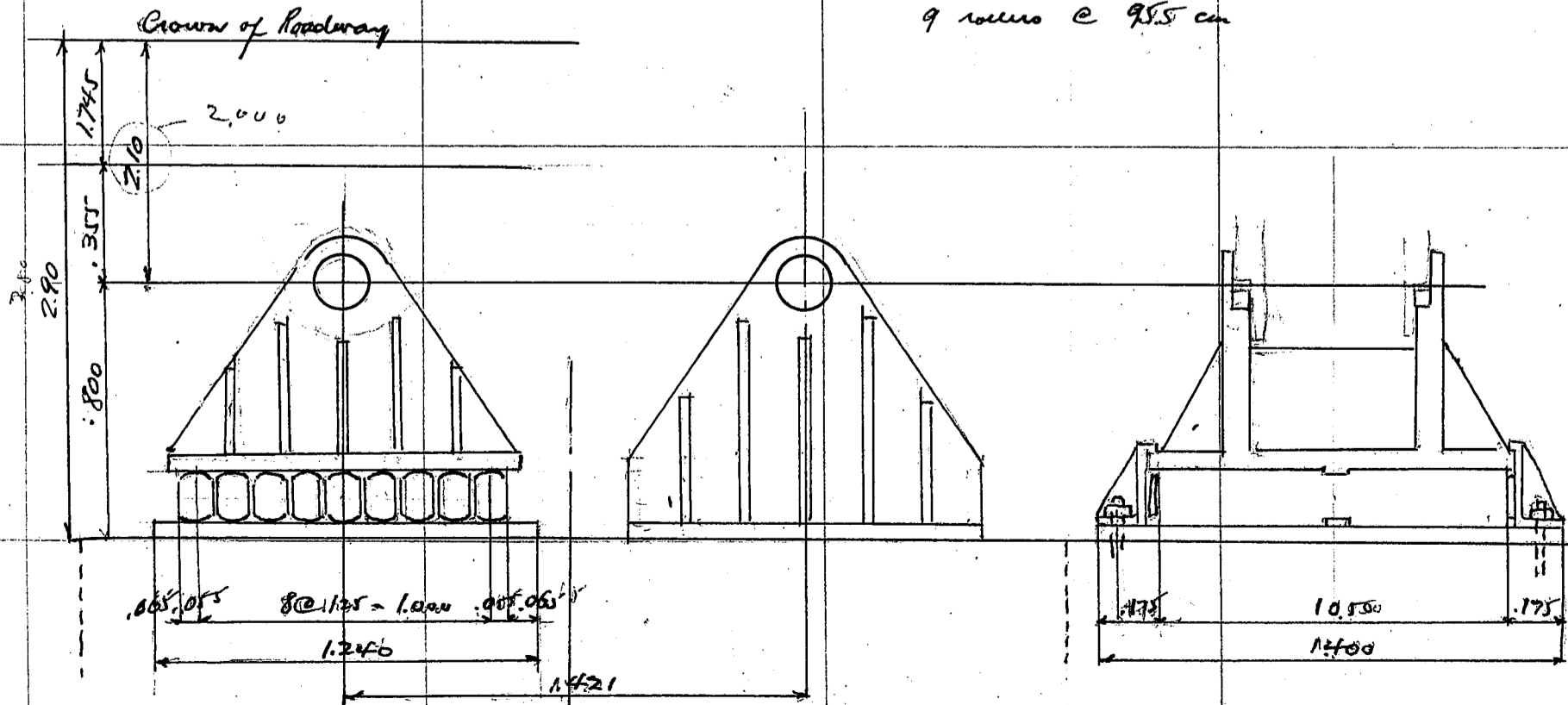
Summary load on one shoe	Dead Load	424,500
	Live Load	<u>213,000</u>
		<u>637,500</u> kg.

Length of roller $6\frac{1}{2}'' = 165$ cm roller
 $637,500 \div 742 = 860$ cm

$45d = 45 \cdot 165 = 742$ kg per cm

10 rollers @ 86 cm

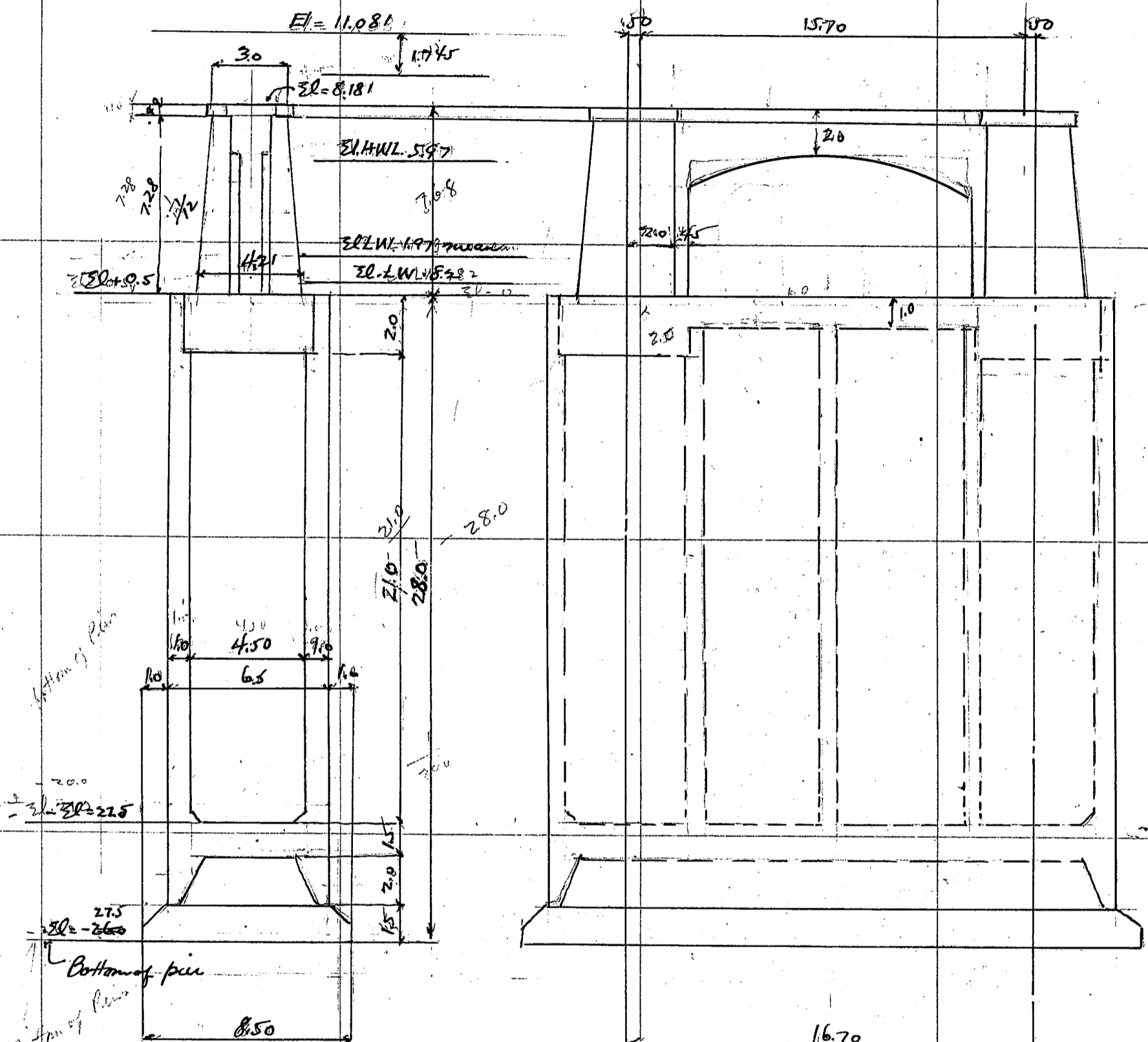
9 rollers @ 95.5 cm



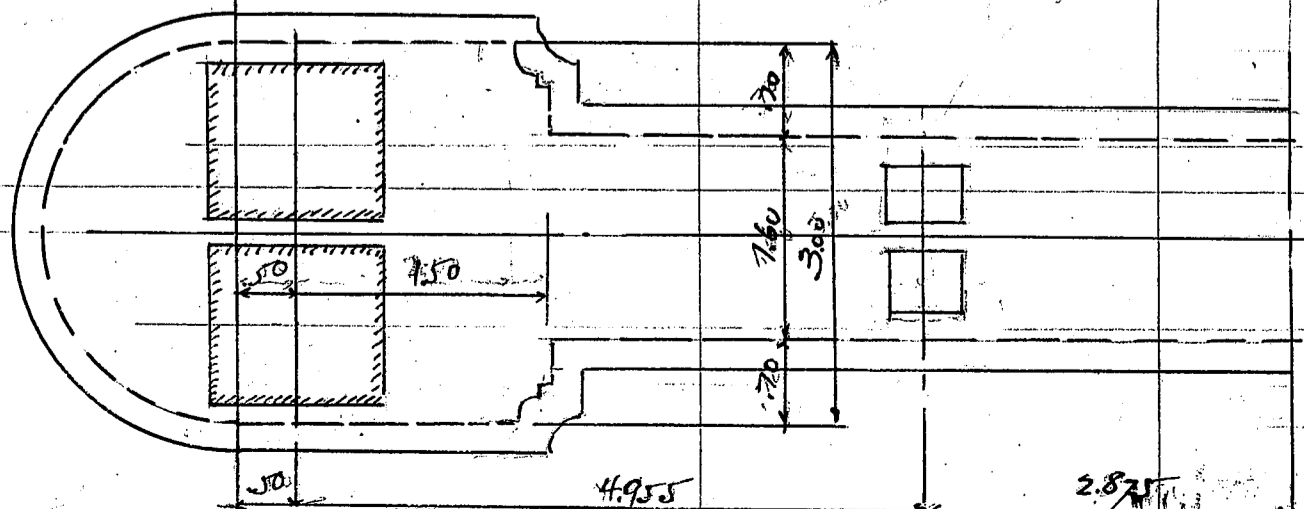
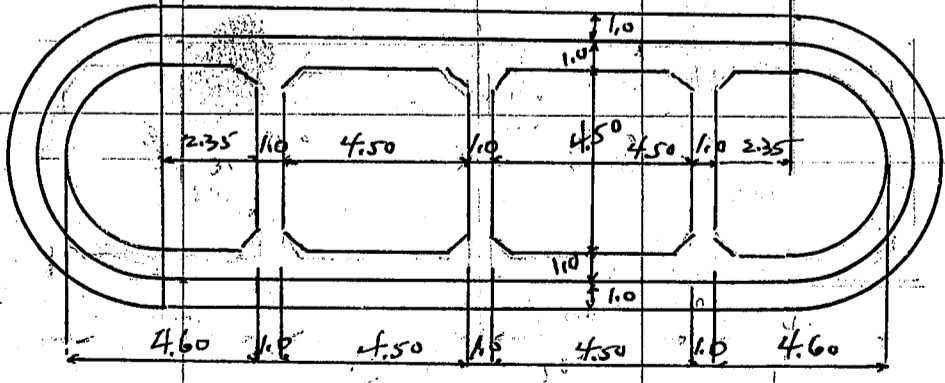
CALCULATIONS FOR

Design of Juiso Basin for Osaka Prefecture.

Superimposed load on pier. $653,500 \times 4 = 2,614,000 \text{ kg}$.



$\frac{1}{200}$ scale



$\frac{1}{60}$ scale

CALCULATIONS FOR

Design of Jūso-Bashi for Osaka Prefecture.

<p>Volume of Concrete in Pier. Coping. $\frac{1}{2} \cdot 3.4^2 = 4.54$ $3.4 \cdot 2.4 = 8.15$ $2.0 \cdot 12.69 \cdot 2 \cdot .40 = 10.1$ Between shafts $2 \cdot 11.9 \cdot 0.4 \text{ say} = 11.4$ Shaft $\frac{1}{2} \cdot 3.0^2 = 3.53$ $3.0 \cdot 2 = 6.00$ <u>9.53</u> 15.38</p>	<p>$21.5 \text{ cubic meters}$ $\frac{1}{2} \cdot 4.2^2 = 6.96$ $4.2 \cdot 2 = 8.42$ <u>15.38</u></p>		
<p>Strut between shafts $1.6 \cdot 2.0 \text{ alt} \cdot 11.8 = 37.7$ Col. $2 \cdot .75 \cdot 1.6 \cdot 7.28 = 10.5$ Web. $11.8 \cdot 1.6 \cdot 5.28 = 62.3$ Coping 21.5 2 shafts 181.2 strut + web <u>110.5</u> 313.2 @ 2400 = 751,000 kg.</p>	<p>$24.91 \div 2 = 12.46 \cdot 7.28 = 90.60 \text{ cubic meters}$ For 2 shafts $2 @ 90.6 = 181.2 \text{ cubic meters}$</p>		
<p>Concrete Caisson Space between partition walls. at middle $4.5 \cdot 4.5 = 20.25$ $2 \cdot 60 \cdot 60 = .72$ $19.53 \cdot 2 = 39.06 \text{ sq meters}$ <u>36.38</u> 75.44</p>	<p>Outside area = $6.5^2 = 33.2$ $6.5 \cdot 16.70 = 108.5$ 141.7</p>	<p>both ends. $4.5^2 = 15.90$ $2 \cdot 2.35 \cdot 4.5 = 21.20$ 37.10 <u>36.38</u></p>	<p>Area of cross section of caisson 141.70 <u>75.44</u> 66.26 sq meters</p>
<p>Volume of Concrete in top slab. $141.7 \cdot 2.0 = 283.4$ <u>39.06</u> 244.34 cubic meters</p>	<p>Summary of Concrete Top slabs $2 \cdot 141.7 - 39.06 = 244.34$ @ 2400 = 587,000 well shell $66.26 \cdot 21.0 = 1392.00$ @ 2400 = 3340,000 bottom fill + shell $141.7 \cdot 3.5 = 495.00$ @ 2200 = 1090,000 base say $198.75 \cdot 1.5 = 298.00$ @ 2200 = 655,000 2329.34 cubic meters</p>	<p>$587,000$ $3,340,000$ $1,090,000$ <u>655,000</u> 5,672,000 kg. 5,672,000</p>	<p>Volume of filling both ends $36.38 \cdot 21.0 = 763$ sand fill @ 1900 = 763,000 middle $39.06 \cdot 22.0 = 860$ water fill @ 1000 = 860,000 <u>1,623,000</u> 1,623,000</p>
<p>Total load of pier. shaft and coping Caisson filling say</p>	<p>751,000 5,672,000 <u>1,623,000</u> 8,046,000 kg.</p>	<p>Superimposed dead and live loads $637,500 \cdot 4 = 2,550,000$ 10,596,000 kg.</p>	<p>Bottom area = 198.75 Ult. Pressure = $\frac{10,596,000}{198.75} = 53,300 \text{ kg/m}^2$ 4.95 tons/ft²</p>

CALCULATIONS FOR

Design of Jūso-Bashi for Osaka Prefecture

Assuming skin friction 250 #/ft on say 1400 kg per sq meter and the depth of caisson below firm ground assumed 24.5 meters

circumference	6.54 = 20.4	
	2.16.7 = 33.4	
	53.8 · 1400 · 24.5 = 1845000 kg	
Total load	10596000	
	- 1845000	
	8751000 ÷ 198.75 = 44000 kg/m ²	4.09 tons/ft

Assuming skin friction 350 #/ft on say 1710 kg/m²

Total load	10596000
friction	53.8 · 1710 · 24.5 = 2256000
	8341000 ÷ 198.75 = 42000 kg/m ²
	3.90 tons/ft

Stability of pier during Earthquake

Horizontal force k=0.30

Superimposed dead load 424500 · 4 = 1700.000 kg.

Centers of gravity for shafts &c

Top slab of well

	vol	arm from top			
Coping	2.150	0.20	= 430	283.4	· 1.0 = 283.4
2 shafts	181.20	3.50 ft	= 634.00	- 39.06	· 1.5 = - 58.5
Strut & web	110.20		371.80	244.34	· 0.92 = 224.9
	313.20	3.23 m	1010.10		

			Hor. Force	arm	moment
Dead load superstructure	1700.000	· 0.3 =	510.000	36.48	= 18600.000
shaft and coping	751.000		225.300	32.45	= 7300.000
top slab	587.000		176.100	27.08	= 4940.000
well shell and partition	3340.000		1002.000	15.50	= 15550.000
bottom	1090.000		327.000	3.28	= 1062.000
base	655.000		196.500	0.75	= 147.000
water fills sides	763.000		228.900	15.50	= 3545.000
" " center section	860.000		258.000	16.00	= 4125.000
	9746.000		2923800		55269000

Moment due to Hor. Reaction 2923800 · $\frac{2}{3}$ · 24.5 = 47700.000

max intensity $\frac{2923800 \cdot 2}{24.5} = 23900$ kg

for whole width of well

Counting $\frac{1}{2}$ skin friction effective for resistance of overturning

Load on base 9746.000

Skin friction $\frac{2256000}{2} = 1127500$

8618500 kg.

