# I-218 Micromechanics of Strain Localization: Effects of Boundary, Sample Size and Confining Pressure

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#### Introduction

present study is an extension of the previous work on a microsstrain localization in sand deformation[1]. The model model for the interaction effects among microslips and produces care ofthe process of growth of individual microslips. It has been shown that localization as well as strain softening can be predicted by strain The effect of local dilatancy as an important microslip model. mechanism in strain localization is also discussed. The formulation of model however, was carried out using an infinite body to simplify problem, neglecting the interaction effect between boundaries and microslips. Although this effect is not considered as a dominant factor, it may strongly influence the process of strain localization. In study, we introduce the boundary constraints of a finite the present microslips to study the boundary effect. The microslip specimen to model is then formulated by the method of pseudo-tractions as well as the boundary integral equation method. The obtained system of nonlinear equations are numerically solved under the boundary conditions for plane strain tests of sand.

# Results and Discussion

Let us consider the response of the microslips inside the rectangular region in Fig.1, as the end displacement increases. Like those previous cases without boundary constraints, the growth of microslips is uniform throughout the whole field at the early stages of loading. After a certain load level, the growth of microslips gradually becomes localized in an inclined region in the upper corner of the specimen. Microslip softening occurs after the peak load, and strain localization proceeds rapidly under decreasing end displacement.

shear band pattern developed with boundary constraints requires symmetry in arranging the initial special attention. Despite localization occurs in the upper corner of the specimen, and any symmetry with respect to the shear band does not possess specimen shape. With the same arrangement of initial defects, however, diagonal region without localization occurs in the The asymmetry in the shear band is thought to be caused constraints. that one of the nodes of the boundary elements must be bу fact in order to prevent horizontal movement. In restrained horizontally imposing boundary constraints to microslips brings cereffect on microslips through their interactions non-homogeneous tain elements. Changing the position of the fixed node also with boundary the growth of the microslips inside the shear band. The shear affects constraints compare well with those observed in with boundary experiments, which usually are not formed in the diagonal region of degree of non-symmetry depends on individual specimen; The the experiments.

on the deformation and strength characteristics of effect materials is of engineering importance. In triaxial compression tests it is found that the post-peak reduction in stress is more in large samples than in small samples. The same trend is significant localization process of microslip growth. Let us also found in the square-shape specimen. While the density of microslips is consider the specimen size is increased and the corresponding constant, localization process is traced. Illustrated in Fig.2 are the relationships between the stress ratio and the average microslip length inside each shear band. It shows that the post-peak decrease in stress becomes more apparent as the specimen size is increased, together with a slightly decreasing trend in the peak load. The mechanism behind this size effect is not clear at present, and a further study on the microslip interactions is considered a key point. Although it is not dealt with here, the effect of sample slenderness on strain localization can also be predicted with the present model.

The dependence of the deformation characteristics on the confining pressure has also been observed in sample tests on sand. In the microslip model, quantities with stress dimension are normalized with  $\sigma_3$ . The dependence of the results on the value of  $\sigma_3$ , in the sense that we obtain different values of  $(\sigma_1/\sigma_3)$  for example, originates only from the normalized dilatancy coefficient  $\hat{\alpha}_d = \alpha_d \cdot a_0/|\sigma_3|$ . Note that  $\hat{\alpha}_d$  decreases with increasing  $|\sigma_3|$ .

that  $\hat{\alpha}_d$  decreases with increasing  $|\sigma_3|$ . The effect of increasing the confining pressure on the response behavior of microslips is illustrated in Fig.3 for two different values of  $\hat{\alpha}_d$ , which correspond to two different confining pressures. With increasing confining pressure, the value of the critical stress ratio  $(\sigma_1/\sigma_3)$  decreases and the lengths of the microslips inside the shear band increase. These features agree with the experimental observations mentioned above. This discussion on increasing confining pressure once more illustrates the important effect of local dilatancy on the main characteristics of sand deformation.

## Conclusion

Through example studies the problem of strain localization and strain softening has been further discussed, with a special attention to the effect of boundary constraints. The boundary effect is found to cause the asymmetry of the shear bands, which is often observed in strain localization of sand. In addition to the above study, we have also discussed the effects of sample size and confining pressure on strain localization. It is shown that the main deformation characteristics of sand under increasing sample size and confining pressure can be predicted by the microslip model.

### Reference

[1] Shi Zihai and H. Horii,

Mechanics of Materials; accepted.

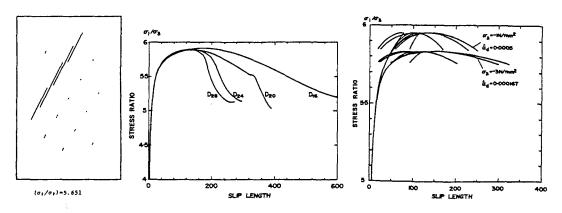


Fig.1 Formation of a Shear Band with Boundary Constraints

Fig. 2 Size Effect on Localization of Microslip Growth (D is the non-dimensionalized sample size.)

Fig. 3 Effect of Confining Pressure on Strain Localization