Resisting couple 16.70 · 3.25 = 54.2

10.21 · 2.07 = 21.2

26.91 · 2.8 = 75.4

arm 2.8 · 2 = 5.4 meters

Reaction due to Hor. force assumed thus

Resisting Couple $\frac{11275.000}{2} \cdot 5.4 = 3040.000$ kgm

net moment = 7.829.000 - 3040.000 = 4529.000 kgm

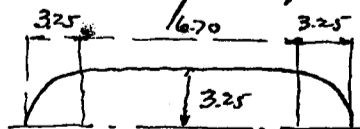
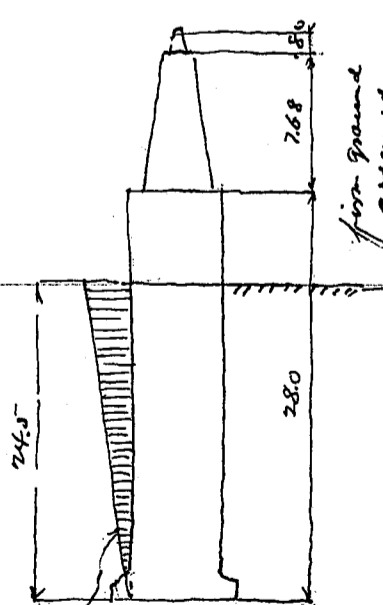
Ecc = 4529.000 ÷ 8618500 = 0.525 meters

Bottom area of base

8.5 φ 56.75

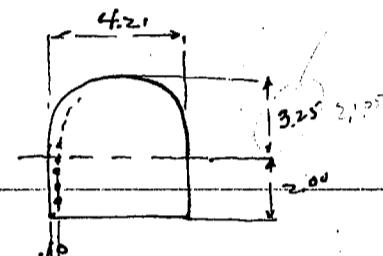
8.5 · 16.70 = 142.00

198.75 sq meters



CALCULATIONS FOR

Design of Jiūso-Bashi for Osaka Prefecture.

moment of inertia of base area	8.5 ⁴	0.0491 × 8.5 ⁴ = 256.0	
	$\frac{1}{2} \cdot 16.70 \cdot 8.5^3$	= 854.0	
			1110.0 m ⁴
limit bearing direct pressure =	$\frac{8618500}{198.75}$	= 43500 kg/m ²	
bearing due to bending moment	4529,000	× $\frac{4.25}{1110}$	= ±17300 kg/m ²
Summary for bearing	direct load	43500	43500
	bending	17300	-17300
		60800	24400
		5.65 tons/0'	2.27 tons/0'
Reinforcement in the shaft during Earth quake.	Dead load superstructure	1700,000 ÷ 2 = 850,000	No. force arm
	shaft with strut web neglected	301,000	= 255000 × 8.48 = 2,160,000
		1151,000	= 90300 × 4.90 ^{att} = 443,000
			For one shaft. 2603,000
	moment of inertia of bottom section.	Circular End	I = 0.0491 × 4.21 ⁴ = 7.70
	Equivalent square	b = $\frac{7.70 \times 12}{4.21^3}$	= 1.24 meters
			2.00
		Total width	3.24 meters.
assumed reinforcing bar	25 ^ϕ bars	2 × 30 × 4.91 = 294.5 cm	$\frac{294.5}{136000} = .216\%$
	Area of Concrete	3.24 × 4.21 = 136000 cm ²	
Value of k = 0.342	Coef = 0.0882	stress in concrete	f _c = $\frac{2603000000}{3.24 \times 4.21^2 \times 0.0882} = 51.5 \text{ kg/cm}^2$
		Steel stress	f _s = 15 × 51.5 $(\frac{4.11}{4.21 \times 0.342} - 1) = 1440 \text{ kg/cm}^2$
Bending moment of well. section AA	Dead load superstructure	1700,000 × 0.3 = 510,000	No. force arm
	shaft +	751,000	= 510,000 × 11.98 = 6,100,000
	Top slab	587,000	= 225,300 × 7.95 = 1,790,000
	shell and partition	238,000	= 176,100 × 2.58 = 455,000
	filling	54,500	= 71,400 × 0.75 = 53,500
		92,700	= 16,000 × 0.75 = 12,000
		342,320	= 27,800 × 1.25 = 35,000
			8,927,000
Bending moment section BB.	Dead load superstructure	1700,000 × 0.3 = 510,000	No. force arm
	Shaft	751,000	= 510,000 × 18.48 = 9,410,000
	Top Slab.	587,000	= 225,300 × 14.45 = 3,250,000
	well shell	159,000 × 8 = 1,272,000	= 176,100 × 9.08 = 1,600,000
	filling	36,380 × 8 = 291,000	= 382,000 × 4.00 = 1,530,000
		352,000	= 87,300 × 4.00 = 350,000
		4,310,000	= 105,500 × 4.50 = 475,000
		643,000	16,615,000
	Horizontal reaction	239,000 × $\frac{18.0}{24.5}$	= 176,500
			5,300
	moment about BB	176,500 × 6.5 + 3,250	= 3,720,000
		$5,300 \times \frac{6.5^2}{3}$	= 745,000
			4,465,000
	Skin friction	1710 × 538 × 6.5 = 598,000	
	assuming 1/2 friction as effective	$\frac{598,000}{2} = 299,000$	kg

CALCULATIONS FOR

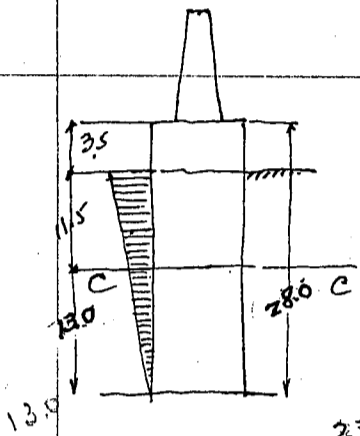
Design of Jiriso - Basin for Osaka - Prefecture.

Resisting moment = $\frac{299000}{2} \times 5.4 = \frac{1615000}{2} = 807000 \text{ kgm.}$

Direct load	4310.000	moment	16615.000
	- 299.000		- 4465.000
	4011.000 kg.		- 807.000
			11343.000 kgm.

Bending moment Section C-C. 15 meters from top.

Dead Load superstructure	1700.000	$\times 0.3 = 510.000$	$\times 23.48 = 12000.000$
Shaft	751.000	225.300	$\times 19.45 = 4375.000$
top slab	587.000	176100	$\times 14.08 = 2470.000$
well shell	$15900 \times 13 = 2065.000$	619500	$\times 6.50 = 4025.000$
filling	$36380 \times 13 = 472.000$	141600	$\times 6.50 = 920.000$
"	$39060 \times 14 = 546.000$	163800	$\times 7.00 = 1142.000$
	5103.000	1836300	24932.000
	10.18000		
	6121000		



Horizontal reaction $m = 127000 \times 11.5 \times 5.75 = 8400.000$
 $239000 \times \frac{13.0}{24.5} = 127000$
 $422000 \times \frac{11.5^2}{3} = 4950.000$

$- 13350.000$
 $11.582.000$

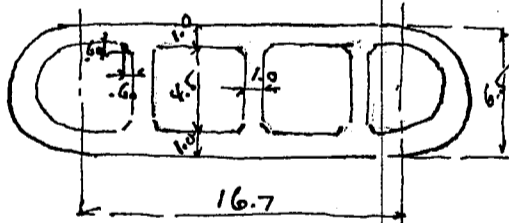
frictional couple $1710 \times 53.8 \times 11.5 = 1060.000$
 $\frac{1}{2}$ skin friction assumed $1060.000 \div 2 = 530.000 \text{ kg.}$
moment = $\frac{530.000}{2} \times 5.4 = 1430.000$

$- 1.430.000$
 $10.652.000 \text{ kgm.}$

Direct load on ring.
 5103.000
 $- 530.000$
 4573.000 kg.

Section of well.

Cross sectional area = 66.26 cm^2
moment of inertia



both circular ends $I = 0.0491 (6.5^4 - 4.5^4) = 67.5$
straight portion $16.7 \times 2 \times 2.75^2 + 2 \times \frac{1}{12} \times 16.7 \times 1.0^3 = 255.28$
Rib $3 \times \frac{1}{12} \times 4.5^3 = 22.80$
filler $12 \times \frac{.6 \times .6}{2} \times 2.05^2 + 12 \times \frac{.60 \times .60^3}{36} = 9.10$
 354.68

max moment at Section B-B. $11.343.000 \text{ kgm}$
direct load $4.011.000 \text{ kg.}$

unit stress due to direct load $4.011.000 \div 662600 = 605 \text{ kg/cm}^2$
fiber stress $\frac{11.343.000 \times 3.25}{354.68} = 104.000 \text{ kg/cm}^2$ or $\frac{10.4}{10.4} \text{ kg/cm}^2$

Summary stress	direct load	605	605
	due to bending	10.4	10.4
		16.45	4.35 tension.
		16.45	4.35

Center of gravity of half section.

area				
Ring	$16.7 \times 1.0 = 16.70$	$\times 2.75 = 45.90$		
	8.62	$\times 1.775 = 15.30$		
Rib	$3 \times 2.25 = 6.75$	$\times 1.125 = 7.60$		
	$6 \times \frac{.36}{2} = 1.08$	$\times 2.050 = 2.21$		
	33.15	2.14	71.01	$2.14 \times 2 = 4.28 \text{ m}$

stress due to bending $\frac{11343.000 \div 4.28}{343} = 2650.000 \text{ kg T.C.}$

$\frac{4011000 \div 2}{644500} = -2005500$
Steel section reqd = $\frac{644500}{1200 \times 1.8} = 299.0 \text{ cm}$ in one half section of well.

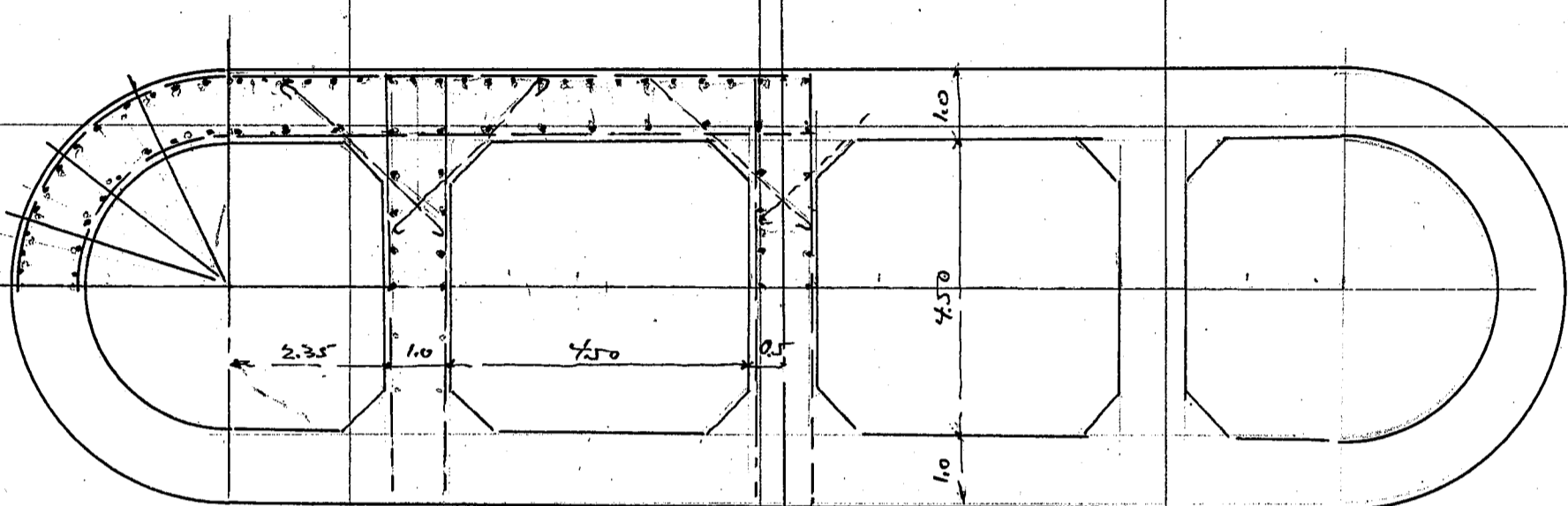
CALCULATIONS FOR

Design of Jūso-Bashi for Osaka Prefecture

vertical reinforcement required for temperature stress

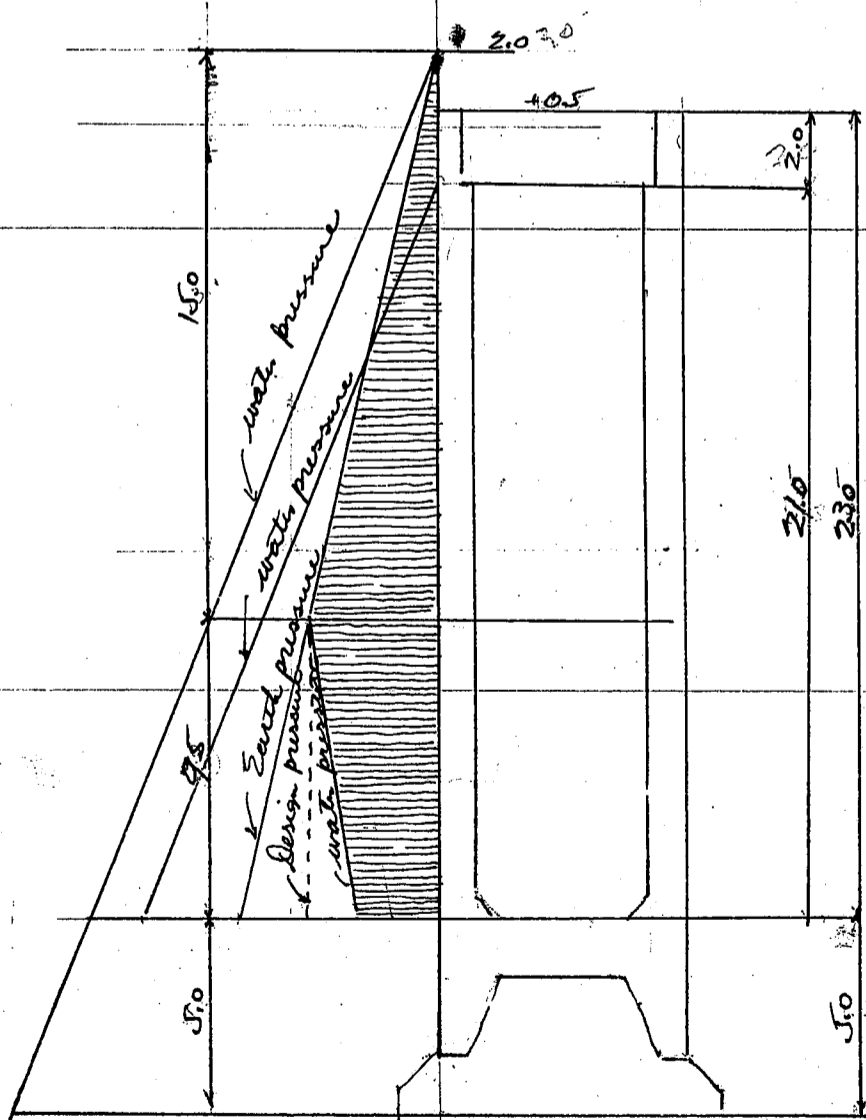
$$\begin{aligned} \frac{1}{2} \text{ cross section} &= 33.15 \text{ cm}^2 \\ &= 331500 \times \frac{3}{1000} = 993.0 \text{ cm}^2 \end{aligned}$$

use 25 mm ϕ area = 4.9 cm² $126 \times 4.9 = 617.0 \text{ cm}^2$ used.



Reinforcement in the ring

Earth pressure = $\frac{1}{3} \times 1700 \times h = 567h$
water pressure = $1000 \times h$



Depth	Earth P	water P	Design P
1	567		
2	1134		
3	1700		1700
4	2270	1.5	500
5	2835	1.5	1500
6	3400	2.5	2500
7	3970	3.5	3500
8	4530	4.5	4500
9	5100	5.5	5500
10	5670	6.5	6500
11	6250	7.5	7500
12	6810	8.5	8500
13	7380	9.5	9500
14	7950	10.5	10500
15	8510	11.5	11500
16	9080	12.5	12500
17	9650	13.5	13500
18	10200	14.5	14500
19	10790	15.5	15500
20	11340	16.5	16500
21	11900	17.5	17500
22	12500	18.5	18500
23	13050	19.5	19500
24	13620	20.5	20500

moment at circular ends assumed $\frac{1}{16} wl^2$ where $d =$ diameter of ring
 moment at partition wall " $\frac{1}{10} wl^2$ " $l =$ length between 2 partitions
 moment at ends of wall " $\frac{1}{2} wl^2$ " " " " "

Reinforcement in the ring figured for $\frac{1}{2}$ moment throughout; depth of beam at partition wall greater than depth between walls will be ok using same reinforcement as for ends of beam

CALCULATIONS FOR

Design of Jūsō Bashi for Osaka Prefecture

Depth of Earth	depth from top of well	moment $\frac{1}{2} w \times 5.5^2$	moment $\frac{1}{6} w \times 5.5^3$	$\frac{1}{12} w \times 5.5^4$ between partitions section Rgd	spacing 19mm bars 2.840
1					
2	0.5				
3	1.5	1700	4290	3220	4.20
4	2.5	2270	5720	4290	5.72
5	3.5	2835	7150	5350	7.15
6	4.5	3400	8570	6420	8.57
7	5.5	3970	10000	7500	10.00
8	6.5	4530	11420	8570	11.40
9	7.5	5100	12870	9650	12.87
10	8.5	5670	14300	10720	14.30
11	9.5	6250	15750	11800	15.75
12	10.5	6810	17200	12850	17.20
13	11.5	7380	18600	13930	18.60
14	12.5	7950	20020	15030	20.10
15	13.5	8510	21450	16080	21.5
16	14.5	"	"	"	"
17	15.5	"	"	"	"
18	16.5	"	"	"	"
19	17.5	"	"	"	"
20	18.5	"	"	"	"
21	19.5	"	"	"	"
22	20.5	"	"	"	"
23	21.5	"	"	"	"
24	22.5	"	"	"	"
Pressure in working chamber					
Total weight of well.					
well shell with partitions		=	116.26	×	21.0 @ 2400 = 3740.000
Top well shell only		same	50.00	×	2.0 @ 2400 = 240.000
Ceiling of working chamber			141.7	×	1.5 @ 2400 = 510.000
wall of "			66.26	×	2.0 @ 2400 = 318.000
					4408.000 kg.
water filling		same	75.44	×	21.5 × 1000 = 1620.000 kg.
Skin friction					
350 %	$\frac{1350}{2.2} \times 3.28^2 =$.1710	kg/m ²	×	53.8 × 26.5 = 2440.000
400 %		1960	"	×	" = 2790.000
450 %		2200	"	×	" = 3140.000
Theoretical water pressure depth of water 29.5 meters p = 29500 kg/m ²					
cupward pressure =		141.7	×	29.50 =	4175.000 kg.
Total downward load		4408.000			
Skin friction		-	2440.000		
net load at bottom			1968.000		
water filling			1620.000		
			3588.000 kg		
			3238.000 kg		
			2888.000 kg		
			$\frac{3588}{4175} = 86\%$		
			$\frac{3238}{4175} = 77.5\%$		
			$\frac{2888}{4175} = 68.9\%$		
Pressure in working chamber					
		29.5 × .86 =	25.4 kg/cm ²		
		36.1 %			
		29.5 × .775 =	22.9 kg/cm ²		
		32.6 %			
		29.5 × .689 =	20.3 kg/cm ²		
		28.8 %			

CALCULATIONS FOR

Design of Jūso-Bashi for Osaka Prefecture

Design of working chamber

Theoretical water pressure depth 29.5 meters $P = 29500 \text{ kg/m}^2$
 $2.95 \text{ kg/cm}^2 = 41.9 \text{ \%}$

Outside Earth Pressure on walls of working chamber
 $h = 28.0$ assumed $P = \frac{1}{3} \cdot 1700 \cdot 28.0 = 15900 \text{ kg}$ unif. on wall assumed

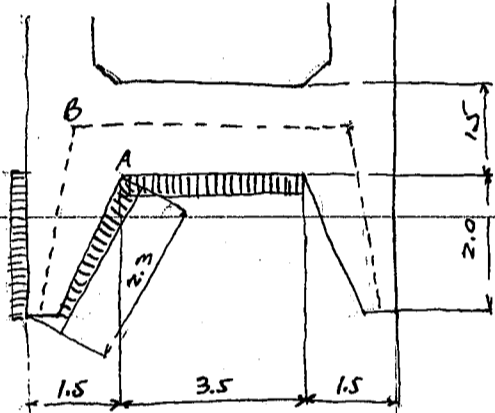
Balance pressure Pressure in working chamber 29500
 Earth pressure -15900
 13600 kg/m^2

75% Theoretical pressure = $29500 \cdot 0.75 = 22100 \text{ kg/m}^2$ (31.4 %).

Actual pressure in working chamber will be less than 31.4 % However design the rest of working chamber for 2.8 kg/cm^2 or 39.7 % pressure.

walls of working chamber

Design approximate only.



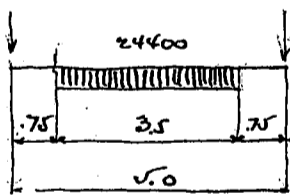
Pressure 28000
 Concrete $1.5 \cdot 2400 = -3600$
 24400 kg/m^2

Moment at A Pressure = $24400 \cdot 2.3 = 56100 \text{ kg}$
 at A $m = 56100 \cdot 1.15 = 64500 \text{ kgm}$
 at B $m = 56100 \cdot 1.75 = 98200$

Full earth pressure from outside $\frac{1}{3} \cdot 1700 \cdot 26.5 = 15000 \text{ kg/m}^2$
 net pressure from inside 24400
 -15000
 9400 kg

Total pressure = $9400 \cdot 2.3 = 21600 \text{ kg}$
 m at A = $21600 \cdot 1.15 = 24800 \text{ kgm}$
 at B = $21600 \cdot 1.75 = 37800$

Ceiling of working chamber



Reaction $24400 \cdot \frac{3.5}{2} = 42700 \text{ kg}$
 moment at center $42700 \cdot 2.5 = 109200$
 less $\frac{42700}{2} \cdot \frac{1.75}{2} = -18700$
 90500
 -37800
 52700 kgm

This stress carried by on 4 supports reduce $m = \frac{52700}{2}$ to 26350 kgm

moment due to downward load span length assumed 4.5 meters

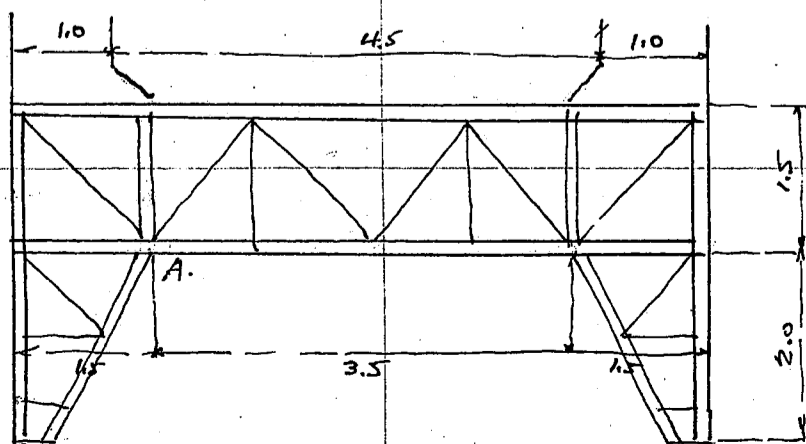
no pressure in working chamber

water fill $22.0 \cdot 1000 = 22000$
 concrete slab $1.5 \cdot 2400 = 3600$
 25600

$m = \frac{1}{10} \cdot 25600 \cdot 4.5^2 = 51900 \text{ kgm}$ at center and ends.

Being supported on 4 sides

$m = \frac{51900}{2} = 25950 \text{ kgm}$



cantilever wall design moment at A
 $m = 24800 \cdot 2.25 = 55900 \text{ kgm}$

Effective depth say $1.500 - 0.008 = 1.492$

flange stress = $\frac{55900}{1.492} = 39400 \text{ kg}$
 section reqd = $39400 \div 1200 = 32.8 \text{ cm}^2$

use 2L 128 x 90 x 10 = $41.0 - 4.4 = 36.6 \text{ cm}^2$

CALCULATIONS FOR

Design of Jussō-Bashi for Osaka Prefecture.

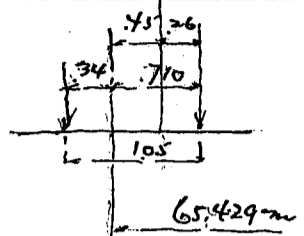
Slab at ceiling	$m = 25950 \times 2.25 = 56200$ flange stress = $\frac{56200}{1.25} = 41600 \text{ kg}$ section req'd = $\frac{41600}{1200} = 34.7 \text{ cm}^2 \text{ net}$ use 2L 125 x 90 x 10 = $41.0 - 44 = 36.6 \text{ cm}^2 \text{ net}$		
Transverse direction	top of slab. moment carried by reinforcing bars bot " " " " " steel plate.		
Structural steel in cutting edge and top of slab.			
Top section	2L 130 x 130 x 9 = 45.18 1L 130 x 130 x 9 = 22.59 1PL 630 x 9 = 56.70 124.47	- 3.51 + 3.51 + 18.50 9.05 cm	= - 159.0 = 79.5 = 1050.0 1129.5
Bottom section	2L 100 x 100 x 10 = 38.0 1PL 550 x 9 = 49.50 1PL 500 x 9 = 45.00 1PL 220 x 9 = 19.80 15230	+ 2.81 2.80 2.59 0.45 17.5	= 110.0 = 1387.0 = 1165.0 = 8.9 2670.9
Effective depth	3.43 - 2.6 = 3.16 meters		
Load on cutting edge.	.87 x 2.0 x 2400 = 4180 slabs - 3.25 x 1.5 x 2400 = 11700 15880 kg per lin. meter		
Unsupported length assumed	16.0 meters moment say $\frac{1}{8} \times 15880 \times 16.0^2 = 509000 \text{ kgm}$ flange stress = $\frac{509000}{3.16} = 16100 \text{ kg}$ section req'd = $\frac{16100}{1200} = 134.0 \text{ cm}^2 \text{ net}$		
Allow stresses of steel can be raised somewhat as it is temporary frame to prevent cracking of concrete during execution.			
Top Reinforcement in the top slab.	$m = 26350 \text{ kgm}$ section req'd = $\frac{26350}{\frac{7}{8} \times 1.4 \times 1200} = 15.65 \text{ cm}^2$ spacing of 19mm bars $\frac{2.83 \times 100}{15.65} = 48.10 \text{ cm}$ use 15cm spacing		
Horizontal Reinforcement in side wall of working chamber	$m = \frac{1}{10} \times 9400 \times 2.25^2 = 4760 \text{ kgm}$ section req'd = $\frac{4760}{\frac{7}{8} \times .55 \times 1200} = 7.20 \text{ cm}$ spacing 19mm bars $\frac{2.83 \times 100}{7.2} = 25.5 \text{ cm}$ near bottom		
Vertical Reinforcement in the base projection	between steel frame use 25 cm bars - 35 cm spacing above. base projection 1.0 meter $p = \text{assumed } 42900 \text{ kg/m}^2$ $m = 42900 \times \frac{1^2}{2} = 21450 \text{ kgm}$ effective depth of slabs 1.3 meters steel area req'd = $\frac{21450}{\frac{7}{8} \times 1.3 \times 1200} = 15.7 \text{ cm}^2$ 25mm bars $\frac{4.91 \times 100}{15.7} = 31.3 \text{ cm}$		
Downward pressure	Earth 1700 x 28.0 = 47500 2400 x 1.5 = 3600 51100 kg min pressure upward during earth quake = 24400 26700 $m = 13350 \text{ kgm}$ Steel area = $\frac{13350.00}{\frac{7}{8} \times 1.30 \times 1200 \times 1.8} = 5.44 \text{ cm}^2$ use 19mm bars same spacing with bottom reinforcement		

CALCULATIONS FOR

Design of Jūso - Bashi for Osaka - Prefecture

Design of piers P6 and P11

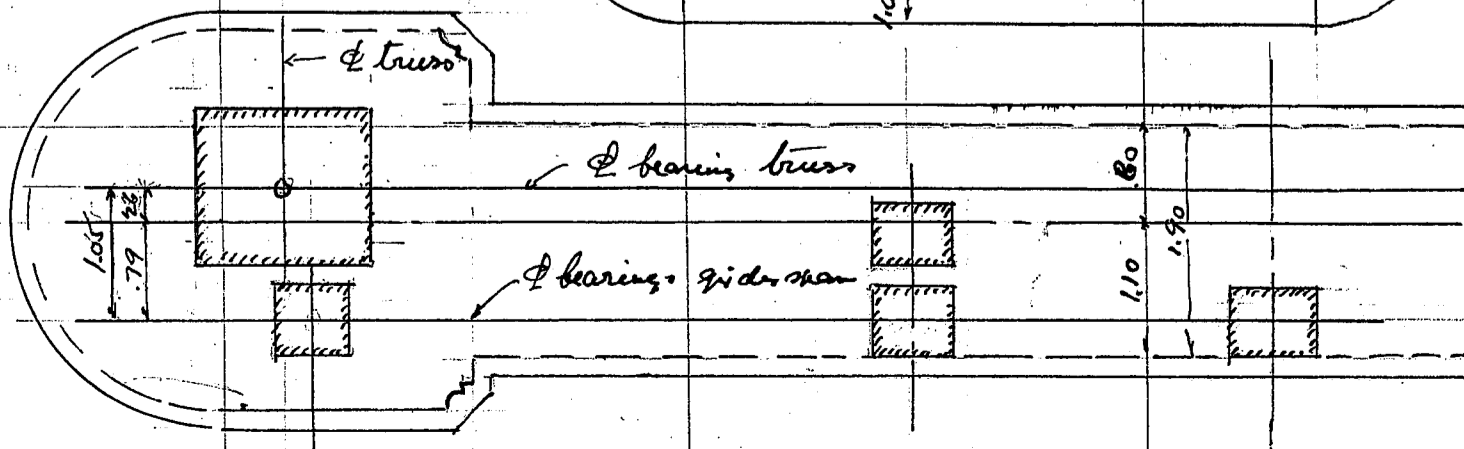
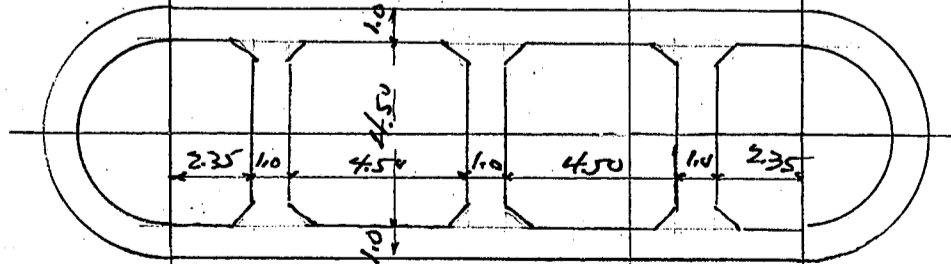
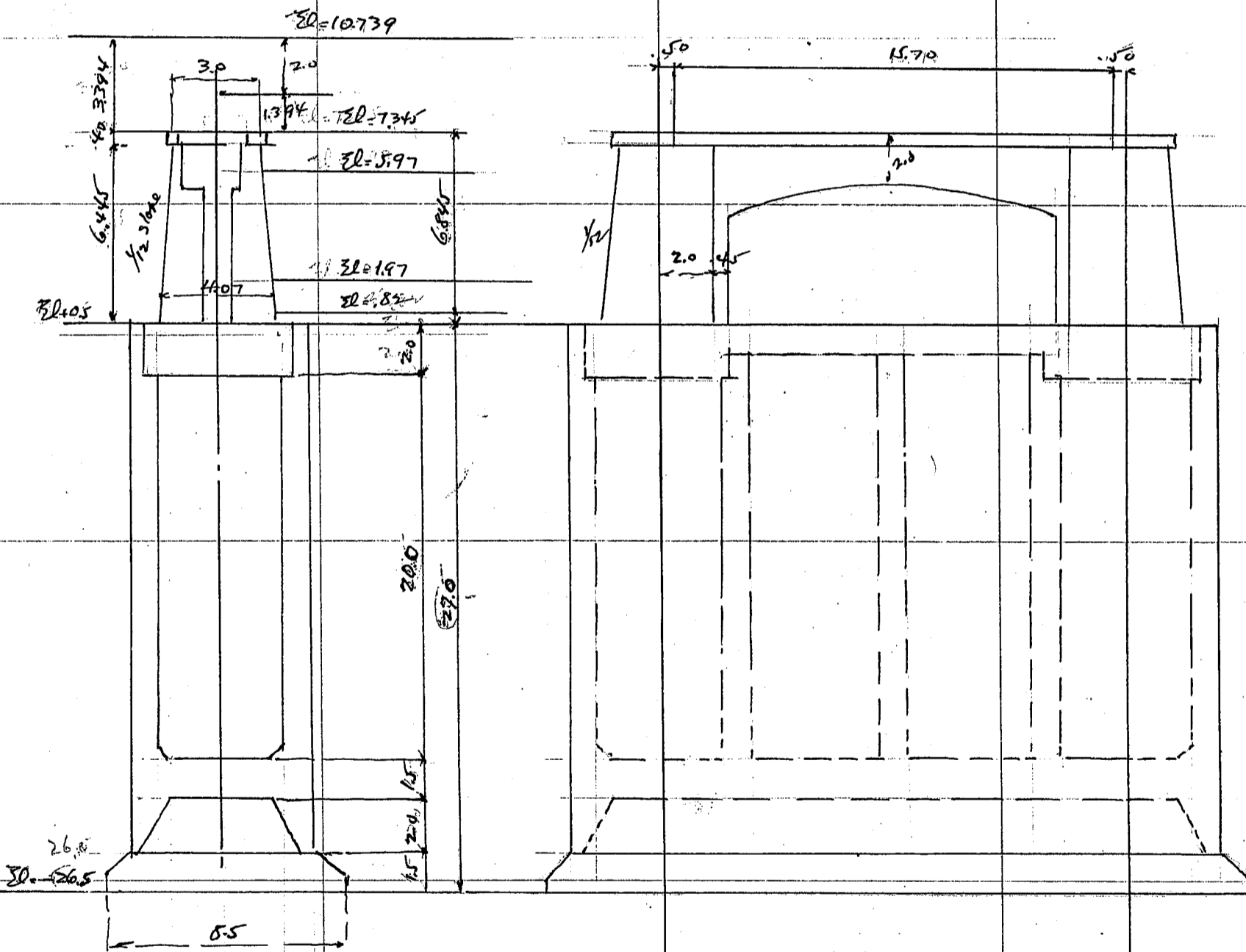
Truss span
Dead Load on pier $424500 \times 2 = 849000$
Live Load on pier $213000 \times 2 = 426000$
 637500 1275.000 kg.



Guide span
Dead load floor 15300
structural steel 6900
 $22200 \times \frac{24.909}{2} = 276000$
Live load say same as truss span
 $2 \times 6500 = 24900$
 162000
 438.000

⊕ gravity Dead Load
 849000×0
 $276000 \times 1.05 = 290.000$
 $1125000 \times .26 = 290.000$
⊕ gravity Dead and Live loads
 1275.000
 $438.000 \times 1.05 = 460.000$
 $1713.000 \times .27 = 460.000$

assume eccentricity 45 mtr.



CALCULATIONS FOR

Design of Jūso Bashi for Osaka Prefecture

Volume of Concrete in pier				
Coping	$\frac{1}{2}$	$3.4^2 = 45.4$		
		$3.4 \times 2.4 = 8.15$		
		$12.69 \times 2 \times 4.0 = 10.1$		
between shafts	say		<u>11.4</u>	
			21.5 cubic meters	
shaft	$\frac{1}{2}$	$3.0^2 = 3.53$	$\frac{1}{2}$	$4.07^2 = 6.50$
		$3.2 = 6.00$		$4.07 \times 2 = 8.14$
		<u>9.53</u>		<u>14.64</u>
		<u>14.64</u>		
		$24.17 \div 2 = 12.09 @ 6.445 = 77.8$		cubic meters
Stout between shafts		$1.9 \times 2.0 \text{ alt.} \times 11.8 = 44.9$		
	Pol.	$2 \times 4.5 \times 1.9 \times 6.45 = 11.0$		
	wel.	$11.8 \times 1.0 \times 4.05 \text{ alt.} = 47.7$		
				103.6 cubic meters
Summary	Coping -		21.5	
	2 shafts	$2 \times 77.8 = 155.6$		Centre of gravity say 3.4 above from top
	stout + wel.	<u>103.6</u>		
		<u>280.7</u>	$@ 2400 = 684,000$	kg.
Concrete Caisson	Outside area	141.7 sq meters		
space between walls at middle	39.06	<u>75.44</u>		
both ends	<u>36.38</u>	66.26 square meters		
		<u>75.44</u>		
Volume of Concrete in top slab.		244.34 cubic meters		
Summary of Concrete	Top slab	$2 \times 141.7 - 39.06 = 244.34$	$@ 2400 = 587,000$	
	well shell	$66.26 \times 20.0 = 1325.00$	$@ 2400 = 3,190,000$	
	bottom fill and shell	$141.7 \times 3.5 = 495.00$	$@ 2200 = 1,090,000$	
	base say	$198.75 \times 1.5 = 298.00$	$@ 2200 = 655,000$	
				5,522,000 kg.
Summary for water fill	both ends	$36.38 \times 20.0 = 727.6$	$@ 1000 = 727,600$	
	middle	$39.06 \times 21.5 = 820.0$	$@ \text{ " } = 820,000$	
				1,547,600 kg.
Total weight of pier	shaft and coping		684,000	
	caisson		5,522,000	
	filling		<u>1,547,600</u>	
			7,753,600	
Superimposed dead & live loads			<u>1,713,000</u>	
			9,466,600 kg.	
Base area - 198.75	Unit pressure =	$\frac{9,466,600}{198.75} = 47,700$		kg/m ²
				4.77 tons/m ²
Assuming skin friction	250 % = 1400 kg per sq meters			
depth of caisson below firm ground	24.5 meters			
	Total load		9,466,600	
	skin friction	$53.8 \times 1400 \times 24.5 = 1,845,000$		
			<u>7,621,600</u>	
Unit pressure		$7,621,600 \div 198.75 = 38,400$		kg/m ²
				3.88 tons/m ²

CALCULATIONS FOR

Design of Jūso - Bashi for Osaka Prefecture

Assuming skin friction 350#/ft or 1710 kg/m²
 Total load 9466600
 skin friction 538 × 1710 × 24.5 = 2255000
 7211600 kg.
 Unit Pressure 7211600 ÷ 198.75 = 36400 kg/m²
 339 tons/ft²

Stability of pier during Earthquake

Horizontal force k=0.3

Superimposed Dead load 1125.000 kg.

		Hor. Force	Arm	
Dead load superstructure	1125.000 × 0.3 = 337500	3524	=	11900.000
Shaft and coping	684.000	205200	31.45	= 6450.000
top slab	587.000	176100	26.08	= 4595.000
well shell and partitions	3190.000	955000	15.00	= 14340.000
bottom working chamber	1090.000	327000	3.25	= 1062.000
base	655.000	196500	0.75	= 147.000
water fill both ends	727.600	218500	15.00	= 3280.000
" " middle	820.000	246000	15.50	= 3810.000
	8873600	2661800		45584.000

Moment due to hor. reaction 2661800 × $\frac{2}{3}$ × 24.5 = 43400.000
 2184.000

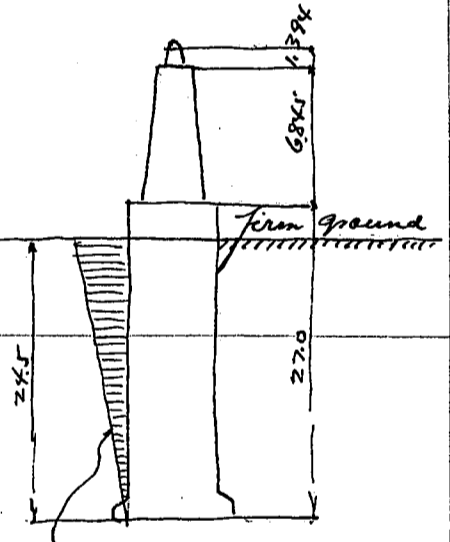
Counting 1/2 skin friction effective to balance for overturning
 skin friction 350#/ft = 1710 kg/m²

538 × 1710 × 24.5 = 2255000
 Resisting couple $\frac{1127500}{2} × 5.4 = 6090.000$ kgm

required 2184.000 kgm to balance for overturning.

Load on base 8873600
 Less friction say - 1500000
 7373600

Unit pressure $\frac{7373600}{198.75} = 37200$ kg/m²
 3.45 tons/ft²



Reaction due to Hor. Force assumed thus

Reinforcement in the shaft during Earthquake

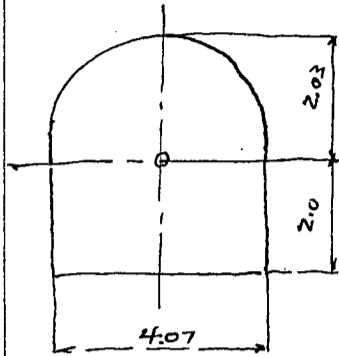
Dead Load superstructure 1125000 ÷ 2 = 562500
 shaft with strut say 280.000
 842500 kg.

Load 562500 × 0.3 = 168750 × 8.24 = 1390.000
 280.000 × 84000 × 3.5 say = 294.000

1.684.000 kgm

CALCULATIONS FOR

Design of Jūso-Bashi for Osaka Prefecture



Moment of inertia of bottom section
Circular end $I = \frac{0.0491}{2} \cdot 4.07^4 = 67.0$

Equivalent square $b = \frac{67.0 \cdot 12}{4.07^3} = 1.19$
3.19 meter wide

Reinforcing bars 25 cm dia $2 \cdot 15 @ 4.91 = 147.0$ cm
concrete area $3.19 \cdot 4.07 = 13000$ steel % = $\frac{147}{13000} = .113\%$

$\frac{d'}{k} = \frac{5}{4.07} = 0.012$ $\frac{1684000}{842500} = 2.0$ $\frac{2.0}{4.07} = .492$

value of $k = 34$ Coef = .0772

stress in concrete $f_c = \frac{1684000000}{319 \cdot 4.07^2 \cdot 0.0772} = 413 \text{ kg/cm}^2$

steel stress $f_s = 15 \cdot 413 \left(\frac{4.02}{4.07 \cdot 34} - 1 \right) = 1180 \text{ kg/cm}^2$

Pressure in working chamber

Total weight of well

well shell with partitions $66.26 \cdot 20.5 @ 2400 = 3180.000$

Top well shell only say $50.0 \cdot 2.0 @ 2400 = 240.000$

Ceiling of working chamber $141.7 \cdot 1.5 @ 2400 = 510.000$

wall of " say $66.26 \cdot 2.0 @ 2400 = 318.000$

3248.000 kg.

water fill say $75.44 \cdot 20.5 \cdot 1000 = 1550.000 \text{ kg.}$

skin friction assumed

350% or $1710 \text{ kg/m}^2 \cdot 538 \cdot 24.5 = 2260.000 \text{ kg.}$

400 1960 2585.000

450 2200 2900.000

Theoretical water pressure

depth of water 28.5 $p = 28500 \text{ kg/m}^2$ 31.0%

upward pressure = $141.7 \cdot 28500 = 4040.000 \text{ kg.}$

Downward load

skin friction

net load at bottom

water fill

	350%	400	450
Downward load	4248.000	4248.000	4248.000
skin friction	2260.000	2585.000	2900.000
net load at bottom	1988.000	1663.000	1348.000
water fill	1550.000	1550.000	1550.000
	3538.000	3213.000	2898.000

$\frac{3538}{4040} = 87.5\%$

$\frac{3213}{4040} = 79.5\%$

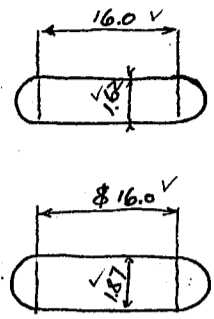
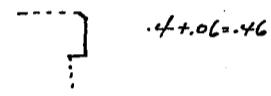
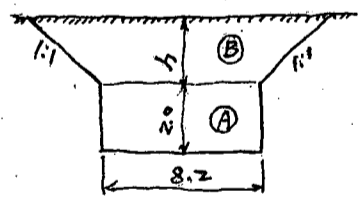
$\frac{2898}{4040} = 71.5\%$

Pressure in working chamber

$285 \cdot 87.5 = 2494 \text{ kg/cm}^2$ 35.5%
 $285 \cdot 79.5 = 2266 \text{ kg/cm}^2$ 32.1%
 $285 \cdot 71.5 = 2038 \text{ kg/cm}^2$ 29.0%

CALCULATIONS FOR

Materials for Juso Bashi Osaka Prefecture.

<p>Materials for P1 and P16 Concrete 1:2:4 mixture.</p>			
Coping	<p>Rectangle $1.62 \times 0.4 \times 16.0 \checkmark = 10.38 \checkmark$ Circular ends $1.62^2 \checkmark \times 0.4 \checkmark = 0.82 \checkmark$</p>		
Shaft	<p>Rectangle $1.87 \times 16.0 \times 5.56 \checkmark = 166.42 \checkmark$ Circular ends $1.87^2 \checkmark \times 5.56 \checkmark = 15.28 \checkmark$</p>	<p>11.20 [✓] cub. meter 181.70 [✓] cub. meter</p>	
Base	<p>Area $1.8 \times 2.48 \times 2 \checkmark = 8.92 \checkmark$ $2.24 \times 2.3 \checkmark = 5.15 \checkmark$</p>	<p>14.07 [✓] 19.8 [✓] = 278.50 [✓] cub. meter Total concrete for one pier = 471.40 [✓] cub. meter</p>	
Rubbles for foundation		<p>$7.2 \times 19.8 \times 0.5 \checkmark = 71.3 \checkmark$ cub. meter</p>	
Forms Coping	<p>Straight $0.46 \times 16.0 \times 2 \checkmark = 14.71 \checkmark$ Circular ends $1.62^2 \checkmark \times 0.46 \checkmark = 2.34 \checkmark$</p>	<p>17.05 [✓] om</p>	
Shaft	<p>Straight $16.0 \times 5.56 \times 2 \checkmark = 177.90 \checkmark$ Circular ends $1.87^2 \checkmark \times 5.56 \checkmark = 32.65 \checkmark$</p>	<p>210.55 [✓] om</p>	
Base	<p>Front & rear $1.3 \times 19.8 \times 2 \checkmark = 51.43 \checkmark$ Both ends $1.3 \times 7.2 \times 2 \checkmark = 18.72 \checkmark$ " $2.48 \times 0.5 \times 2 \checkmark = 2.48 \checkmark$ > $2.24 \times 1.0 \checkmark = 2.24 \checkmark$</p>	<p>74.87 [✓] om</p>	
Total form for one pier = 302.47 [✓] sq. meter.			
Reinforcements	<p>Deformed Plain Bars, See drawing = 6.982 [✓] kg. tons.</p>		
Foundation piles	<p>木杭 木叩 10" 長 50'0" -- 176 本</p>		
Excavation	<p>Volume: A = $8.2 \times 20.8 \times 2.0 = 341.12 \text{ m}^3$ Pier no. P1 $341.0 \div 11.0 = 23.6 \times 2.8 = 1068.5$ " P16 $341.0 \div 11.2 = 23.8 \times 3.0 = 1147.0$ 2209.5 [✓] m³</p>	<p>Average excavation for one pier $2209.5 \div 2 = 1104.75 \text{ m}^3$</p>	
			
Materials for Piers P2, P3, P4, P5, P12, P13, P14, & P15			
Concrete 1:2:4 mixture.			
Coping	<p>Same as for P1 and P16 = 11.20 [✓] cub. meter</p>		
Shaft			
Pier nos.	mean width	length	Volume of Shaft.
P2 + P5	1.761 [✓]	16.0 [✓]	$28.18 \checkmark$ $1.761^2 \checkmark = 2.44 \checkmark$ $30.62 \checkmark \times 3.910 \checkmark = 119.7 \checkmark$ cub. meter
P3 + P4	1.777 [✓]	"	$28.41 \checkmark$ $1.777^2 \checkmark = 2.48 \checkmark$ $30.89 \checkmark \times 4.152 \checkmark = 128.2 \checkmark$ "
P4 + P3	1.791 [✓]	"	$28.65 \checkmark$ $1.791^2 \checkmark = 2.52 \checkmark$ $31.17 \checkmark \times 4.365 \checkmark = 136.0 \checkmark$ "
P5 + P2	1.804 [✓]	"	$28.85 \checkmark$ $1.804^2 \checkmark = 2.55 \checkmark$ $31.40 \checkmark \times 4.550 \checkmark = 142.8 \checkmark$ "
Base upper layer			
Pier nos.	mean width	height	length
P2 + P5	3.01 [✓]	1.5 [✓]	19.0 [✓] = 85.8 [✓] cub. meter
P3 + P4	3.027 [✓]	1.5 [✓]	19.0 [✓] = 86.2 [✓] "
P4 + P3	3.041 [✓]	1.5 [✓]	19.0 [✓] = 86.6 [✓] "
P5 + P2	3.053 [✓]	1.5 [✓]	19.0 [✓] = 87.0 [✓] "

CALCULATIONS FOR

Materials of Giiso Basu for Osaka Prefecture.

Base concrete. area. $1.8 \times 2.5 \times 2 = 9.0 \checkmark$
 $2.3 \times 4.0 = 9.2 \checkmark$
 $18.2 \times 19.8 = 360.4 \checkmark$ cub. meter.

Summary of concrete for one pier.

Pier nos.	Coping	Shaft	Base	Base.	Total conc. for one pier
P ₂ + P ₁₅	11.2 ✓ +	119.7 ✓ +	85.8 ✓ +	360.4 ✓ =	577.1 ✓ cub. meter
P ₃ + P ₁₄	11.2 ✓ +	128.2 ✓ +	86.2 ✓ +	360.4 ✓ =	586.0 ✓ "
P ₄ + P ₁₃	11.2 ✓ +	136.0 ✓ +	86.6 ✓ +	360.4 ✓ =	594.2 ✓ "
P ₅ + P ₁₂	11.2 ✓ +	142.8 ✓ +	87.0 ✓ +	360.4 ✓ =	601.4 ✓ "

Forms.

Coping same as for Piers P₁ + P₆ = 17.05 ✓ m

Pier nos.	Circular ends	Straight portion	Total Area	Height	Area
P ₂ + P ₁₅	1.761 ✓ = 5.53 ✓	16.2 = 32.0 ✓	37.53 ✓	3.91 ✓	146.7 ✓ m ²
P ₃ + P ₁₄	1.777 ✓ = 5.58 ✓	32.0 ✓	37.58 ✓	4.152 ✓	156.0 ✓ "
P ₄ + P ₁₃	1.791 ✓ = 5.62 ✓	32.0 ✓	37.62 ✓	4.365 ✓	164.3 ✓ "
P ₅ + P ₁₂	1.804 ✓ = 5.67 ✓	32.0 ✓	37.67 ✓	4.550 ✓	171.5 ✓ "

Base, upper layer

Pier nos.	Front and rear	Both sides	Total area.
P ₂ + P ₁₅	1.80 ✓ × 19.2 ✓ = 68.4 ✓	3.01 ✓ × 1.5 × 2 = 9.03 ✓	77.4 ✓ m ²
P ₃ + P ₁₄	1.79 ✓ × 19.2 ✓ = 68.0 ✓	3.027 ✓ × 1.5 × 2 = 9.08 ✓	77.1 ✓ "
P ₄ + P ₁₃	1.78 ✓ × 19.2 ✓ = 67.6 ✓	3.041 ✓ × 1.5 × 2 = 9.12 ✓	76.7 ✓ "
P ₅ + P ₁₂	1.77 ✓ × 19.2 ✓ = 67.2 ✓	3.053 ✓ × 1.5 × 2 = 9.16 ✓	76.4 ✓ "

Base, lower layer

Pier nos.	front and rear = 1.3 × 19.8 × 2 = 51.5 ✓
P ₂	both ends = 6.5 × 1.0 × 2 = 13.0 ✓
P ₃	" = 9.0 × 1.3 × 2 = 23.4 ✓
	<u>87.9 ✓ m²</u>

Summary of Forms for one pier.

Pier nos.	Coping	Shaft.	Base	Base.	Total m ²
P ₂ + P ₁₅	17.1 ✓	146.7 ✓	77.4 ✓	87.9 ✓	329.1 ✓
P ₃ + P ₁₄	17.1 ✓	156.0 ✓	77.1 ✓	87.9 ✓	338.1 ✓
P ₄ + P ₁₃	17.1 ✓	164.3 ✓	76.7 ✓	87.9 ✓	346.0 ✓
P ₅ + P ₁₂	17.1 ✓	171.5 ✓	76.4 ✓	87.9 ✓	352.9 ✓

Reinforcements, Deformed Plain Bars. see drawing.

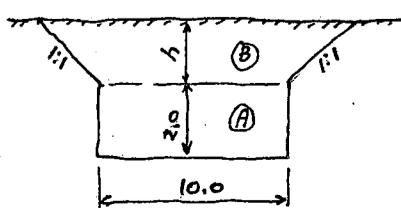
Pier P ₂ + P ₁₅	7.996 ✓ kg. tons. for one pier
" P ₃ + P ₁₄	8.106 ✓
" P ₄ + P ₁₃	8.276 ✓
" P ₅ + P ₁₂	8.350 ✓

Foundation piles 木柱 10" × 50" — 220 本

Bubbles for foundation 9.0 × 19.8 × 0.5 = 89.1 ✓ cub. meter

Excavation.

Volume A. 10.0 × 20.8 × 2.0 = 416.0 m³



底部四方0.5m完全被埋込

Pier no.	Volume A	Volume B	Total	h.	FR入
P ₂ + P ₁₅	416.0 + 12.9 × 23.7 × 2.9 =	1302.0	Cub. meters	4.9 m	4.9 m
P ₃ + P ₁₄	416.0 + 13.6 × 23.8 × 3.0 =	1347.0	"	3.0	5.0
P ₄ + P ₁₃	416.0 + 13.2 × 24.0 × 3.2 =	1430.0	"	3.2	5.2
P ₅ + P ₁₂	416.0 + 13.2 × 24.0 × 3.2 =	1430.0	"	3.2	5.2

CALCULATIONS FOR

Materials of Jiuse Bashi for Osaka prefecture
Abutment for Canal Span. (A1 and A2)

Floor

Concrete 1:2:4 mixture.

Sectional area ✓

Electric Ry. slab ✓ $2.93 \times .38 = 1.114$ ✓

Roadway slab ✓ $4.5 \times .17 = .765$ ✓

Gutter ✓ $.049 \times .45 = .022$ ✓

Sidewalk slab ✓ $2.57 \times .10 = .257$ ✓

Stem of Beam C ✓ $.4 \times .495 = .197$ ✓

" " A ✓ $.4 \times .48 \times 2 = .384$ ✓

" " B ✓ $.4 \times .674 \times 2 = .270$ ✓

" " D ✓ $.3 \times .40 = .120$ ✓

" " E ✓ $.3 \times .30 \times 1.80 = .540$ ✓

Coping " E ✓ $.22 \times .07 = .015$ ✓

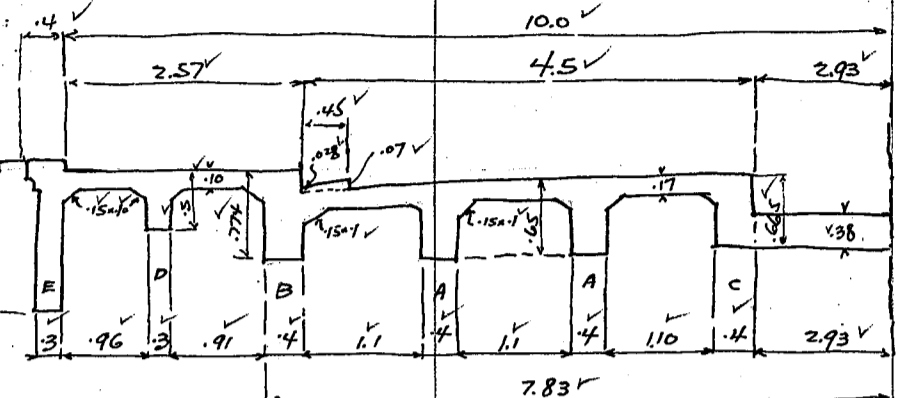
Fillets of Beams. ✓ $1.15 \times 2 \times .10 = .075$ ✓

$3.759 \times 2 = 7.518 \text{ m}^3 = 4.10 = 30.82 \text{ cub. meter}$

Fillets at both ends of slab & beams. ✓ $\frac{4 \times 4}{2} \times 2 \times 7.83 = 1.252$ ✓

✓ $\frac{3 \times 3}{2} \times 2 \times 1.87 = .168$ ✓

✓ $\frac{4 \times 4}{2} \times 2 \times .3 = .048$ ✓



$1.468 \times 2 = 2.94 \text{ cub. meter}$

Total concrete for floor = 33.76 ✓

Concrete for abutment structure. 1:2:4 mixture.

parapet wall. Elect. Ry. ✓ $.45 \times 2.425 \times 5.86 = 6.40$ ✓

" " Roadway ✓ $.45 \times 2.68 \times 4.5 \times 2 = 10.85$ ✓

" " Sidewalk ✓ $.45 \times 2.80 \times 2.57 \times 2 = 6.48$ ✓

Front wall between columns. ✓ $1.2 \times 3.49 \times 20.0 = 83.76$ ✓

Coping ✓ $.1 \times .4 \times 20.0 = .80$ ✓

Columns ✓ $1.2 \times .9 \times 6.41 \times 2 = 13.85$ ✓

" under fascia beams ✓ $.3 \times .2 \times 3.49 \times 2 = .38$ ✓

Rear wall. Elect. Ry. ✓ $.7 \times 5.92 \times 5.86 = 24.29$ ✓

" " Roadway ✓ $.7 \times 6.17 \times 4.5 \times 2 = 38.87$ ✓

" " Sidewalk ✓ $.7 \times 6.29 \times 2.57 \times 2 = 22.62$ ✓

Columns ✓ $1.5 \times 1.5 \times 6.41 \times 2 = 28.85$ ✓

" under fascia beams ✓ $.3 \times .2 \times 3.15 \times 2 = .38$ ✓

projection, Roadway, top. ✓ $.25 \times .8 \times 4.5 \times 2 = 1.80$ ✓

" Sidewalk " Slab. ✓ $.1 \times .82 \times 2.57 \times 2 = .42$ ✓

" " beam. ✓ $.7 \times .9 \times .65 \times 2 = .29$ ✓

" " " ✓ $.3 \times .35 \times .65 \times 2 = .14$ ✓

" " " ✓ $.3 \times .3 \times 2.17 \times 2 = .39$ ✓

Base. ✓ $1.25 \times 7.2 \times 23.5 = 211.50$ ✓

Fillets of base ✓ $\frac{5 \times 35}{2} \times 3 \times 23.5 = 6.17$ ✓

45824 cub. meter

Concrete for lower Base. 1:2:4

wall. ✓ $.6 \times 1.6 = .96 \text{ m}^3$ ✓

" ✓ $1.8 \times 1.6 = 2.88$ ✓

base ✓ $3.15 \times .5 = 1.575$ ✓

" ✓ $4.5 \times .9 = 4.05$ ✓

$9.465 \times 23.5 = 222.50 = 222.50 \text{ cub. meter.}$

Total concrete for abutment A2 = 714.50 ✓

Extra concrete under girder bearing for A1 only

✓ $.19 \times .75 \times 20.0$ ✓

2.85 m^3

Total concrete for abutment A1 = 717.35 cub. meter

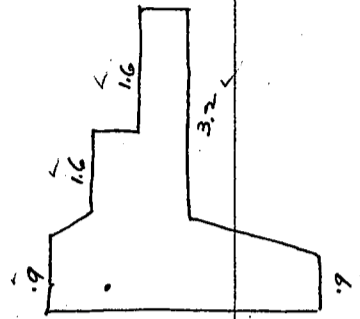
Average = 715.93 cub. meter.

CALCULATIONS FOR

Materials of Jinso Basie for Osaka Prefecture

Forms for Lower Base of Abutment - A1 + A2.

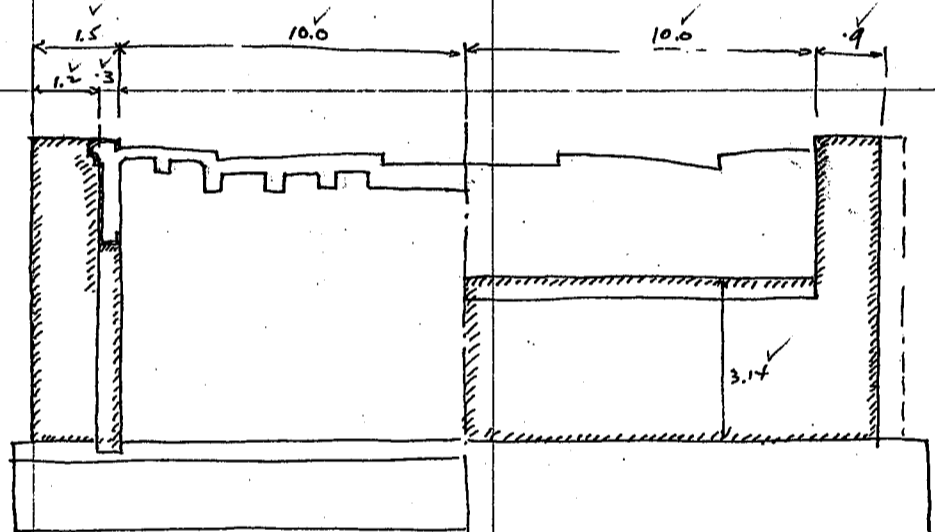
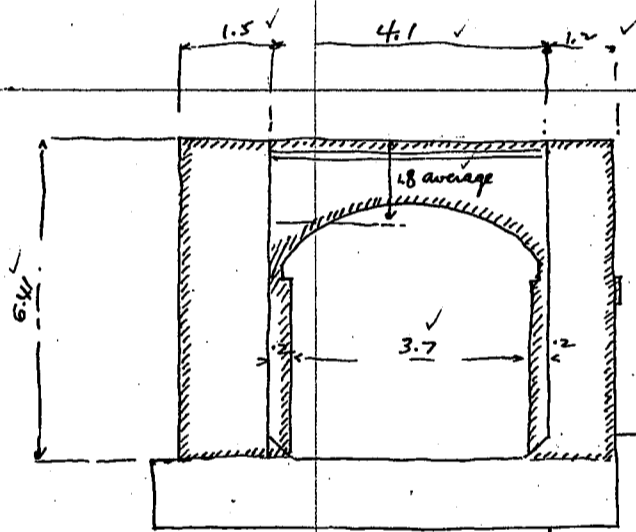
front side	$3.2 \times 9 = 4.1 \times 23.5 =$	$96.4 \checkmark$
rear	$1.6 \times 1.6 \times 9 = 4.1 \times 23.5 =$	$96.4 \checkmark$
Both ends.	$.6 \times 1.6 \times 2 =$	$1.92 \checkmark$
"	$1.8 \times 1.6 \times 2 =$	$5.76 \checkmark$
"	$3.15 \times .5 \times 2 =$	$3.15 \checkmark$
"	$0.9 \times 4.5 \times 2 =$	$8.10 \checkmark$
		<u>$211.73 \checkmark$ sq. m</u>



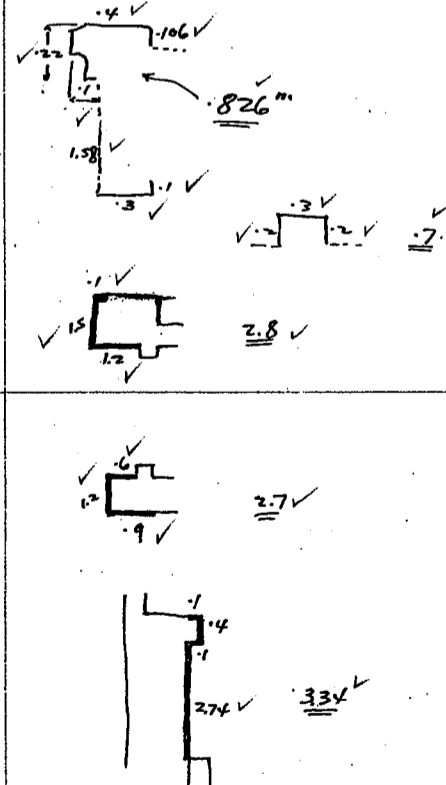
Total form for one abutment

Forms for floor.	=	$1629 \checkmark$
" " Structure.	=	$640.6 \checkmark$
Lower base	=	$211.7 \checkmark$
		<u>$1015.2 \checkmark$ sq. meter</u>

人造洗土仕上



Coping	$.826 \times 4.10 \times 2 \checkmark$	=	$6.77 \checkmark$
less handrail bott.	$.2 \times 4.10 \times 2 \checkmark$	= (-)	$1.64 \checkmark$
Fascia beam outside	$1.58 \times 4.1 \times 2 \checkmark$	=	$12.95 \checkmark$
" bott. + inside	$.4 \times 5.4 \times 2 \checkmark$	=	$4.32 \checkmark$
projection under fas. beam	$.7 \times 3.2 \times 4 \checkmark$	=	$8.96 \checkmark$
Rear Column top.	$1.5 \times 1.5 \times 2 \checkmark$	=	$4.50 \checkmark$
less pedestal area	$1.2 \times 1.2 \times 2 \checkmark$	= (-)	$2.88 \checkmark$
Rear column	$2.8 \times 6.4 \times 2 \checkmark$	=	$35.90 \checkmark$
Front column top.	$.115 \times 1.5 \times 2 \checkmark$	=	$.35 \checkmark$
less post area	$1.2 \times 0.9 \times 2 \checkmark$	=	$2.16 \checkmark$
Front column	$1.0 \times .7 \times 2 \checkmark$	= (-)	$1.40 \checkmark$
" inside	$2.7 \times 6.4 \times 2 \checkmark$	=	$34.60 \checkmark$
" cut	$.75 \times 2.92 \times 2 \checkmark$	=	$4.38 \checkmark$
Front wall, front side	$.45 \times .115 \times 2 \checkmark$	=	$.10 \checkmark$
	$334 \times 20.0 \checkmark$	=	$66.80 \checkmark$
			<u>$175.87 \checkmark$ sq. meter</u>



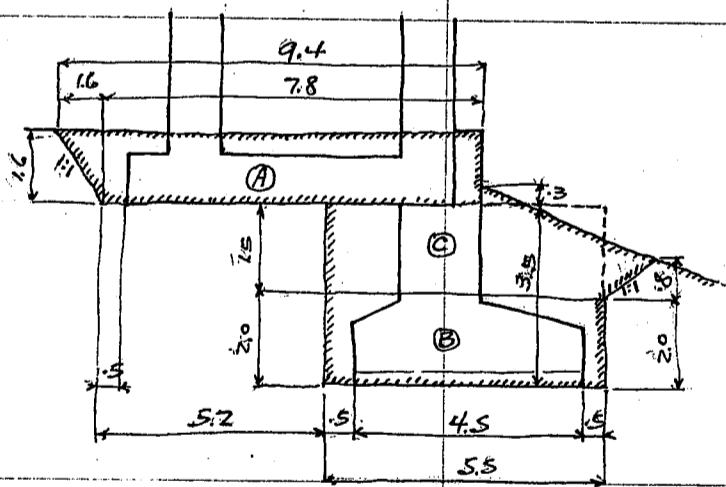
CALCULATIONS FOR

Materials of Yusa Basin for Osaka Prefecture

6)

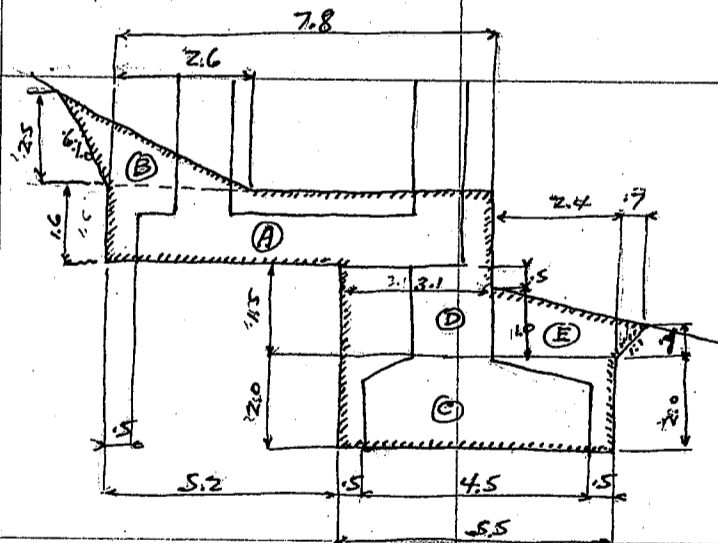
Reinforcing Bars.	Deformed Bars.	Abutment A1	38.627 ✓ kg tons see drawings.
		Abutment A2	38.163 ✓
		average	38.395 ✓ kg tons.
Pavements.	Roadway.	Asphalt block pavement	5 ^{cm} thick with 1 ^{cm} cement mortar cushion (1:2)
	width	4.405 × .45 ✓ =	3.955 ^m
	length	4.10 + .5 + .33 ✓ =	4.93 ^m
	paved area	= 3.955 × 4.93 × 2 ✓ =	39.00 ✓ sq. meter for one abutment.
	Sidewalk.	Cement mortar finishing	2.5 ^{cm} thick 1:2 mixture.
	paved area	= 2.57 × 5.75 × 2 ✓ =	29.56 ✓ sq. meter for one abutment.
Granite	Arch stone.	7 × 18 × 17 =	2142
	歩道石	2 × 18 × 17 =	0.0458
	段	6 × 18 × 17 =	0.3158
			0.3616
	踏掛石	10 × 25 × 2 =	0.4350 ✓
			0.7966 ✓ cub meter for one abutment.
	軌車道境界石	6 × 18 × 17 =	0.3158 ✓
			1.1124 ✓ cub meter for one abutment
Foundation Piles	米松 木	9吋 長 40 根	
	Upper base.	5 × 26 ✓ =	130 ✓
	Lower	5 × 26 ✓ =	130 ✓
		260 ✓	for one abutment.
割栗石.	Lower base.	4.5 × 23.5 × 0.5 ✓ =	52.8 ✓ cub meter for one abutment.

Excavation for Abutment A1 and A2.



Volume A $1.6 \times 8.6 \times 26.1 = 359$
 " B $5.5 \times 2.0 \times 24.5 = 270$
 " C say $1.5 \times 5.5 \times 25.3 = 209$
838 m³

Abutment A2.



Volume A $7.8 \times 1.6 \times 24.5 = 306$
 B $2.6 \times 2.5 \div 2 \times 25.3 = 82$
 C $5.5 \times 2.0 \times 24.5 = 270$
 D $3.1 \times 1.5 \times 24.5 = 114$
 E say $0.9 \times 2.4 \times 25.4 = 55$
827 m³

average $\frac{838 + 827}{2} = 832.5 \text{ m}^3$

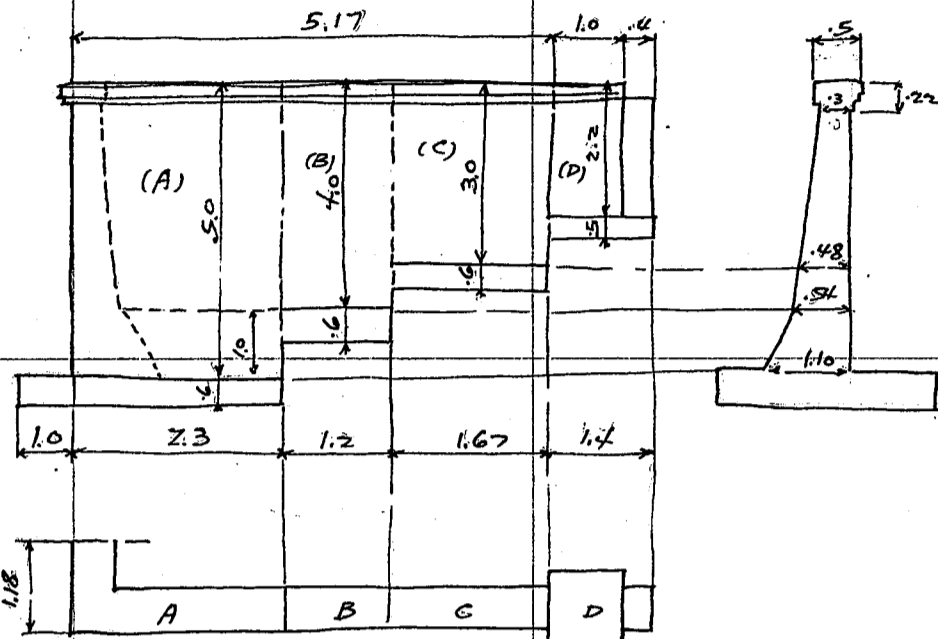
CALCULATIONS FOR

Materials of Juiso-Boshi for Osaka Prefecture.

Approach Retaining walls neighbouring to Abutment A2.
Concrete 1:2:4 mixture.

wall A.

Coping $.5 \times .22 = .11$
 wall $.42 \times 3.78 = 1.59$
 $.82 \times 1.0 = .82$
 $2.52 \times 2.85 = 7.14$
 base $3.6 \times .6 = 1.9 = 4.11$
 $1.4 \times .6 = 2.18 = 1.83$
5.94



13.08 m³

wall B.

Coping $.5 \times .22 = .11$
 wall $.42 \times 3.78 = 1.59$
 base $.6 \times 3.2 = 1.92$
 $3.62 \times 1.2 = 4.34$

wall C.

Coping $.5 \times .22 = .11$
 wall $.39 \times 2.78 = 1.09$
 base $.6 \times 2.5 = 1.50$

$2.70 \times 1.67 = 4.51$

wall D.

Column $1.0 \times 1.0 \times 2.2 = 2.20$
 wall $.4 \times .36 \times 2.05 = 0.30$
 base $.5 \times 2.5 \times 1.4 = 1.75$
4.25

Summary 26.18 m³ for one side

Total concrete for 2 walls = $2 \times 26.18 = 52.36$ m³

Reinforcements

Deformed Bars.
 1.439 kg tons for one wall.
 2.878 " " for 2 walls.

See drawings.

Forms.

wall A. $5.1 \times 3.48 = 17.75$
 " " $5.1 \times 2.64 = 13.46$
 " B $4.1 \times 2 \times 1.2 = 9.84$
 " C $3.1 \times 2 \times 1.67 = 10.35$
 " D $4.4 \times 2.2 = 9.68$

End of base A $.6 \times 10.98 = 6.59$
 " " $1.0 \times .4 = .40$
 " B $.6 \times 7.8 = 4.68$
 " " $1.0 \times .4 = .40$
 " C $.6 \times 7.8 = 4.68$
 " " $.54 \times .4 = .22$
 " D $.5 \times 7.82 = 3.66$
 " " $.48 \times .3 = .14$

Total wall for one wall. 81.85 Call this 81.9 m²
 for 2 walls. 163.8

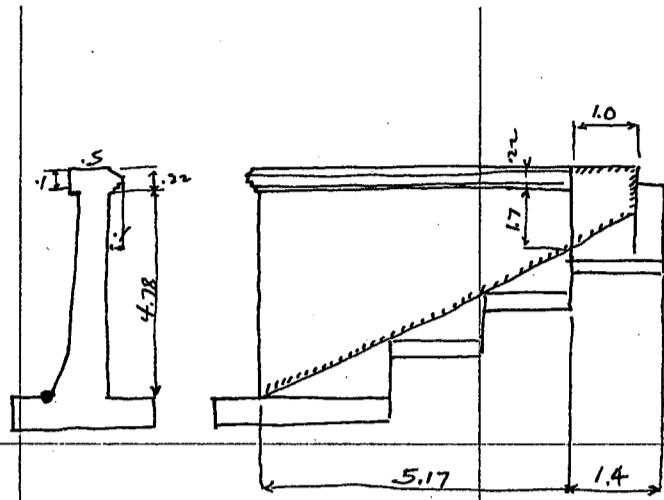
Foundation piles 杉木 18cm 長 5.5m long 内地表杭
30 piles for one wall.
60 " " 2 walls.

CALCULATIONS FOR

Materials of Juiso-Bashi for Osaka prefecture.

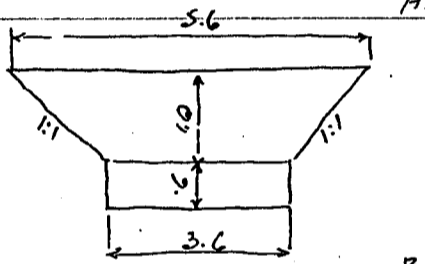
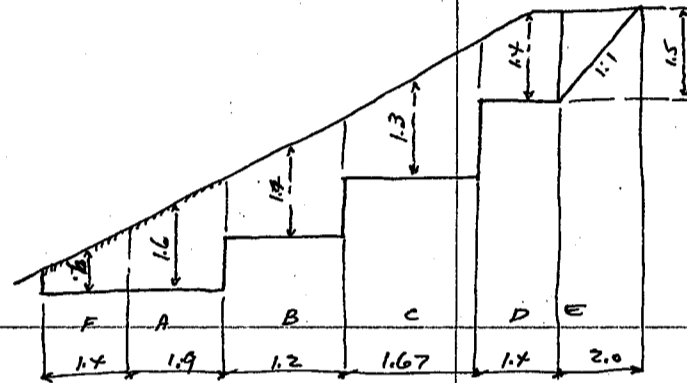
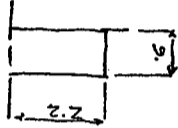
人造洗出し

Coping	.92 × 6.35	=	5.84
less handrail	.28 × 5.75	= (-)	1.61
wall	3.24 × 5.17	=	16.75
"	4.78 × 1.18	=	5.64
Column	1.56 × 1.0	=	1.56
"	1.9 × .35	=	.66
"	1.0 × .15	=	.15
" top.	1.0 × 1.0	=	1.00
" less	.6 × .6	= (-)	.36
Total finish for one wall = 29.80 m ²			
for 2 walls = <u>59.60 m²</u>			

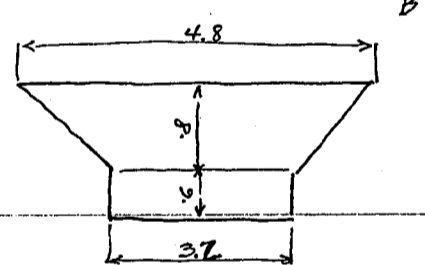


Excavation.
Cross-sectional area.

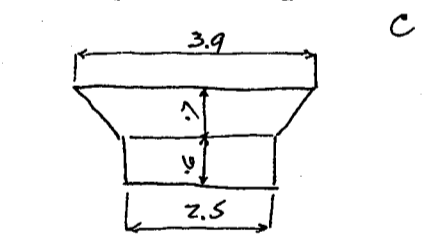
F $2.2 \times 0.6 = 1.32 \text{ m}^2$



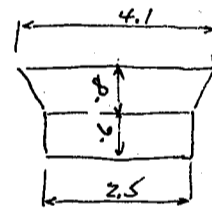
A $3.6 \times .6 = 2.16$
 $4.6 \times 1.0 = \frac{4.60}{6.76 \text{ m}^2}$



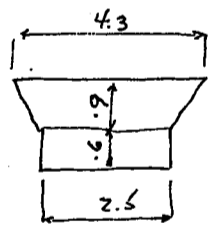
B $3.2 \times .6 = 1.92$
 $4.0 \times .8 = \frac{3.20}{5.12 \text{ m}^2}$



C $2.5 \times .6 = 1.50$
 $3.2 \times .7 = \frac{2.24}{3.74 \text{ m}^2}$



D $2.5 \times .6 = 1.50$
 $3.3 \times .8 = \frac{2.64}{4.14 \text{ m}^2}$



E $2.5 \times .6 = 1.50$
 $3.4 \times .9 = \frac{3.06}{4.56 \text{ m}^2}$

Excavation.

F	1.32 × 1.4	=	1.85
A	6.76 × 1.9	=	12.85
B	5.12 × 1.2	=	6.14
C	3.74 × 1.67	=	6.24
D	4.14 × 1.4	=	5.80
E	4.56 × $\frac{2.0}{2}$	=	4.56
<hr/>			
			37.44 m ³ for one wall
			<u>74.88 m³</u> for 2 walls.

CALCULATIONS FOR

Materials of Juiso-Bashi for Osaka prefecture.

Base front + rear	$0.9 \times 26.1 \times 2$	=	46.95 ✓	
" side	$0.9 \times 6.5 \times 2$	=	11.70 ✓	
" "	$0.6 \times 2.92 \times 2$	=	3.51 ✓	
" rear fillet	0.85×16.0	=	13.60 ✓	
Buttress A. sides	$1.214 \times 5.35 \times 2 \times 7$	=	90.80 ✓	
" rear	$6.55 \times 1.0 \times 7$	=	45.85 ✓	
" bott. fillet	$0.78 \times 2.264 \times 4$	=	7.06 ✓	
" "	$0.67 \times 2.264 \times 10$	=	15.17 ✓	
			<u>590.47 m²</u>	
Buttress B. sides	$2.7 \times 6.15 \times 4$	=	66.40 ✓	
" rear	$6.75 \times .6 \times 2$	=	8.10 ✓	
" bott. fillet	$0.67 \times 2.4 \times 4$	=	6.43 ✓	
" top, side	$1.0 \times 1.515 \times 4$	=	6.06 ✓	
" " rear	$.6 \times 1.515 \times 2$	=	1.82 ✓	
			<u>88.81 m²</u>	
Buttress C. inside	$2.7 \times 8.16 \times 2$	=	44.10 ✓	
less slab area	$.495 \times 1.0 \times 2$	=	(-) .99 ✓	
" "	$.8 \times 2.81 \times 2$	=	4.49 ✓	
" projection	$.2 \times 2.5 \times 4$	=	2.00 ✓	
" bott.	$.2 \times 1.0 \times 2$	=	.40 ✓	
" outside fillet	$.67 \times 2.4 \times 2$	=	3.21 ✓	
" outside	$3.2 \times 8.16 \times 2$	=	52.21 ✓	
" front	$0.2 \times 5.35 \times 2$	=	2.14 ✓	
" "	$.8 \times 2.81 \times 2$	=	4.50 ✓	
" projection	$.2 \times 8.76 \times 2$	=	3.51 ✓	
" "	$.2 \times 2.5 \times 4$	=	2.00 ✓	
" bott.	$.2 \times 1.0 \times 2$	=	.40 ✓	
" coping	$.08 \times 1.082 \times 2$	=	.17 ✓	
" rear	$8.76 \times .6 \times 2$	=	10.51 ✓	
" bott.	$.8 \times .6 \times 2$	=	.96 ✓	
" slab. bott. rear	$1.7 \times 1.0 \times 2$	=	3.40 ✓	
" strut.	$.495 \times 2.1 \times 2$	=	2.08 ✓	
" "	$2.22 \times 1.5 \times 2$	=	6.66 ✓	
" less strut area	$.62 \times .8 \times 4$	=	(-) 1.99 ✓	
" fillet rear face A	$.5 \times .6 \times 2$	=	.60 ✓	
" "	$.3 \times .6 \times 8$	=	1.44 ✓	
			<u>141.80 m²</u>	
			<u>Total forms for abutment A3 = 821.08 m²</u>	

Forms for Abutment A4

parapet, front wall, buttress A, base etc		=	592.94 m ²	Same as for A3.
Buttress B. inside buttress es.		=	88.81	
" outside	$88.81 - 6.43 + .6 \times 2.4 \times 2$	=	88.47 ✓	± fillet outside.
wing front	$2.81 \times 1.537 \times 2$	=	8.63 ✓	
" "	$1.737 \times 1.25 \times 2$	=	4.34 ✓	
" rear	$.937 \times 3.565 \times 2$	=	6.68 ✓	
" outside	$4.00 \times 2.81 \times 2$	=	22.50 ✓	
" "	$2.582 \times 0.625 \times 2$	=	3.23 ✓	
" inside	$3.50 \times 2.81 \times 2$	=	19.67 ✓	
" "	$2.082 \times 0.625 \times 2$	=	2.60 ✓	
" less slab area	$1.0 \times .495 \times 2$	=	(-) .99 ✓	
" projection	$.2 \times 3.45 \times 2$	=	1.38 ✓	
" "	$.2 \times 2.5 \times 8$	=	4.00 ✓	
" bott.	$.2 \times 1.0 \times 4$	=	.80 ✓	
" rear	$.6 \times 2.81 \times 2$	=	3.37 ✓	
" bottom	$.6 \times 4.32 \times 2$	=	5.18 ✓	
" (col.)	$.2 \times 1.5 \times 2$	=	.60 ✓	
" coping	$.08 \times 1.082 \times 2$	=	.17 ✓	

CALCULATIONS FOR

Materials of Jinso-Bashi for Osaka prefecture.

Slab under pedestal	$1.7 \times 1.0 \times 2 = 3.40$	✓
"	$.495 \times 3.64 \times 2 = 3.61$	✓
"	$.937 \times 1.0 \times 2 = 1.87$	✓
Structs	$3.636 \times 2.64 \times 2 = 15.95$	✓
"	$2.22 \times 2 \times 2 \times 2 = 5.33$	✓
" end.	$.4 \times .618 \times 2 = .50$	✓
" less end area	$.618 \times 1.2 \times 2 = (-) 1.48$	✓
"	$.618 \times .8 \times 2 = (-) .99$	✓
fillet rebar faces.	$.5 \times .6 \times 2 = .60$	✓
"	$.3 \times .6 \times 8 = 1.44$	✓

Total forms for abutment A4 = 882.61 m²

Reinforcements Deformed Bars.

Abutment A3 -- 20.493 kg tons see drawings.
Abutment A4 -- 21.356 ✓ "

人造洗出し上.

Abutment A3.

parapet wall	$2.31 \times 5.3 \times 2 = 24.49$	✓
"	$0.5 \times 2.9 \times 2 = 2.90$	✓
Wing	$2.95 \times 3.582 \times 2 = 21.15$	✓
" col. front.	$.2 \times 1.14 \times 2 = .46$	✓
"	$.2 \times 3.1 \times 2 = 1.24$	✓
"	$.2 \times 2.5 \times 2 = 1.00$	✓
"	$.2 \times 2.0 \times 2 = .80$	✓
" coping	$.08 \times 1.082 \times 2 = .17$	✓
" coping	$.10 \times 6.88 \times 2 = 1.38$	✓
" coping top.	$1.5 \times 2.9 \times 2 = 8.70$	✓
"	$.68 \times 1.08 \times 2 = 1.47$	✓

less handrail area.
 $1.2 \times 1.2 \times 2 = (-) 2.88$ ✓
 $.6 \times .6 \times 2 = (-) .72$ ✓
 $.4 \times \frac{2.98}{1.13} \times 2 = (-) \frac{2.38}{1.13}$ ✓
Total area of finish for A3 = 59.78 sq. m.

Abutment A4.

Total area of finish for A4 = 59.78 ✓
parapet add. $1.537 \times 3.95 \times 2 = 12.14$ ✓
top of slab $1.537 \times 1.5 \times 2 = 4.61$ ✓
less handrail area $.4 \times 1.537 \times 2 = (-) 1.23$ ✓
coping $.1 \times 1.537 \times 2 = .31$ ✓

Total area of finish for A4 = 75.61 sq. m.

踏掛石 花崗石.

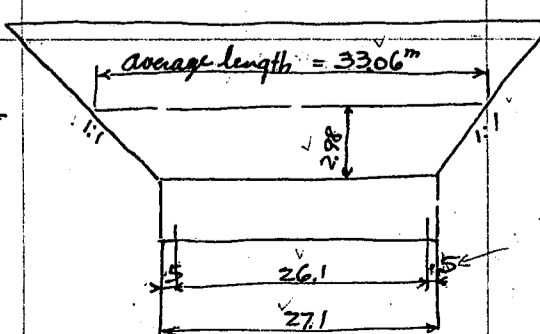
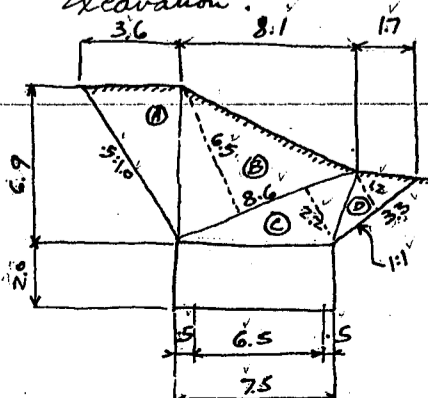
$10 \times .2 \times .25 \times .87 = 0.435$ m³ for abutment A3 + A4 each.

Foundation piles.

米松 末口 10吋長 60呎 $7 \times 29 = 203$ 本 for abutment A3 + A4 each.

Excavation.

Center of gravity:
△A $36 \times 6.9 \div 2 = 12.42 \times 4.6 = 57.1$ ✓
△B $8.6 \times 6.5 \div 2 = 27.95 \times 3.1 = 86.6$ ✓
△C $8.6 \times 2.2 \div 2 = 9.46 \times .8 = 7.6$ ✓
△D $33 \times 1.2 \div 2 = 1.98 \times 1.55 = 3.1$ ✓
51.81 m² $\times 298 = 154.4$ ✓



割栗地形

$6.5 \times 26.1 \times 0.5 = 84.8$ m³ for one abutment of A3 or A4.

Excavation $51.81 \times 33.06 = 1715$ ✓
 $7.5 \times 27.1 \times 2.0 = 406$ ✓
2121 cubic meters for A3 + A4 each.

CALCULATIONS FOR

Materials of Juso Bashi for Osaka prefecture.

Pneumatic Caisson for Piers P7 + P8. $6.5^m \times 23.2^m$ height 28 meters.

Concrete 1:2:4 mixture.

Section 0 to 1.0^m from top.

Sectional area.

$$16.7 \times 0.5 \times 2 = 16.70 \checkmark$$

$$6.5^2 - 5.5^2 = \frac{9.42 \checkmark}{2}$$

$$26.12^{\circ m} \times 1.0^{\checkmark} = 26.12^{\checkmark} \text{ cub. m.}$$

Section 1.0^m to 2.0^m from top.

Sectional area.

$$2.85 \times 5 \times 4 = 5.70 \checkmark$$

$$6.5^2 - 5.5^2 = 9.42 \checkmark$$

$$11.0 \times 1.0 \times 2 = 22.00 \checkmark$$

$$4.5 \times 1.0 \times 1 = 4.50 \checkmark$$

$$4.5 \times 0.5 \times 2 = 4.50 \checkmark$$

$$\frac{0.5 \times 0.5}{2} \times 8 = \frac{1.00 \checkmark}{2}$$

$$47.12^{\circ m} \times 1.0^{\checkmark} = 47.12^{\checkmark} \text{ cub. meter}$$

Section 2.0^m to 23.0^m from top.

Sectional area.

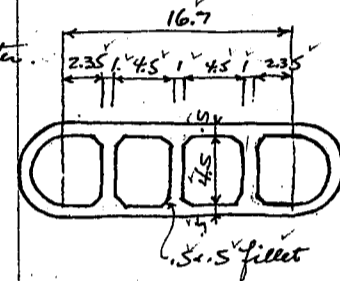
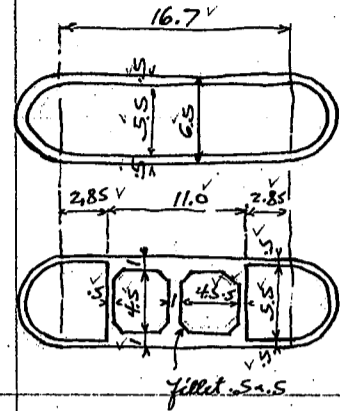
$$16.7 \times 1.0 \times 2 = 33.40 \checkmark$$

$$6.5^2 - 4.5^2 = 17.28 \checkmark$$

$$4.5 \times 1.0 \times 3 = 13.50 \checkmark$$

$$\frac{0.5 \times 0.5}{2} \times 12 = 1.50 \checkmark$$

$$65.68^{\circ m} \times 21.0^{\checkmark} = 1379.28^{\checkmark} \text{ cub. meter}$$



Fillet at bottom
length

area $0.5 \times 0.275 = 0.138^{\circ m} \checkmark$

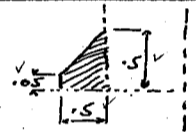
$$4.5 \times 2 \times 2 = 18.0 \checkmark$$

$$2.35 \times 2 \times 2 = 9.4 \checkmark$$

$$4.17 \checkmark = 13.1 \checkmark$$

$$(4.5 - 3.3) \times 6 = 7.2 \checkmark$$

$$65.5^{\circ m} \times 138^{\checkmark} = 9.04^{\checkmark} \text{ cub. meter}$$



Total Concrete for Shell = 1461.56 cub. meter.

working chamber.

Top floor.

$$16.7 \times 6.5 = 108.55 \checkmark$$

$$6.5^2 = 33.18 \checkmark$$

holes less

$$1.22^2 \times 2 = (-) 2.97 \checkmark$$

$$139.39^{\circ m} \times 1.5^{\checkmark} = 209.09^{\checkmark} \text{ cub. meter.}$$

Cutting edge.

Sectional area

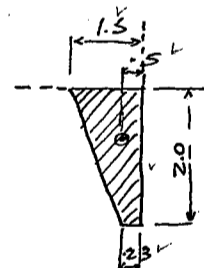
length

$$.865 \times 2.0 = 1.73^{\circ m} \checkmark$$

$$16.7 \times 2 = 33.40^{\circ m} \checkmark$$

$$5.5^2 = 30.25^{\circ m} \checkmark$$

$$50.68^{\circ m} \times 1.73^{\checkmark} = 87.68^{\checkmark} \text{ cub. meter}$$



Total Concrete for working chamber = 296.77 cub. meter.

Base Concrete.

working chamber filling.

Top area

$$16.7 \times 3.5 = 58.45 \checkmark$$

$$3.5^2 = 12.25 \checkmark$$

$$60.7^{\circ m} \checkmark$$

Bottom area

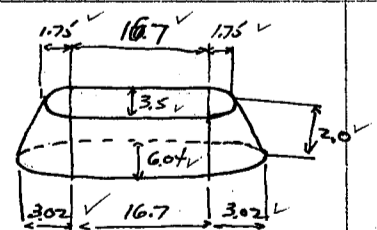
$$16.7 \times 6.04 = 100.87 \checkmark$$

$$6.04^2 = 36.48 \checkmark$$

$$129.52^{\circ m} \checkmark$$

Average area = $\frac{60.7 + 129.52}{2} = 95.11^{\circ m} \checkmark$

volume of filling $95.11 \times 2.0 = 190.22^{\checkmark} \text{ cub. m.}$



Base.

area.

$$16.7 \times 8.5 = 141.95 \checkmark$$

$$8.5^2 = 72.25 \checkmark$$

$$198.70^{\circ m} \times 1.5^{\checkmark} = 298.05 \checkmark$$

less

$$.35 \times 1.0 \times 2 = 0.70 \checkmark$$

$$.35 \times 1.0 \times 7.84 = 2.74 \checkmark$$

$$(-) 20.31 \checkmark$$

$$277.74^{\checkmark} \text{ cub. m.}$$

Total Base concrete = 475.34 cub. meter

CALCULATIONS FOR

Materials of Juso Basili for Osaka prefecture.

Summary of concrete for Pneumatic Caisson. Piers P7 & P8

Concrete for Shell	1,461.56 v	} 1,758.33 m ³ v
" working chamber	296.77 v	
Base concrete	475.34 v	
	<u>2,233.67</u> v	cu. meters.

Forms.

Section 0.0m to 1.0m from top.

Straight	16.7 x 4 = 66.8 v	} 104.5 v om.
Or end	6.5 x 4 = 20.42 v	
"	5.5 x 4 = 17.28 v	
	<u>104.5</u> v om.	

Section 1.0m to 2.0m from top.

Straight outside	16.7 x 2 = 33.40 v
Or end	6.5 x 4 = 20.42 v
Straight inside	2.85 x 4 = 11.40 v
"	3.5 x 8 = 28.00 v
Or end	5.5 x 2 = 11.00 v
"	5.5 x 4 = 17.28 v
Fillet	0.71 x 8 = 5.68 v

109.90 x 1.0 v = 109.90 om
127.18 v

Section 2.0m to 22.5v

Straight outside	16.7 x 2 = 33.40 v
Or end	6.5 x 4 = 20.42 v
Straight inside	1.85 x 4 = 7.40 v
"	3.5 x 10 = 35.00 v
Fillet	0.71 x 12 = 8.52 v
Or end	4.5 x 4 = 14.14 v

118.88 v x 20.5 v = 2,437.64 v

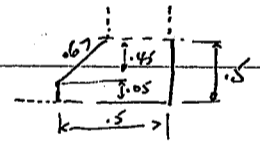
Section 22.5m to 23.0m

Straight outside	16.7 x 2 = 33.40 v
Or end	6.5 x 4 = 20.42 v
Straight inside	1.85 x 4 = 7.40 v
"	4.5 x 4 = 18.00 v
partition	4.17 x 6 = 25.02 v
Circular end	4.5 x 4 = 14.14 v

67.56 v x 0.67 v = 43.26 v

Total form for shell

= 2,738.89 v
Call this 2,738.9 sq. meter.



Working chamber

Bottom of slab: no form required.

Cutting edge inside	16.7 x 2 = 33.40 v
"	4.4 x 4 = 13.82 v
	<u>47.22</u> v
	47.22 x 1.82 v = 85.94 v

Out side	16.7 x 2 = 33.40 v
"	6.5 x 4 = 20.42 v
	<u>53.82</u> v

less plate	1.2 x 6 = -7.20 v
	<u>46.62</u> v

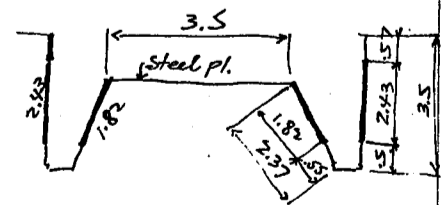
46.62 v x 2.43 v = 113.29 v

Total form for working chamber

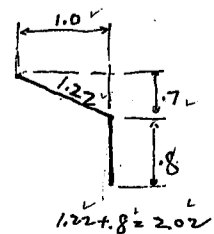
	16.7 x 2 x 2.02 = 67.47 v
	8.5 x 0.8 = 21.36 v
	7.5 x 1.22 = 28.74 v

Total form for footing

117.57 sq. meter



Footing



CALCULATIONS FOR

Materials for Juso Bashi for Osaka Prefecture

<p>Summary of Forms for Pneumatic caisson. Piers P7+P8</p> <p>Form for Shell = 2738.9 ✓ working chamber = 199.2 ✓</p> <p>Footing of Base = 117.6 ✓</p> <p style="text-align: right;">2938.1 ✓ ----- 損料. 117.6 ✓ ----- 材料埋殺し <u>3055.7</u> ✓ sq. meter.</p>		
<p>Reinforcements for Pneumatic caisson P7+P8 Deformed Bars 88538kg tons.</p>		
<p>Structural steel for working chamber. ⁵⁹⁹ 43495 kg tons.</p>		
<p>Pneumatic Caisson for Piers P9-P10, P11+P6 Total Height 270 meters. Concrete 1:2:4 mixture.</p> <p>Shell concrete for 28" caisson = 1461.56 ✓ less 1.0" of shell. 65.68" = 1.0 = (-) 65.68 ✓</p> <p>Total concrete for shell = 1395.88 cub. meter } 1692.65 " " working chamber = 296.77 ✓ " " base + fill = 475.34 ✓</p> <p style="text-align: right;"><u>2167.99</u> ✓ Cub. meter.</p>		
<p>Forms.</p> <p>Shell forms for 28" caisson = 2738.89 ✓ less 1.0" of shell 118.88" = 1.0 ✓ = (-) 118.88 ✓</p> <p>Total form for shell = 2620.01 ✓ " " working chamber = 199.23 ✓</p> <p style="text-align: right;">2819.24 ✓ ----- 損料 117.6 ✓ ----- 材料埋殺し <u>2936.84</u> ✓ sq. meter.</p>		
<p>Reinforcements for Pneumatic caisson Deformed Bars 84873kg tons.</p>		
<p>Structural steel for working chamber ⁵⁹⁹ 43495 kg tons.</p>		

CALCULATIONS FOR

Materials for Juso Basti for Osaka Prefecture.

Excavation for Pneumatic Caissons.

Sectional area of caisson
 $16.7 \times 6.5 = 108.55 \checkmark$
 $6.5 \times 6.5 = 33.18 \checkmark$
 $\frac{108.55 \checkmark}{141.73 \text{ m}^2}$

Volume of Base.
 $16.7 \times 8.5 = 141.95 \checkmark$
 $8.5 \times 8.5 = 56.75 \checkmark$
 $\frac{141.95 \checkmark}{198.70 \text{ m}^3} \times 1.5 = 298.05 \checkmark$

less. clamber $35 \times 1.0 \times 16.7 \times 2 = 11.09 \checkmark$

$35 \times 1.0 \times 7.8 \times 2 = 8.62 \checkmark$

$(-20.31) \checkmark$
 $277.74 \text{ Cul meters}$

Excavation for Several Piers.

Pier nos.

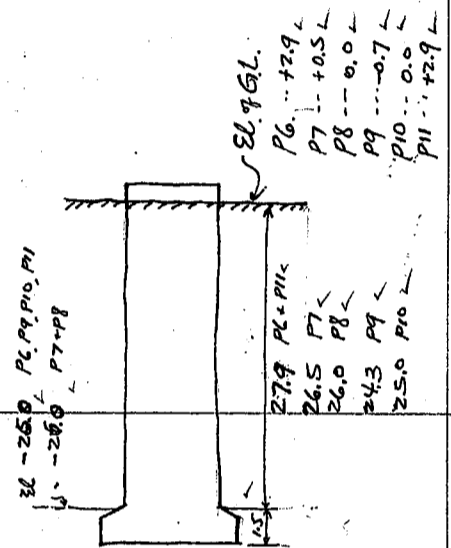
Caisson

Base

Total Excav. under G.L.

P6	$141.73 \times 27.9 = 3955 \checkmark$	$+ 277.74 \checkmark = 4232.7 \checkmark \text{ m}^3$
P7	$26.5 \times 26.5 = 3755 \checkmark$	$+ \text{ " } = 4032.7 \checkmark$
P8	$26.0 \times 26.0 = 3685 \checkmark$	$+ \text{ " } = 3962.7 \checkmark$
P9	$24.3 \times 24.3 = 3445 \checkmark$	$+ \text{ " } = 3772.7 \checkmark$
P10	$25.0 \times 25.0 = 3545 \checkmark$	$+ \text{ " } = 3822.7 \checkmark$
P11	$27.9 \times 27.9 = 3955 \checkmark$	$+ \text{ " } = 4232.7 \checkmark$

<i>Average Excavation for P6 & P11</i> ✓	$4232.7 \checkmark$
<i>" " P7 & P8</i> ✓	$3997.7 \checkmark$
<i>" " P9 & P10</i> ✓	$3772.7 \checkmark$



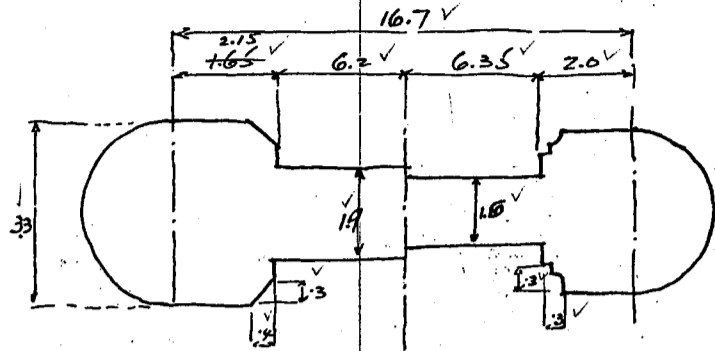
CALCULATIONS FOR

Materials for Jiuse Basins for Osaka prefecture

Materials for Pier Shaft. Piers P7, P8, P9, P10

Concrete 1:2:4 mixture.

Coping	$2.15 \times 3.3 \times 2 =$	$14.19 \checkmark$
	$3.3 \times \checkmark =$	$8.55 \checkmark$
	$1.9 \times 12.4 \checkmark =$	$23.56 \checkmark$
Chamfer less.	$3 \times 4 \times 2 =$	$0.24 \checkmark$
	$46.06 \times 0.5 =$	$23.03 \checkmark$



Shaft.

Pier P7 + P10

Pier P8 + P9

Top section		Bottom section		Top section		Bottom section	
$3.0 \times 2.0 \times 2 =$	$12.00 \checkmark$	$4.188 \times 2.0 \times 2 =$	$16.75 \checkmark$	$4.207 \times 2.0 \times 2 =$	$16.83 \checkmark$	$4.207 \times \checkmark =$	$13.90 \checkmark$
$3.0 \times \checkmark =$	$7.07 \checkmark$	$4.188 \times \checkmark =$	$13.75 \checkmark$	$4.207 \times \checkmark =$	$13.90 \checkmark$		
less $3 \times 3 \times 2 =$	$0.18 \checkmark$	less	$0.18 \checkmark$	less	$0.18 \checkmark$		
	$18.89 \checkmark$		$30.32 \checkmark$		$18.89 \checkmark$		$30.55 \checkmark$
	Average area = $24.61 \checkmark$				Average area = $24.72 \checkmark$		

Concrete for Shaft Piers P7 + P10
Piers P8 + P9

$24.61 \times 7.13 = 175.47 \checkmark$ Cub meter.
 $24.72 \times 7.24 = 178.97 \checkmark$

Inside projection shaft. Piers P7 + P10
Piers P8 + P9

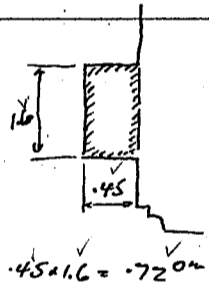
$0.72 \times 2 \times 7.13 = 10.27 \checkmark$ Cub meter.
 $0.72 \times 2 \times 7.24 = 10.43 \checkmark$

Top Strut.

$1.6 \times 2.0 \times 11.8 = 37.76 \checkmark$ Cub. meter.

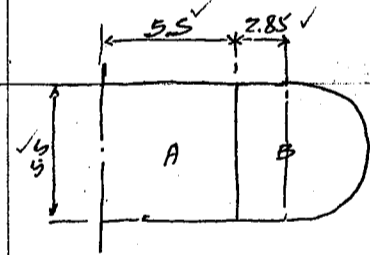
Curtain wall.

section $11.8 \times 1.0 = 11.8 \checkmark$
Piers P7 + P10 $11.8 \times 5.13 = 60.53 \checkmark$ Cub meter.
Piers P8 + P9 $11.8 \times 5.24 = 61.83 \checkmark$



Base of shaft. (Top fill of caisson).

Area A.	$5.5 \times 5.5 =$	$30.25 \checkmark$
	$30.25 \times 1.0 \times 2 =$	$60.50 \checkmark$
Area B.	$5.5 \times 2.85 =$	$15.68 \checkmark$
	$5.5 \times 2 \times \checkmark =$	$11.88 \checkmark$
		$27.56 \checkmark$
	$27.56 \times 2.0 \times 2 =$	$110.24 \checkmark$
		$170.74 \checkmark$ Cub. meter.



Summary of Concrete for Shaft.

	Piers P7 + P10	Piers P8 + P9
Coping	$23.03 \checkmark$	$23.03 \checkmark$
Shaft	$175.47 \checkmark$	$178.97 \checkmark$
Inside projection of shaft	$10.27 \checkmark$	$10.43 \checkmark$
Top Strut	$37.76 \checkmark$	$37.76 \checkmark$
Curtain wall	$60.53 \checkmark$	$61.83 \checkmark$
Base of shaft	$170.74 \checkmark$	$170.74 \checkmark$
	$477.80 \checkmark$ Cub. meter	$482.76 \checkmark$ Cub. meter

Chairs for stringers.

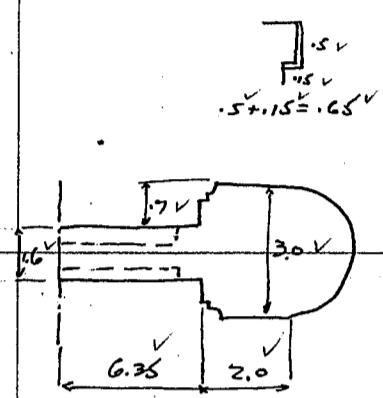
$2.44 \checkmark$
 $480.24 \checkmark$ Cub. meter $2.44 \checkmark$
 $485.20 \checkmark$ Cub. meter for one pier.

Chairs for Stringer Bearings.

$1.5 \times 0.8 \times 1.02 = 1.22 \checkmark$ Cub. meter
for 2 chairs $1.22 \times 2 = 2.44 \checkmark$ Cub. meter.
Average $482.72 \checkmark$ Cub. meter

CALCULATIONS FOR

Materials of Juso-Bashi for Osaka Prefecture

<p>Forms for Piers P7, P8, P9, or P10 Coping Total length of perimeter.</p>	<p> $2.15 \times 4 = 8.60 \checkmark$ $0.7 \times 4 = 2.80 \checkmark$ $12.4 \times 2 = 24.80 \checkmark$ $3.3 \checkmark = 10.37 \checkmark$ $46.57 \checkmark \times 0.65 \checkmark = 30.27 \checkmark \text{ sq. meter}$ </p>	
<p>Shaft, strut & walls. Total perimeter of top section</p>	<p> $6.35 \times 4 = 25.40 \checkmark$ $2.0 \times 4 = 8.00 \checkmark$ $0.7 \times 4 = 2.80 \checkmark$ $3.0 \checkmark = 9.42 \checkmark$ $45.62 \text{ m} \checkmark$ for all piers </p>	
<p>Total length of perimeter at bottom section.</p>	<p> Piers P7 + P10 $6.35 \times 4 = 25.40 \checkmark$ $2.0 \times 4 = 8.00 \checkmark$ $1.297 \times 4 = 5.18 \checkmark$ $4.188 \checkmark = 13.16 \checkmark$ Bottom $51.74 \checkmark$ Top $45.62 \checkmark$ $97.36 \checkmark$ Average $48.68 \text{ m} \checkmark$ </p>	<p> Piers P8 + P9 $6.35 \times 4 = 25.40 \checkmark$ $2.0 \times 4 = 8.00 \checkmark$ $1.307 \times 4 = 5.22 \checkmark$ $4.207 \checkmark = 13.23 \checkmark$ Bottom $51.85 \checkmark$ Top $45.62 \checkmark$ $97.47 \checkmark$ Average $48.74 \text{ m} \checkmark$ </p>
<p>Form for P7 + P10 " " P8 + P9</p>	<p> $48.68 \times 7.13 \checkmark = 347.09 \checkmark \text{ sq. meter}$ $48.74 \times 7.24 \checkmark = 352.88 \checkmark$ </p>	
<p>Depression between strut & wall. Total length</p>	<p> $11.8 \checkmark + 4.63 \checkmark = 16.43 \checkmark$ for P7 + P10 $11.8 \checkmark + 4.77 \checkmark = 16.54 \checkmark$ for P8 + P9 width $1.6 \checkmark - 1.0 \checkmark = 0.6 \text{ m} \checkmark$ </p>	
<p>Form for P7 + P10 " " P8 + P9</p>	<p> $16.43 \checkmark \times 0.6 \checkmark = 9.86 \checkmark \text{ sq. meter}$ $16.54 \checkmark \times 0.6 \checkmark = 9.92 \checkmark$ </p>	
<p>Stringer bearing chain.</p>	<p> $4.6 \checkmark \times 1.02 \checkmark \times 2 \checkmark = 9.38 \checkmark \text{ sq. meter}$ </p>	
<p>Summary of Forms for Pier shafts. P7, P8, P9, + P10 (損料一部)</p>	<p> Piers P7 + P10 Coping $30.27 \checkmark$ Shaft, strut, & wall $347.09 \checkmark$ Depression, wall $19.86 \checkmark$ Stringer bearing chain $9.38 \checkmark$ $396.60 \checkmark \text{ sq. meter}$ </p>	<p> Piers P8 + P9 $30.27 \checkmark$ $352.88 \checkmark$ $19.92 \checkmark$ $9.38 \checkmark$ $402.45 \checkmark \text{ sq. meter}$ for one pier average $399.53 \checkmark \text{ meter}$. </p>
<p>Bottom of Base of shaft. (埋殺の一部)</p>	<p> $4.5 \times 4.5 \times 2 \checkmark = 40.5 \checkmark$ $4.5 \times 2.35 \times 2 \checkmark = 21.15 \checkmark$ $4.5 \checkmark = 15.90 \checkmark$ $5 \times 5 \times 6 \checkmark = 150 \checkmark$ $76.05 \checkmark \text{ sq. meter}$ </p>	

CALCULATIONS FOR

Materials for Giiso Basu for Osaka Prefecture

Reinforcements for Shaft. Piers P7, P8, P9 + P10

Deformed Bars.

For Piers P7 and P10 17.122^v kg tons. see drawing of pier shaft.
" " P8 and P9 17.122^v "

Materials for Piers P6 + P11. Shaft.

Shaft. Concrete 1:2:4 mixture.

Coping for P7 etc = 23.03^v Cub. meters.
 $3 \times 5 \times 124 = 186$

Shaft. Top section
Same as for P7 etc

Bottom section. ²⁴⁸⁹ _{minim}
 $4.055 \times 2.0 \times 2 = 16.22$ ^v
 $4.055 \times 2 = 8.11$ ^v
less corner $3 \times 3 \times 2 = 18$ ^v
28.95^v

18.89^{om}

average area = 23.92^{om}

Concrete for shaft = $23.92 \times 6.33 = 151.41$ ^v Cub. meters.

Inside projection of shaft.

$1.9 \times 0.45 = 0.855 \times 2 \times 6.33 = 10.82$ ^v Cub. meters

Top Strut. ^{mean} $1.9 \times 2.0 \times 11.8 = 44.84$ ^v Cub. meter.

Curtain wall section $1.0 \times 11.8 = 11.8$ ^{om}
 $11.8 \times 4.33 = 51.09$ ^v Cub. meters.

Base of shaft same as for P7 etc. = 170.74^v Cub. meters

Chairs for truss shoes. $1.5 \times 1.8 \times .57 \times 2 = 3.08$ ^v Cub. meter.

Chairs for stringer bearing. $8 \times 8 \times .59 \times 2 = 2.04$ ^v Cub. meter

Summary of Concrete for Pier Shaft P6 + P11.

Coping 24.89^v

Shaft. 151.41^v

Inside projection of shaft. 10.82^v

Top Strut. 44.84^v

Curtain wall 51.09^v

Base of shaft. 170.74^v

Chair for truss shoes 3.08^v

" " stringer bearing 2.04^v

458.91^v Cub. meter

Reinforcements for Shaft P6 and P11.

Deformed Bars.

15208 kg tons. see drawing of pier shaft.

CALCULATIONS FOR

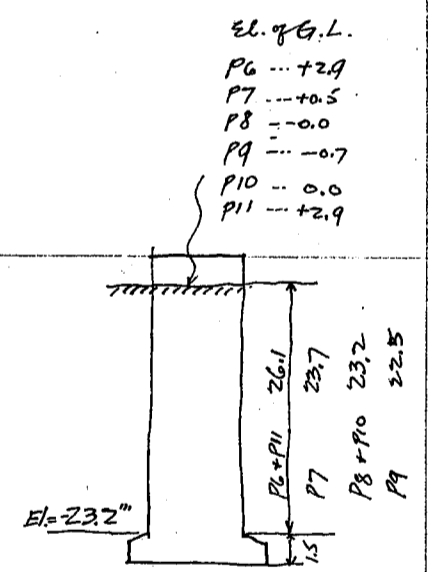
Materials of Juso Basili for Osaka Prefecture.

Forms for Pier shaft. P6 + P11 Coping	<p>Total length of perimeter</p> $2.15 \times 4 = 8.60 \checkmark$ $0.7 \times 2 = 1.40 \checkmark$ $0.4 \times 2 = 0.80 \checkmark$ $12.4 \times 2 = 24.80 \checkmark$ $3.30 \checkmark = 1037$ $45.97 \times 0.65 = 29.88 \checkmark$ square meter.		
Shaft strut and wall.	<p>Total length of perimeter at top section.</p> $6.35 \times 4 = 25.40 \checkmark$ $2.0 \times 4 = 8.00 \checkmark$ $0.7 \times 2 = 1.40 \checkmark$ $0.4 \times 2 = 0.80 \checkmark$ $3.0 \checkmark = 9.42 \checkmark$ $45.02 \text{ m} \checkmark$		
	<p>Total length of perimeter at bottom section.</p> $6.35 \times 4 = 25.40 \checkmark$ $2.0 \times 4 = 8.00 \checkmark$ $12.28 \times 2 = 24.56 \checkmark$		
	$0.928 \times 2 = 1.86 \checkmark$ $4.055 \checkmark = 12.73 \checkmark$ $50.45 \checkmark$ <p>Average = $47.74 \text{ m} \checkmark$</p> <p>Form = $47.74 \times 6.33 = 302.19 \checkmark$ square meter. </p>		
Depression between strut and wall.	<p>Total length $11.8 + 3.83 \times 2 = 19.46 \text{ m}$</p> <p>width = $1.9 - 1.0 = 0.9 \text{ m} \checkmark$</p> <p>form = $19.46 \times 0.9 = 17.51$ square meter. </p>		
Chairs for truss shoe.	$0.57 \times 6.6 \times 2 = 7.52 \checkmark$ square meter.		
Chairs for stringers	$8.4 \times 1.60 \times 2 = 10.24$ square meter.		
Bottom of Base of shaft. Same as for P7 + c	$76.05 \checkmark$ square meter.		
Summary of Forms for Pier shaft P6 + P11	<p>Coping $29.88 \checkmark$</p> <p>Shaft wall + strut $302.19 \checkmark$</p> <p>Depression wall $17.51 \checkmark$</p> <p>Chair, truss shoes $7.52 \checkmark$</p> <p>Chairs stringers $10.24 \checkmark$</p> <p>to $367.34 \text{ m} \checkmark$</p> <p>Bottom of base for shaft. $76.05 \text{ m} \checkmark$</p> <p>Total form for one pier = $443.39 \checkmark$</p> <p>----- (損料) 部</p> <p>----- (埋設) 部</p>		

CALCULATIONS FOR

Materials of Jiuo Basu for Osaka Prefecture.

Pneumatic Caisson. 6.5m x 23.2m - 25.2m height. Refer to page A82.			
Concrete 1:2:4 mixture			
Section 0 to 1.0 meter from top.	$26.12 \times 1.0 = 26.12$ cub meters.		
Section 1.0m to 2.0m from top	$47.12 \times 1.0 = 47.12$ "		
Section 2.0m to 20.2m fillet at bottom	$65.68 \times 18.2 = 1195.38$ <u>9.04</u>		
	1204.42 "		
working chamber	296.77 "		
Total concrete		1574.43 cub meters.	
Base concrete		<u>475.34</u>	
		<u>2049.77</u> "	
Forms.			
Section 0m to 1.0m from top	$104.50 \times 1.0 = 104.50$ m ²		
Section 1.0 to 2.0m "	$127.18 \times 1.0 = 127.18$		
Section 2.0 to 19.7 "	$118.88 \times 17.7 = 2104.18$		
Section 19.7 to 20.2 "	<u>70.17</u>		
	2406.03	} 2605.26 call this <u>2605.3</u> m ² 材料	
working chamber	199.23		
footing	<u>117.57</u> call this <u>117.6</u> m ² --- 材料		
	272.83		
Reinforcement for pneumatic caisson Deformed bars.	<u>81.391</u> kg tons.		
Structural steel for working chamber	<u>43.599</u> kg tons.		
Excavation of several piers.			
Sectional area of pneumatic caisson		= 141.73 m ²	
volume of base		= 277.74 cub. meter call this 278.	
Excavation			
Pier no.	Caisson	Base	Total excav. average.
P6	141.73 x 26.1 = 3700.	+ 278	3978 } ---- 3978 m ³
P11	" " 26.1 = 3700	+ 278	3978
P7	" " 23.7 = 3458	+ 278	3636 } ---- 3601
P10	" " 23.2 = 3287	+ 278	3565
P8	" " 23.2 = 3287	+ 278	3565 } ---- 3515
P9	" " 22.5 = 3187	+ 278	3465



CALCULATIONS FOR

Materials of Juise Basli for Osaka Prefecture.

Materials of Abutment for River span A3 and A4. Refer to page A.79.		
Concrete for abutment A3 1:2:4 mixture.		
Ornaments	$0.2 \times 0.48 \times 3 = 2.81 = .81$ $0.37 \times .54 \times .38 \times 2 = .15$ $.12 \times .09 \times .48 \times 4 = .02$ $.05 \times .7 \times 2.42 = .05$ $.120 \times .85 \times 2.42 = .25$	
Abutment body	$1.78 \times 2 = 2.56 \text{ cub meter}$ <u>538.74</u> <u>541.30 cub meters</u>	
Concrete for abutment A4. 1:2:4 mixture		
Concrete for ornaments	$1.78 \times 2 = 2.56$	
Abutment body	<u>548.80</u> <u>551.36 Cub meters</u>	
Forms for abutment A3.		
Ornaments projection.	$0.2 \times 2.81 \times 2 = 1.12$ $0.2 \times 2.27 \times 4 = 1.82$ $0.19 \times 0.54 \times 4 = .41$ <u>3.35</u> $\times 2 = 6.70$ $0.125 \times 1.25 \times 2 = 0.31 \times 2 = 0.62$ $0.1 \times 2.42 = .242$	
Abutment body	<u>7.32</u> <u>821.08</u> <u>828.40 sq. meters</u>	
Forms for abutment A4.		
Ornaments	7.32	
Abutment body	<u>882.61</u> <u>889.93 call this 889.9 square meters</u>	
人造洗石土.		
Ornaments	$2.18 \times 2.81 = 6.12$ $0.2 \times 2.81 \times 2 = 1.12$ $0.2 \times 2.27 \times 4 = 1.82$ $0.19 \times 0.54 \times 4 = 0.41$ $0.2 \times 0.48 \times 3 = 0.29$ $0.37 \times 0.38 \times 2 = 0.28$	
Abutment A3	$0.60 \times 2.42 = 1.45$ $2.42 \times 1.25 = 3.02$ $0.85 \times 1.25 = 1.06$ <u>15.57</u> $\times 2 = 31.14 \text{ sq. meters}$ <u>59.78</u> less $6.12 \times 2 = 12.24$ <u>78.68 sq. meters</u>	
Abutment A4	ornament 31.14 abutment body 256.1 less 12.24 <u>94.51 sq. meters</u>	

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